

2 (RSC) 가 (flush) (tail bits)

(BER) m ,

6

(tail bit) (time diversity) (flush) (turbo code interleaving mapping)

sity) (redundancy) (signal diver

(FEC) 가 가 (interleaving)

(0 1 2 3 4 5 6 7) $\xleftarrow{I_N}$ (3 0 6 7 1 5 2 4)

$I_N [J]$

가 (random interleaving) 가 (block interleaving)

(deinterleaving)

가 가 (turbo code)가 , 1)

가 가 , 2) S- 3) S- 가 S-

가 , FEC

가 가 FEC (node)

(finite state machine) (convolutionally) (trellis)

(infinite replication)

(convolutional code)

(add-compare-select operation)

가

(tailing off)'
(chaining back)'

가 1 2 2 (RSC) 2

\bar{x}_N

\bar{x}^I_N

\bar{x}_N

\bar{y}_N

(functuring)'

(1 2 \bar{p}^1_N, \bar{p}^2_N)

(scrambler)

가

3 4

3

(flush)

4

(3)

m

m

2m

\bar{y}_N

1

5

\bar{p}^1_N

가 1

1

$\bar{L}_{e_1}(\bar{x}_N)$

\bar{x}^I_N

$\bar{L}^I_{e1}(\bar{x}_N)$

\bar{p}^2_N

2

1

\bar{x}^e

1

2

2

RSC

가

, 2

가

가

가 , Blackert 'Turbo Code Termination And Interleaver Conditions', Divsalar 'Turbo Codes For PSC Applications', Barbulescu 'Terminating The Trellis of Turbo-Codes In The Same State'

가

가

m

가

, m

1 4- RSC
 2
 3 4-
 4
 5
 6
 7
 8 S가 2 L 4 4- 16
 9 8
 10 8 16-
 11
 12
 ()
 17 ... 19 ...
 21 ... 1 RSC 23 ... 2 RSC
 25 ... 27 ...
 29 ...

6 (19) (17)가 (1
 7) (25) 1 2 RSC (21, 23)
) (17) (21, 23
 (19) (17) (21, 23)
 가
 6 7 (19) (51)
 (27) (53). N (55).
 (puncturing rate)() (19)
 (19) I(k) (57).
 8 9 , (29) (31_{1-N})
 . I(k) (57)
 I I(k) N ... (1)
 , (33) (35_{1-N}) , k=1, 2,...,N I(k)
 A(59), B(63), C(65)
 A: |I(k)-I(k-j)| > S ... (2)(59)
 , 0 < j S ... (3)
 , k-j 0 ... (4)
 A (2) S- . S
 B: |I(k)-I(k-n · L)| j · L ... (5)(63)
 , n j
 k-n · L 0 ... (6),
 n · L S ... (7)(61).
 L , L=7 8-
 C: k mod 2^m - 1 = I(k) mod 2^m - 1 k ... (8)(65)

m
 (19) $l(k), k = 1, 2, \dots, N(4-66)$ 가 (67) m (2 3 69)
 가
 가 8, 9 10 $S=2, L=4$ (19) 4-
 (17) 16 가
 (19) $2^m - 1$ A B (19) (37) (27)
 (39B) C 10 (39A)가 (33) (19)가 (51),
 (27) (19) 2 (23)가 (37)
 1 2 (21, 23)
 6 11
 (21) (27) 2 (23) (27)
 (19) (37) 1 2 (21, 23)
 (2).
 2 (21, 23) (81) 1
 (83). (27) (37)
 1 2 (21, 23)
 1 (21) (41) $\rightarrow 1$
 P_N $\rightarrow 2$ x_N P_N 2
 (23) (21, 23) (41) (43, 45) 1 (21)
 27, 37) (85). 2 (23)
 1 (21)
 (19) (87).
 (41) (87).
 $M-2 M$ 1 2 (21, 23) log
 $L = \log_2 M$ 1 4- 8-

		L	테일 부분에서의 총 코딩된 비트(종래기술)	테일 부분에서의 총 코딩된 비트(본 발명)
8-상태 인코더	1/2 레이트 터보 코드	3	$2 \times 6 = 12$	6
	1/3 레이트 터보 코드	3	$2 \times 9 = 18$	9
4-상태 인코더	1/2 레이트 터보 코드	2	$2 \times 4 = 8$	4
	1/3 레이트 터보 코드	2	$2 \times 6 = 12$	6

1
 4- 1/2 1/3 (17)
 4 6 8- 1/2 1/3 6
 9 (17)
 B S-
 (19)가 1 2 A (21, 23)
 1 2 (21, 23) m
 $\rightarrow I$
 $L_{el} 2$ (5).
 $\rightarrow x_N = \{1 0 1 1 0 1 0 0 0 1 1 1 0 1 0 1\}$
 (19)
 $\rightarrow x_N = \{0 0 0 1 0 1 1 1 1 0 1 0 1 0 1 1\}$

[illegible]

```

Count=0;
for k=1: Block _size of subset
    for i= 1: P
        if i=p
            I(count)=So(k)
        else
            I(count)= Si(k)
        end if
        count = count + 1
    if count =N
        exit
    end
end
end

```

$$, S_i(k)$$
$$S_i \quad k$$
$$[N/p], S_0(k)$$
$$S_0 \quad k$$

1)

Write \longrightarrow

d_1	d_2	d_3	d_p
d_{p+1}	d_{p+2}	d_{p+3}	d_{2p}
d_{2p+1}	d_{2p+2}	d_{2p+3}	d_{3p}
d_{3p+1}	d_{3p+2}	d_{3p+3}	d_{4p}
\vdots	\vdots	\vdots	\vdots
$d_{N/p+1}$	$d_{N/p+2}$	$d_{N/p+3}$	$d_{N/p+p}$

\Uparrow \Uparrow \Uparrow \Uparrow
 S_1 S_2 S_3 S_0

2) , A B , C 가

3) 2 가

Read \longrightarrow

$d_{N/p+1}$	$d_{N/p+2}$	$d_{N/p+3}$	$d_{N/p+p}$
d_{3p+1}	d_{3p+2}	d_{3p+3}	d_{4p}
d_{2p+1}	d_{2p+2}	d_{2p+3}	d_{3p}
\vdots	\vdots	\vdots	\vdots
d_{p+1}	d_{p+2}	d_{p+3}	d_{2p}
d_1	d_2	d_3	d_p

\Uparrow \Uparrow \Uparrow \Uparrow
 S_1 S_2 S_3 S_0

가

(57)

1. N $I(k)(k = 1 \dots N)$ (17)

$m, 1$ $1, 2^m$ 1
 (21) 1 1 (21) ;

$S-$ (S) (19) ;
 $m, 2$ $2, 2^m$
 2 (23) , 2 2 , 2 (23) ;
 1 1 (SW)

1 , $|I(k) - I(k-nL)|$ L
 (19)가 $I(k)$, $L = 2^m - 1, n$ $k-nL$ 0 nL S

2.

1 ,

3.

2 , 1 2 1

4.

- 1, $(19) \quad |I(k) - I(k-j)| > S \quad j \quad 0 < j \leq S, k-j \geq 0$ 가
5. $I(k) \quad k \bmod 2^m - 1 = I(k) \bmod 2^m - 1$
6. $d_k \quad N \quad , d_k = \pm 1$,
- M , $p = M-1, i \geq 0 \leq p-1$, $b \leq N/p$, $S_i = \{d_k \mid (k \bmod p = i)\}$
- $b \leq p$, S_i , k
7. N $I(k) (k = 1 \leq N)$:
- a. 1 (21) ;
- b. S (19) $|I(k) - I(k-nL)|$ $L = 2^m - 1, n \leq k-nL \leq 0 \leq nL \leq S(S$
- c. 2 (23) ;
- d. 1 (21) 2 (23) , 2 1
8. 7 , ;
- 1 2
9. 7 , :
- a) N (N) ;
- b) N ;
- c) 1) $|I(k) - I(k-j)| > S$, S , $j \quad 0 < j \leq S, k-j \geq 0$,
- 2) $nL \leq S$, L - 1 , $n \leq k-nL \leq 0$ 가 ,
- 3) $|I(k) - I(k-nL)| \leq jL$, 1 3 , 4
- 4) $I(k)$, $k \bmod 2^m - 1 = I(k) \bmod 2^m - 1$, 2^m 1) 4) 1
- $N \leq k$, $I(k)$;
- d) .
10. 8 ,
- a) 1 2 ;
- b) 1 ;
- c) 1 2 가 1 , 가 b-c

11.

d_k N ,

$d_k = \pm 1$,

M , $p = M-1, i = 0, \dots, p-1$, $b = N/p$;

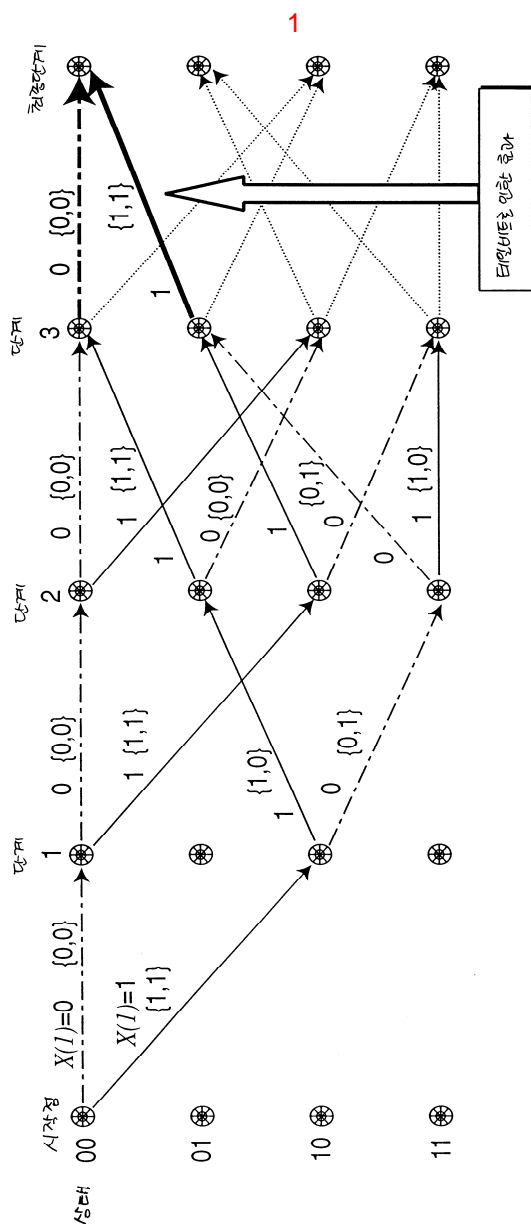
가 b p $S_i = \{d_k \mid (k \bmod p = i)\}$

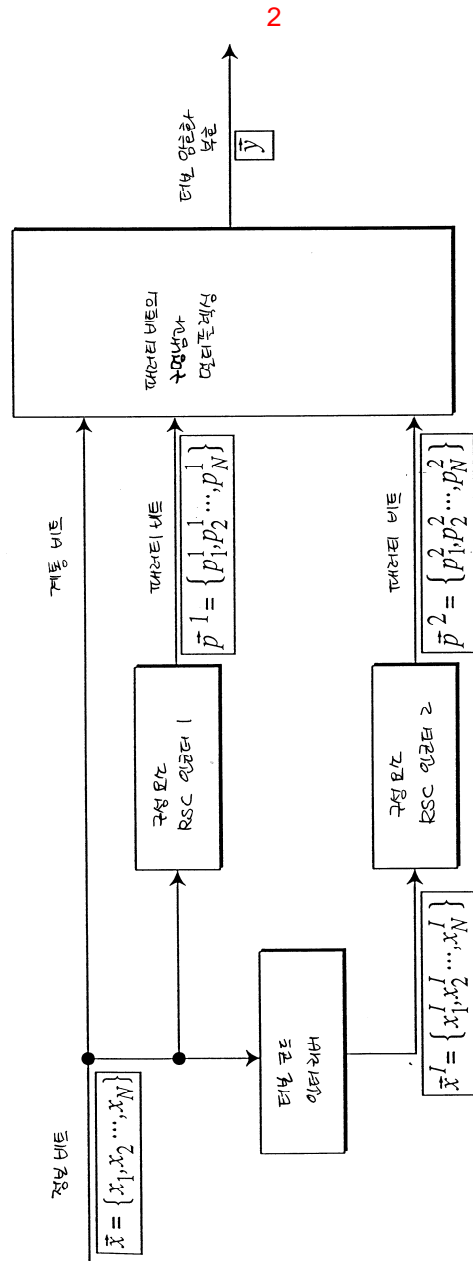
b p 1 b 가

S_i ;

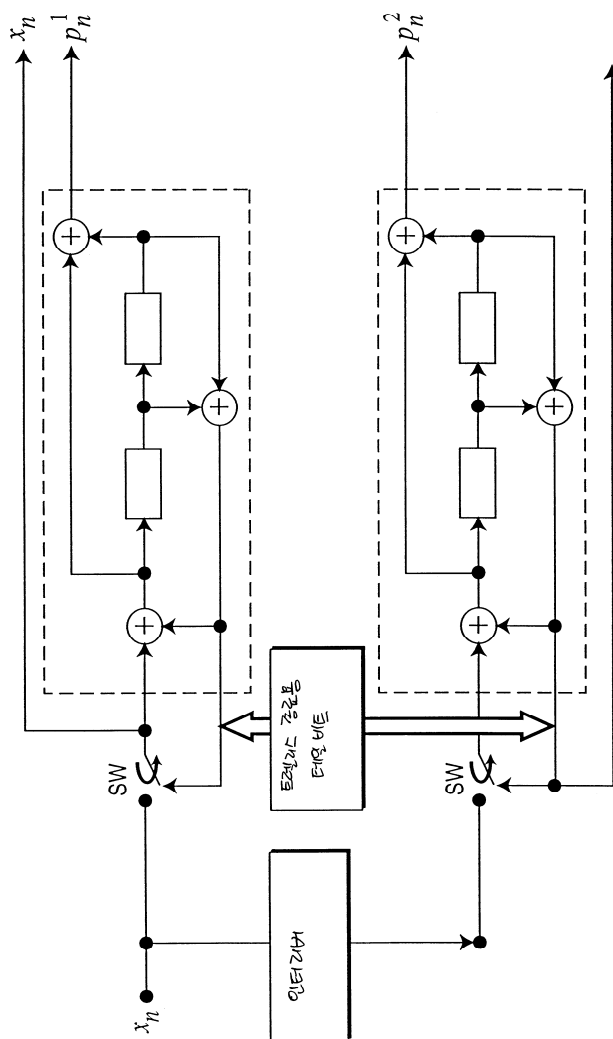
,

k 가

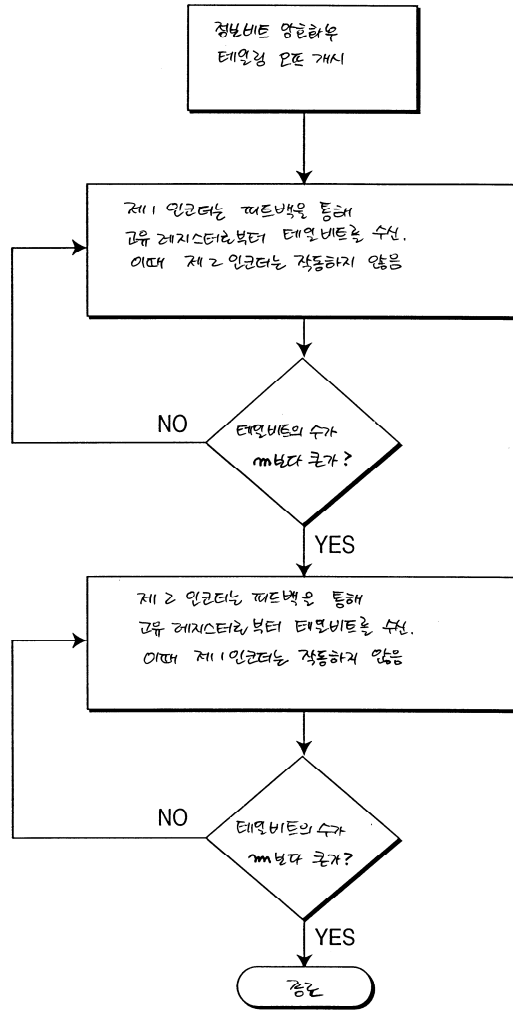




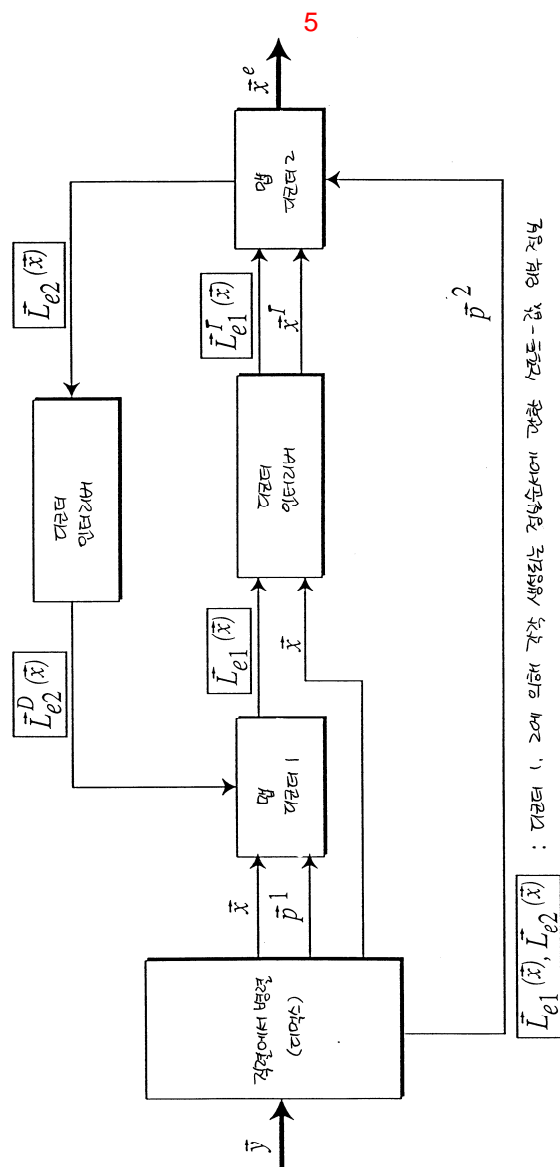
3



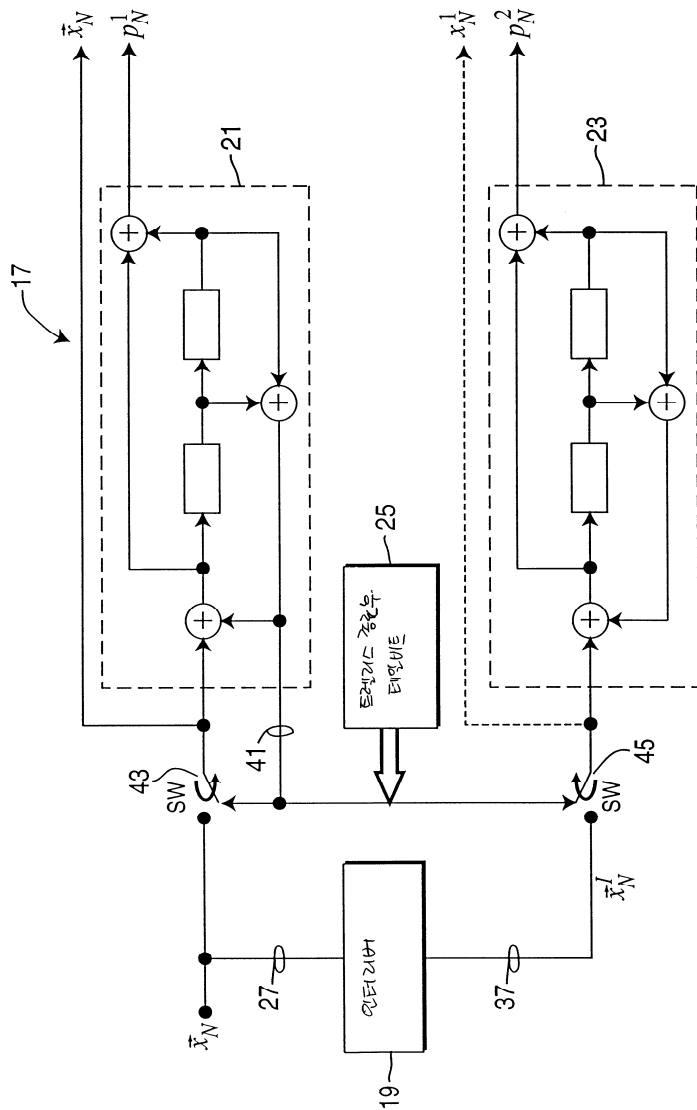
4

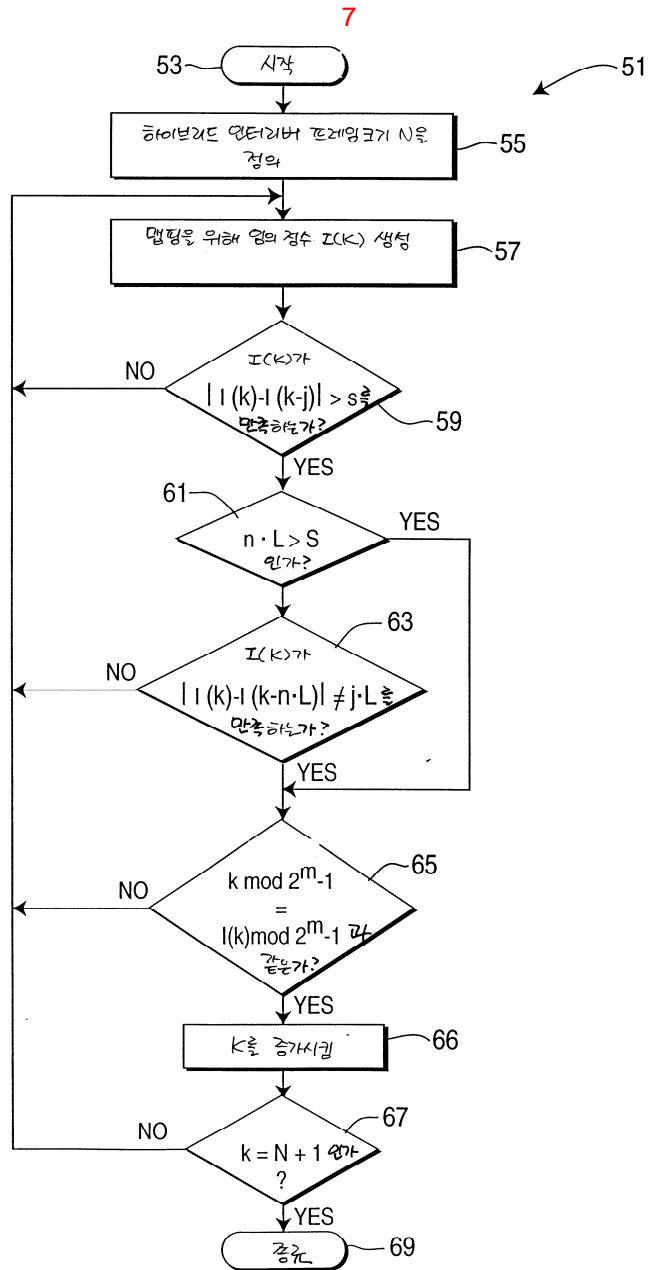


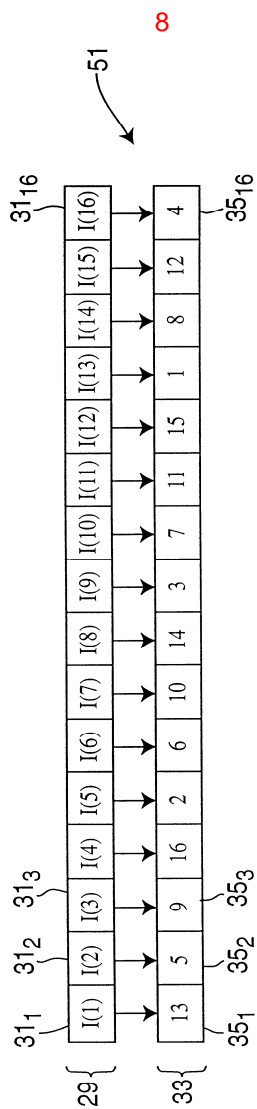
테일비트의 총수는 $2 \cdot m$
테일링된 부분의 총수는 $(2)(2 \cdot m)$

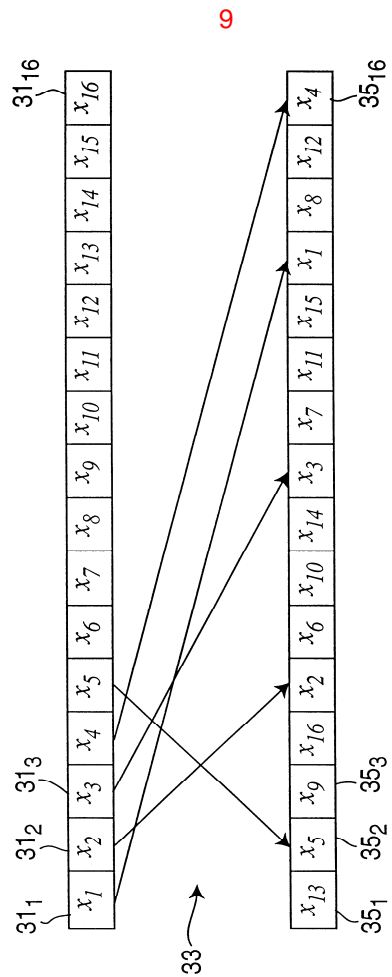


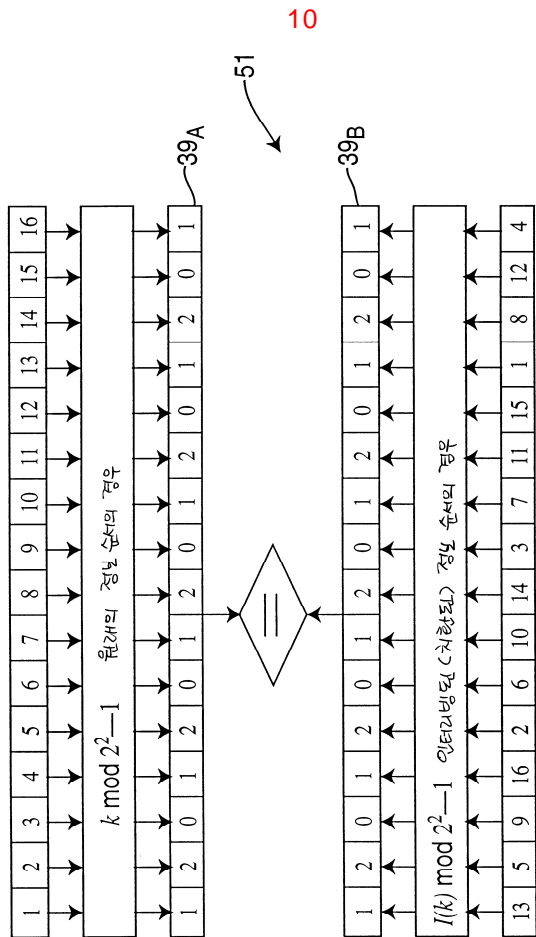
6



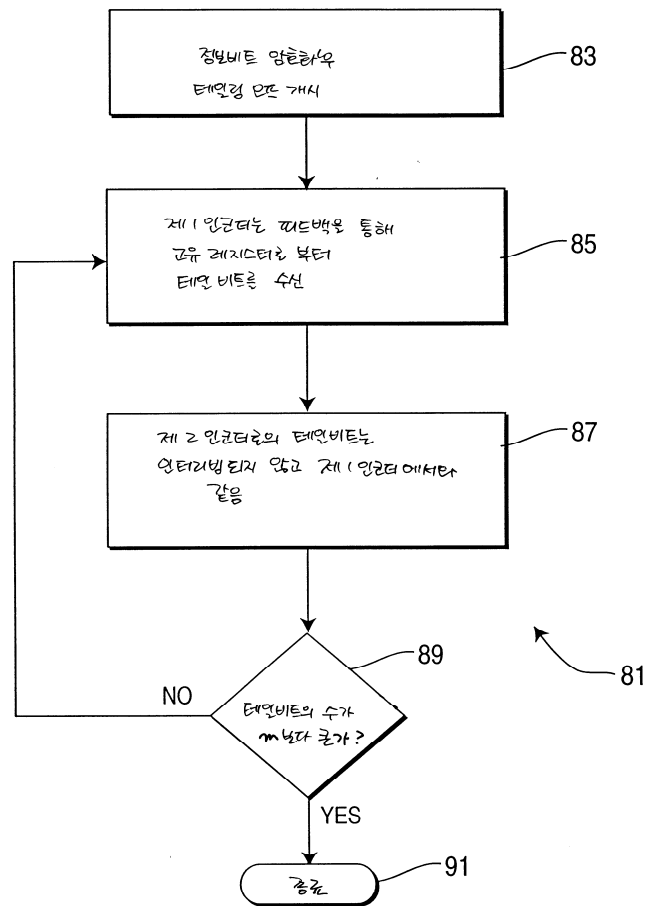








11



테이블비트의 총수 = m
 테이블로딩된 부분의 총수 = $2m$

12

