

(19) (KR)  
(12) (B1)

(21)	10-2001-7004636	(65)	10-2001-0080130
(22)	2001 04 13	(43)	2001 08 22
	2001 04 13		
(86)	PCT/US1999/024066	(87)	WO 2000/22739
(86)	1999 10 12	(87)	2000 04 20

EA : , , , , , , , , ,

(30)	60/104,040	1998	10	13	(US)
	60/112,318	1998	12	14	(US)

(73) , 19801, , 300, 527

(72) , 07024, 8 가1531

(74)

(54)

2 (RSC) 가 .  
. (flush) (tail bits)  
m ,  
(BER)

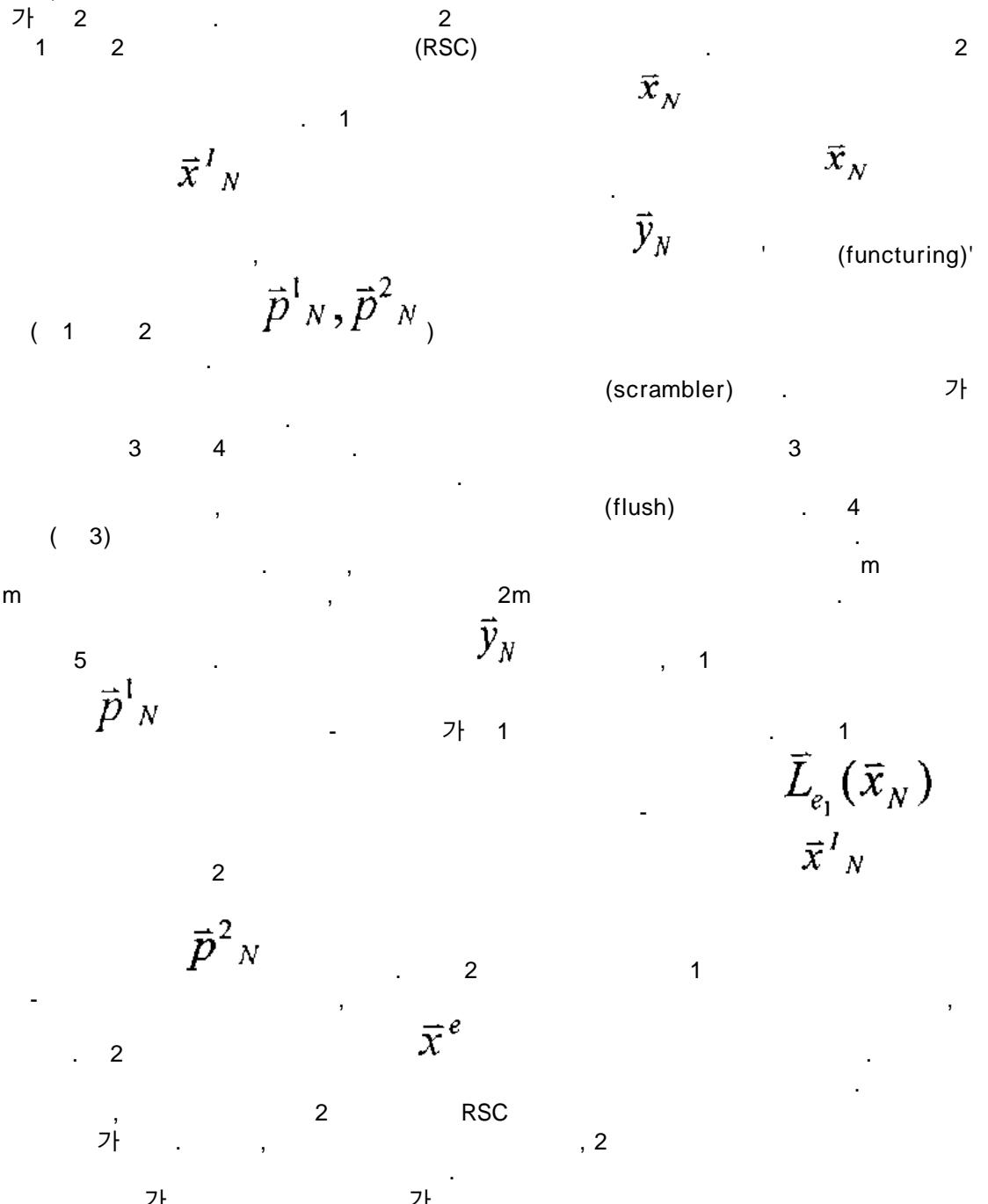
6

(time diversity)  
(flush)  
(turbo code interleaving mapping)

(tail bit)

가

(tailing off)  
(chaining back)



가 , Blackert 'Turbo Code Termination And Interleaver Conditions', Divsalar  
 aver Conditions', Divsalar 'Turbo Codes For PSC Applications', Barbulescu  
 minating The Trellis of Turbo-Codes In The Same State' 'Ter

가

가

m

, m

가

1 4- RSC  
 2  
 3 4-  
 4  
 5  
 6  
 7  
 8 S가 2 L 4 4- 16  
 9 8 10 8 16-  
 11  
 12  
 ( 17 ... 19 ... )  
 21 ... 1 RSC 23 ... 2 RSC  
 25 ... 27 ...  
 29 ...

6 (19) 1 2 RSC (17)가 (21, 23) (1)  
 7 (25) (17) (19) (17) (21, 23)  
 )  
 가  
 6 7 (27) (19) (19) (53). N (51) (21, 23)  
 (puncturing rate)( ( ) (19)  
 8 9 I(k) I(k) (57). (29) (31 1-N )  
 | I(k) N ... (1)  
 , A( 59), B( 63), C( 65) (35 1-N ) , k=1, 2,...,N I(k)  
 A: |I(k)-I(k-j)| > S ... (2)( 59)  
 , 0 < j S ... (3)  
 , k-j 0 ... (4)  
 A (2) S- S  
 B: |I(k)-I(k-n · L)| j · L ... (5)( 63)  
 , n j  
 k-n · L 0 ... (6),  
 n · L S ... (7)( 61).  
 L , L=7 8-  
 C: k mod2^m - 1 = I(k) mod2^m - 1 k ... (8)( 65)

		L	테일 부분에서의 총 코딩된 비트(종래기술)	테일 부분에서의 총 코딩된 비트(본 발명)
8-상태 인코더	1/2 레이트 터보 코드	3	$2 \times 6 = 12$	6
	1/3 레이트 터보 코드	3	$2 \times 9 = 18$	9
4-상태 인코더	1/2 레이트 터보 코드	2	$2 \times 4 = 8$	4
	1/3 레이트 터보 코드	2	$2 \times 6 = 12$	6

1      2                          (21, 23)

$\rightarrow x$

1      (21)      ,    2                          (23)      (19)

$\{2 \ 3 \ 3 \ 3 \ 1 \ 0 \ 0 \ 0 \ 0 \ 2 \ 1 \ 0 \ 0 \ 2 \ 3 \ 3 \ 1 \ 0\}$

2      (23)      {0 \ 0 \ 0 \ 2 \ 3 \ 3 \ 3 \ 3 \ 1 \ 0 \ 0 \ 2 \ 3 \ 3 \ 3 \ 1 \ 0}

,      .      1      2                          2                          (4      )      (19)

C      , 2                          ,      가 S-

S-

12      D      N      가

$D = \{d_1, d_2, \dots, d_N\}$       ,  $d_k = \pm 1 \dots$       (9)

$M = 4 \quad 8 \quad M -$       ,      D      p      S      ,  $p = M -$

1

$S_0 = \{d_k \mid (k \bmod p = 0)\} \dots \quad (10)$

$S_1 = \{d_k \mid (k \bmod p = 1)\} \dots \quad (11)$

$S_{p-1} = \{d_k \mid (k \bmod p = p-1)\} \dots \quad (12)$

,  $p = 4 - 8 -$       3      7      (cos  
et partitioning)      [N/p]      가      ,      [N/p]      N/p  
, |

```

Count=0;
for k=1: Block _size of subset
    for i= 1: P
        if i=p
            I(count)=S0(k)
        else
            I(count)= Si(k)
        end if
        count = count + 1
        if count =N
            exit
        end
    end
end

```

,  $S_i(k)$

$S_i \quad k$

,  $S_0(k)$

$S_0 \quad k$

1)

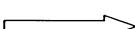
Write 

$d_1$	$d_2$	$d_3$	....	$d_p$
$d_{p+1}$	$d_{p+2}$	$d_{p+3}$	....	$d_{2p}$
$d_{2p+1}$	$d_{2p+2}$	$d_{2p+3}$	....	$d_{3p}$
$d_{3p+1}$	$d_{3p+2}$	$d_{3p+3}$	....	$d_{4p}$
:	:	:	....	:
$d_{N/p+1}$	$d_{N/p+2}$	$d_{N/p+3}$	....	$d_{N/p+p}$

     
 $s_1$              $s_2$              $s_3$              $s_0$

2) . , A B , C ↗

3) . , ↗

2 Read 

$d_{N/p+1}$	$d_{N/p+2}$	$d_{N/p+3}$	....	$d_{N/p+p}$
$d_{3p+1}$	$d_{3p+2}$	$d_{3p+3}$	....	$d_{4p}$
$d_{2p+1}$	$d_{2p+2}$	$d_{2p+3}$	....	$d_{3p}$
:	:	:	....	:
$d_{p+1}$	$d_{p+2}$	$d_{p+3}$	....	$d_{2p}$
$d_1$	$d_2$	$d_3$	....	$d_p$

     
 $s_1$              $s_2$              $s_3$              $s_0$

↗

(57)

1.

N

 $I(k) (k = 1 \dots N)$ 

(17)

:

$m$ , 1                          1,  $2^m$                           1  
(21),                          1,                          ,                          1  
                        1                          (21);                         

$m$ , 2                          (S )                           $(19)$ ;                  2  
2, (23),                          2,  $2^m$                           2  
2                          ,                          2                          (23);  
1                          1                          2                          2

(SW)

1                          ,                           $|I(k) - I(k-nL)|$                   L  
(19)↗                          ,                          ,                           $L = 2^m - 1, n = k-nL, 0 \leq nL < S$

2.

1 ,

1 2

1

3.

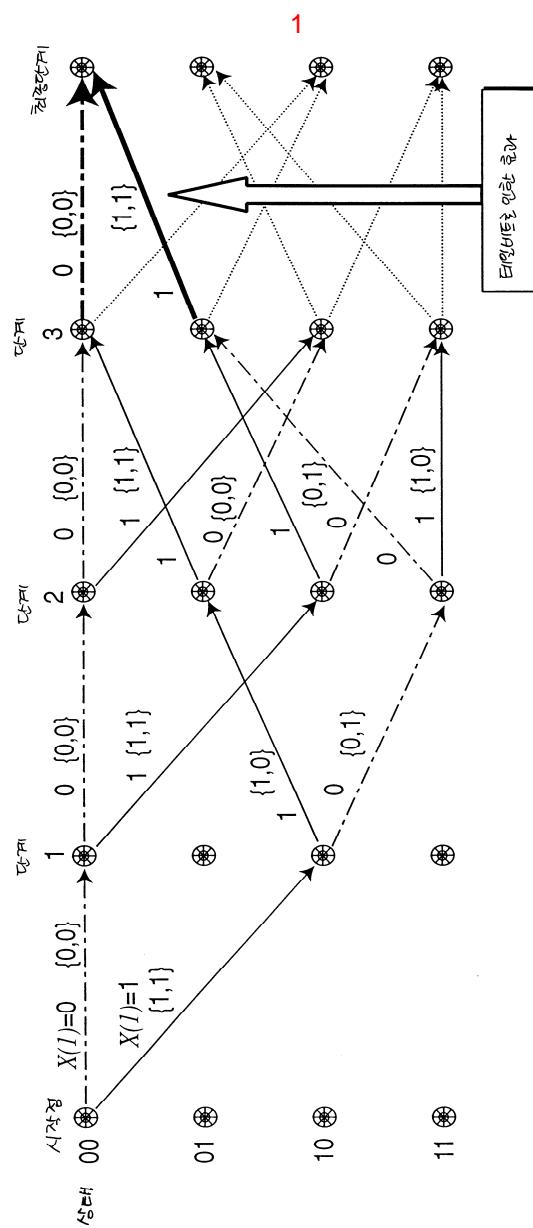
2 ,

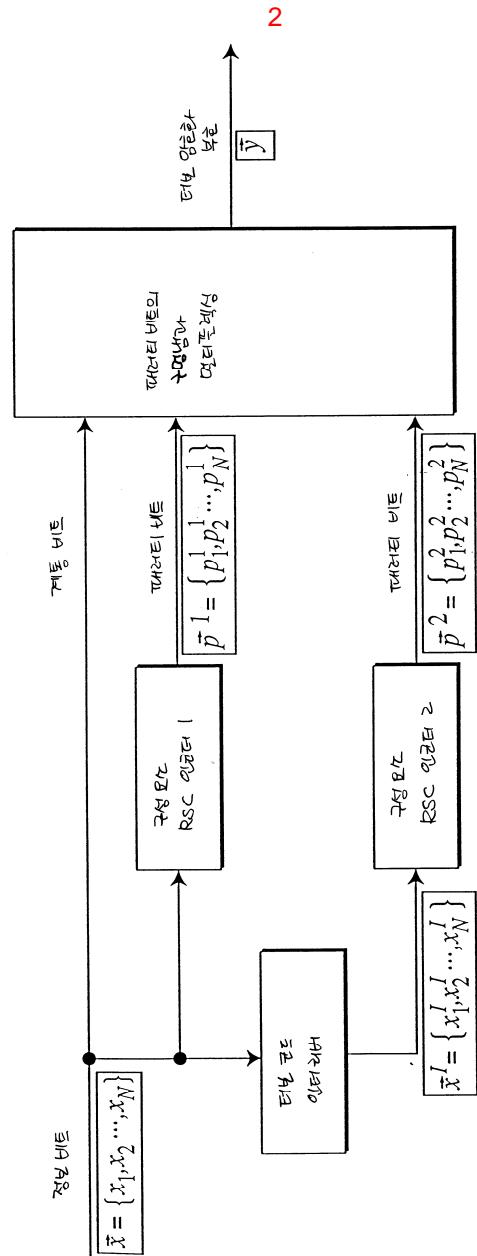
4.

- 1 , (19)  $|l(k) - l(k-j)| > S$   $j \quad 0 < j \leq S, k-j \geq 0$  가
5. ,  $l(k) \quad k \bmod 2^m - 1 = l(k) \bmod 2^m - 1$
6.  $d_k \quad N, d_k = \pm 1$ ,  
 $M, p = M-1, i=0 \quad p-1, b \equiv N/p \quad \nexists b \equiv p, S_i = \{d_k \mid (k \bmod p = i)\}$   
 $b \equiv p \quad b \equiv 1 \quad ; \quad S_i \quad ; \quad ;$  가
7.  $l(k)(k=1 \quad N)$   
a. 1  
b.  $l(k) \quad |l(k) - l(k-nL)| \leq S$  (19)  
c. 2  
d. 1 (21) 1 (21) 2 (23), 2 1  
 $1 \quad 2 \quad (23)$
8. 7 , ;  
1 2 .
9. 7 ,  
a)  $N \quad (N \quad N)$  ;  
b) ;  
c) 1)  $|l(k) - l(k-j)| > S$ ,  $S \quad j \quad 0 < j \leq S, k-j \geq 0$  가 ,  
2)  $nL \leq S \leq L$ ,  $L = 2^m - 1, n \leq k-nL \leq 0$   
3)  $|l(k) - l(k-nL)| \leq jL \quad 1 \leq j \leq 4$ , 4  
4)  $l(k) \quad k \bmod 2^m - 1 = l(k) \bmod 2^m - 1 \quad 1 \quad 4 \quad , \quad 2^m \quad 1) \quad 4)$ , 1  
N k ,  $l(k) \quad ;$   
d)
10. 8 ,  
a) 1 2 ;  
b) 1 2 ; 1  
c) 1 ; 가 ; 가  
b-c

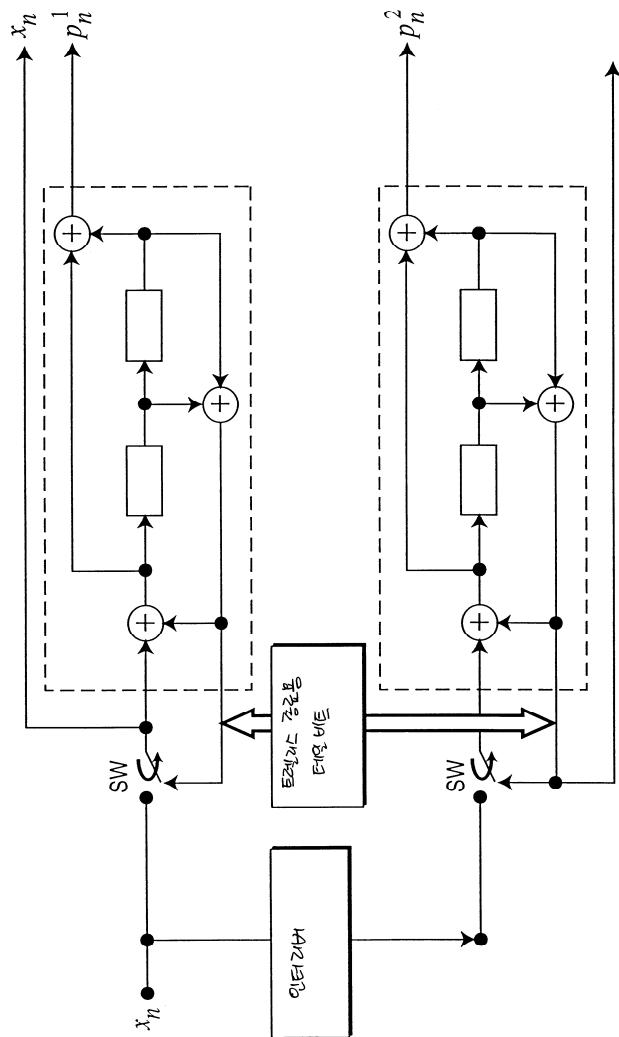
11.

$d_k \in N$ ,  $d_k = \pm 1$ ,  
 $M, p = M-1, i = 0, p-1, b = N/p$ ,  
 $b \nmid p$ ,  $S_i = \{d_k \mid (k \bmod p = i)\}$   
 $b_1, p, b$  가;  
 $S_i$ ;  
 $k \nmid p$

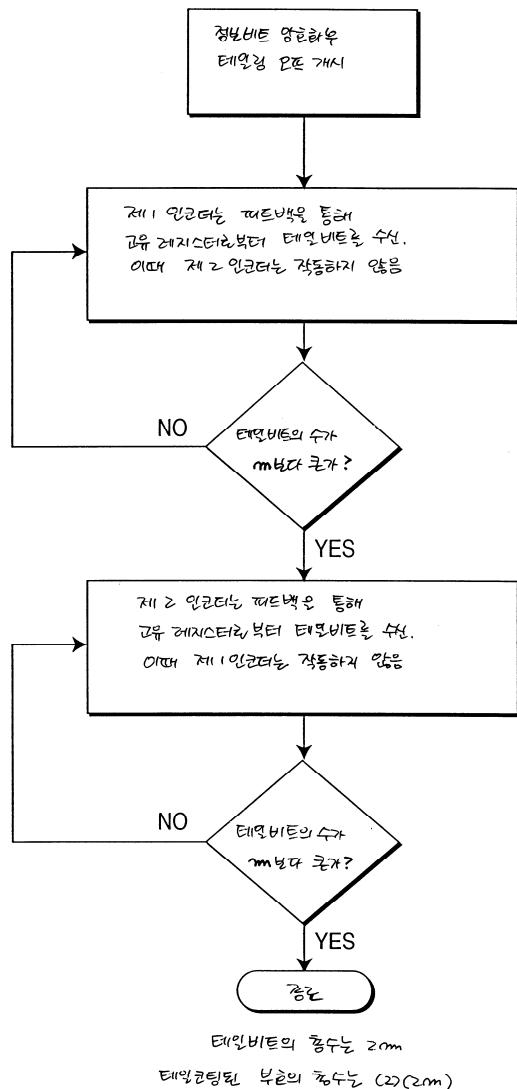


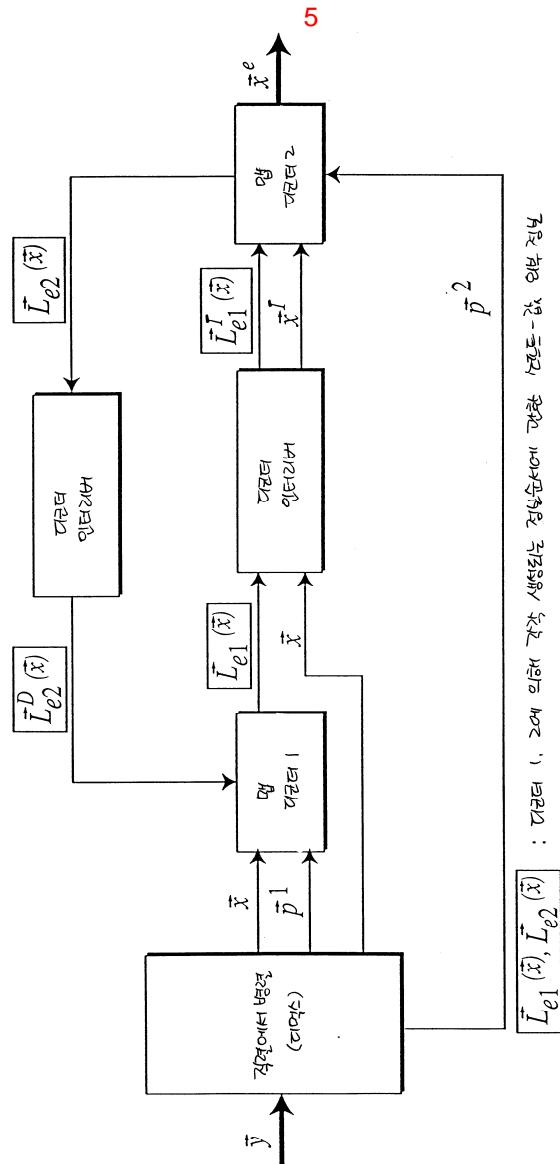


3

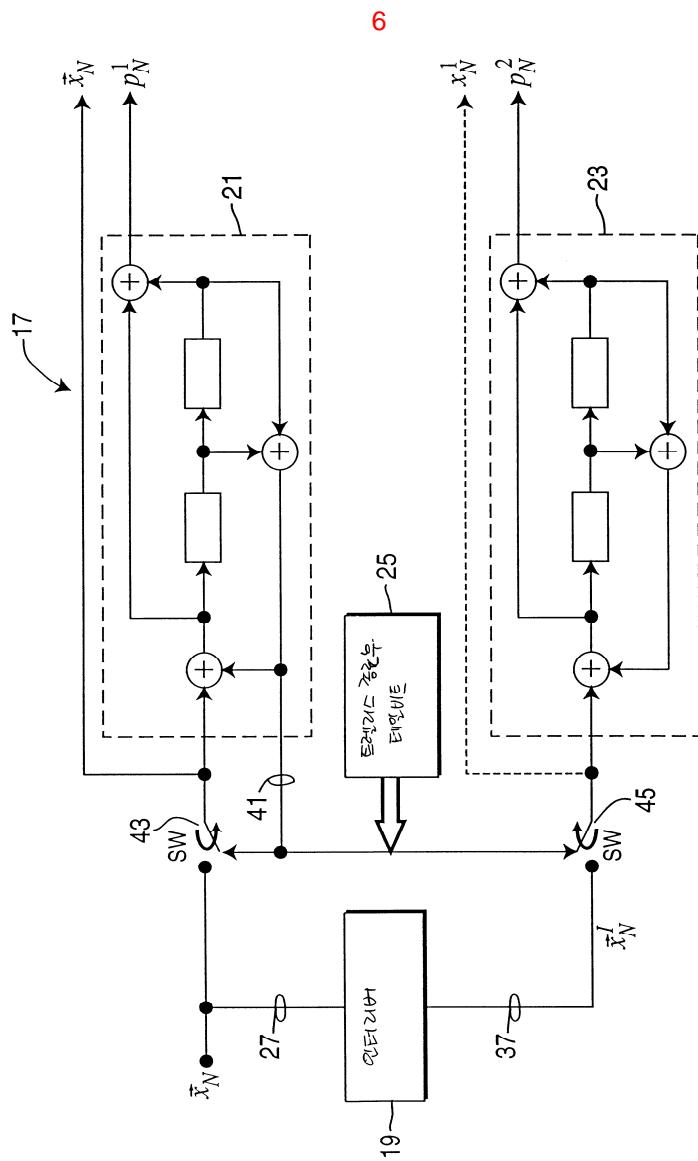


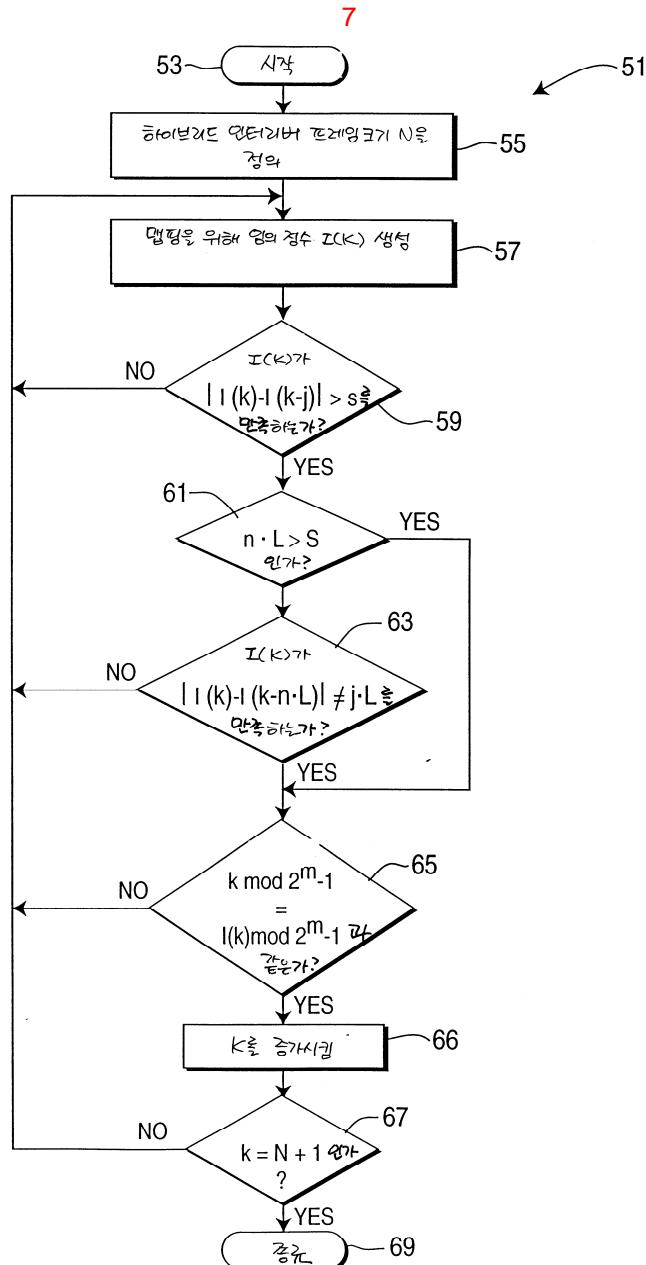
4

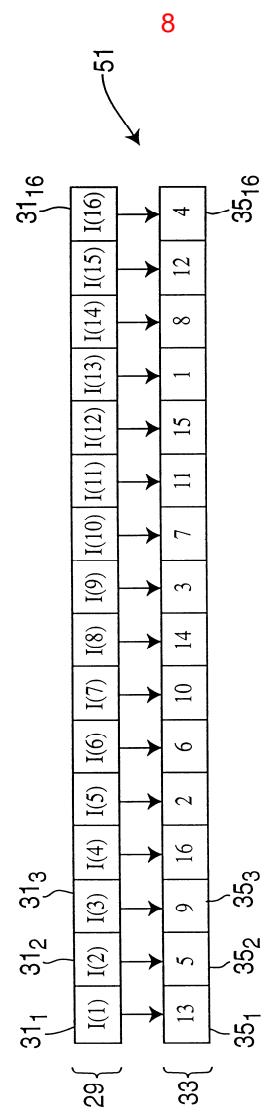
테이블비트의 총수는  $2^m$ 테이블팅된 부호의 총수는  $(2)(2^m)$



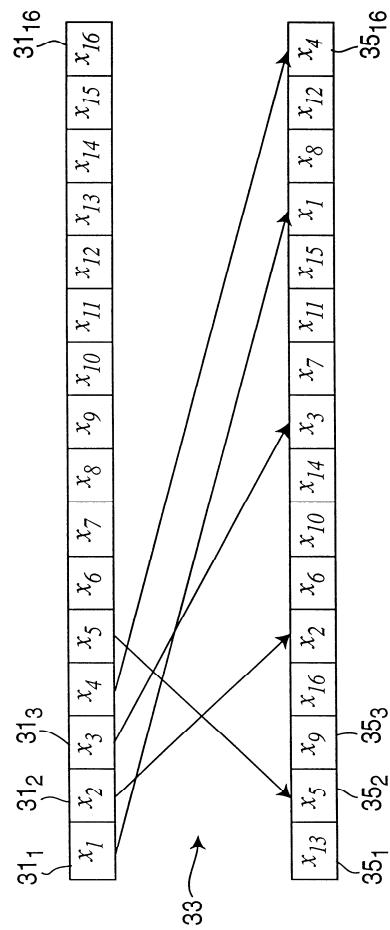
$\hat{L}_{e1}(\bar{x}, \hat{L}_{e2}(\bar{x}))$  : 1. 2차 이동평균-제어는 단계형되는 선형제어이다.

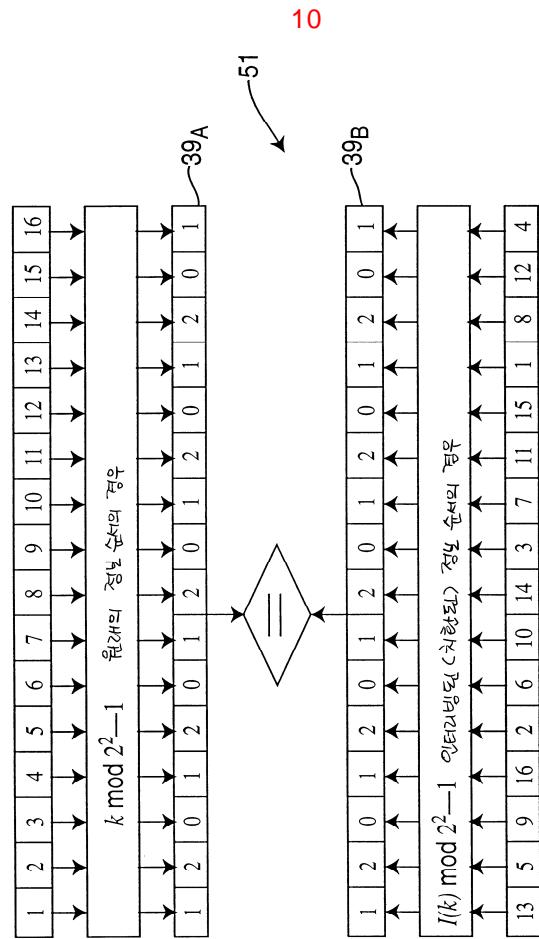




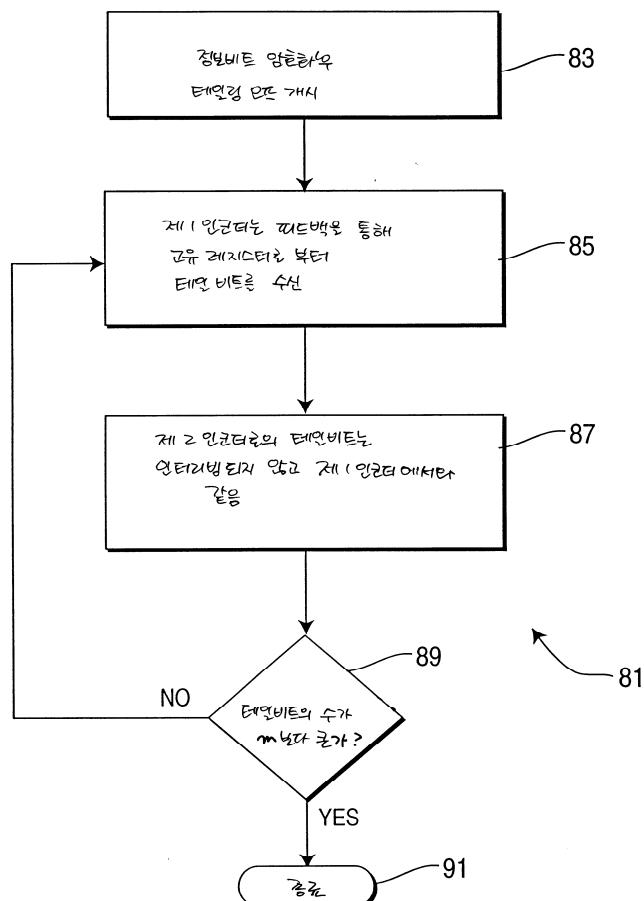


9





11



테일비트의 총수 = m

테일링된 부호의 총수 = 2m

12

