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 (24) 2002 02 04

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(21) 10 - 2000 - 0010162 (65) 2001 - 0103844  
 (22) 2000 02 29 (43) 2001 11 24

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(73) 20  
 (72) 1701 102 1402  
 2 528 - 105  
 308 - 19  
 (74)

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(54)

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,

가 , , 가 , )

가 ( , , 1 , , (n)

(Fi)가 , 2 , 1 , , .

3 , .

2

1 - (up-link)

2 1

3

4 (n)가 4 , (Fi)가 8 , 3

5

6 5

7 (n)가 4 , (Fi)가 8 , 5

8 6 , 가 가 가

9 2 , 가 2가

10 (n)가 2 , (Fi)가 8 3

11 2 , 가 가

12 9 11 가

13 12 가

14 (Column P  
ermutation)

15 - (down-link)

16 30 3 12 (Down link) (BER)  
Up link) 15 ( ( FER)

\*\*\*\*\*

\*\*\*\*\*

201 : 202 :

203 :

204 :

205 :

가

가

, IMT - 2000  
tnership project(3GPP)

가

3rd generation par

3GPP

가 가

1 , , (up - link)  
(X(t)) (101) ,  
(102) ,  
(103) ,  
(104) ,  
05 ) (1

(X(t)) (10)

(102) 가 1 (103) 1  
2 , 2 3

2 (103) 1  
, (Fi)

1, TTI=20msec (103) (Fi) (TTI) , TTI=10msec Fi=  
Fi=2, TTI=40msec Fi=4, TTI=80msec Fi=8

4 (103) R (104)

(105) , (105) 가 (rate matching)

, , ,  
가 가 가  
.

, , ,  
가  
.

, , ,  
가  
.

(n) (Fi) 가 가 , 1 ,  
2 , 1  
가  
3

, , ,  
3  
(n) (Fi) 가 가 , 1 ,  
2 , 1  
가  
3

, 5 , , (n) (Fi) 가  
가 2 , 1 , 1  
가 가  
3

2  
(201) , (202)  $(X^1, X^2, \dots, X^k)$   $(Y^1, Y^2, Y^3, \dots, Y^{n-1}, Y^n)$   
(203) , (201)  $\gamma$  (203) (203)  
(201) (203) (202) , (204)  
203), (205).

$$2 \quad , \quad (201) \quad \mathbf{k} \quad (X^1(t), X^2(t), \dots, X^k(t)) \\ n \quad (Y^1(t), Y^2(t), \dots, Y^n(t)) \quad (202) \quad .$$

(202) (203) 가  
(206) (203) .

(203) (Fi)가 , 가 . (204) (205) (206) 3 , , (207) (n)

가 , (n) (Fi) (GCM)가 1 ,

, (201) (index) (n) (index % n)  
 '1' (k) ( $Y^k$ ) , (203)  
          (201) (index\_Limit)

, 가 , (201) (index) (n) (index %  
 n) (m) . (n)  
 1 (k) ( $Y^k$ ) , (203)

$$, \quad \text{(index)} \quad , \quad \text{(n)} \quad \text{(Fi)} \\ (\text{index \% (n} \times \text{Fi)}) \quad 0 \quad (\text{m}) \quad (\text{0}) \quad , \quad (\text{index \% LCM(} \\ \text{n,Fi})) \quad 0 \quad (\text{m}) \quad '1' \quad . \\ , \quad (201) \quad (203)$$

$$2 \quad (201) \quad , \quad 4 \quad , \quad (n) \text{ 가 } 4 \quad , \quad (203) \quad (F_i) \text{ 가 } 8$$

3

$$(203) \quad \text{가} \quad .$$

$$(y^1, y^2, y^3, y^4), (y^2, y^3, y^4, y^1), (y^3, y^4, y^1, y^2), (y^4, y^1, y^2, y^3)$$

2 (201) , (n) 가 2 , (203) (Fi) 가 8  
 3 , 10 , , ,  
 (203) .  
 $(y^1 y^2)$   $(y^2 y^1)$

, 5 , (n) (Fi) 가 3  
 03) , , 가 (201) .  
 $(y^c)$  .  
 $(2)$

7  $(y^1 y^2 y^3 y^4 y^c)$  (203)

3 5 (202) , (201)  
 (203) .

(203) 1 , 2  
 , (Fi) .

4 (204)  
 (203) R  
 .  
 (205) , (205)  
 (rate matching)

7 가  $(y^c)$  (203)

8 , (201)  
 $(y^1 y^2 P^3 y^4)$  ,  
 (203) (P12 - 1, P12 - 2, P12 - 3, P12 - 4),  
 (P12 - C1, P12 - C2, P12 - C3, P12 - C4) 1 , , 가  
 2 - 5) (P12 - C5) , 가 .  
 $(y^c)$  가 .  
 $(P1)$

가 .  
 (P12 - 5) 가 .  
 가 .  
 , .  
 가 .

(203)

(column permutation)

$$(205a) \quad y_{jk}^i \quad j \quad y^i(t) \quad k$$

$$\text{가} \quad (y_{jk}^{ij}) \quad (205b)$$

13 (205) 가 (501)(502) (205b)

가 12 가 (205b) 12 , i 가 , j , b  $y^1$  가  $2,y^2$   
가 1 . Fi 2.4.8

가 , 가 (501) C'\_2  $\nu_2^1$  가 (503) (j)  
12 .

$$y_2^1 \quad 2 \qquad \qquad \qquad i=2 \quad , y^1 \qquad \qquad b=2 \quad , \qquad \qquad 가 8 \qquad \qquad Fi=8$$

$j = (2 \times i + (b - \lfloor 2 \times i/F_i \rfloor) \% 2) \% F_i$

$j = (2 \times 2(2 - \lfloor 2 \times 2/8 \rfloor) \% 2) \% 8$  가

[ $2 \times 2/8$ ]	0.5	0가	, 2%2	0가
4%8		4가		

(503) C\_4

, 가	(502) C'_3	$\nu_3^2$	가	(503)
j) 12		.	.	(

$\nu_3^2$ 3	i=3	$\nu^2$	b=1	,	가 8	Fi=8
					.	.

$j = (2 \times i + (b - \lfloor 2 \times i/Fi \rfloor) \% 2) \% Fi$

$j = (2 \times 3(1 - \lfloor 2 \times 3/8 \rfloor) \% 2) \% 8$  가

[ $2 \times 3/8$ ]	0.75	0가	, 1%2	1
7%8		7가	.	.

(503) C\_7

13	가	(501)(502)	(503)	(
205b) 12				)

가	,	15	,	,	,

15

,	2	,	,	,	,

(Down link)

(Up link)

3	12	Up link	15	Down link	16
,	(BER)		(FER)		.

16 ~ 20, 28~30 가 322, 가 486  
21 ~ 27 가 324, 가 489 .

(57)

1.

가 가 가 가

2.

$$1 \quad , \quad \{0,3,2,1,6,5,4,7\}$$

3.

4.

3 ,

5.

4 , 가

6.

5 ,

$$j = (2 \times i + (b - \lfloor 2 \times i/F_i \rfloor) \% 2) \% F_i$$

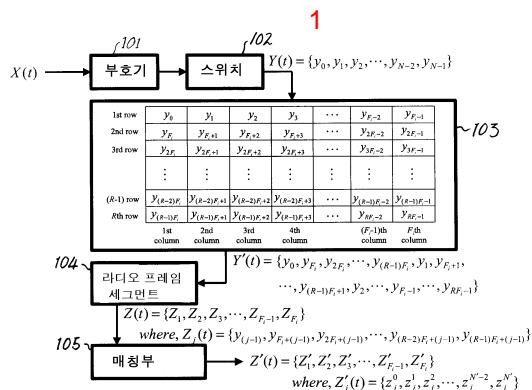
, j , i 가 , Fi , b

7.

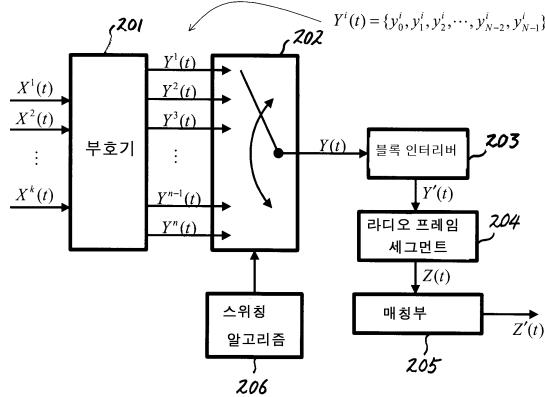
가 , 1 , , (n) (Fi) 가  
2 , , 1 , 가  
3

8.

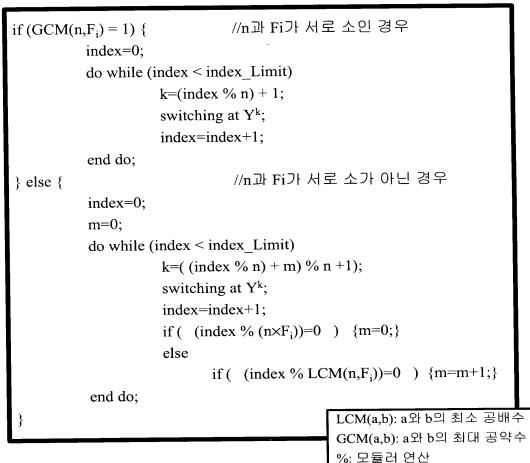
가 , 1 , , (n) (Fi) 가  
2 , , 1 , 가  
3



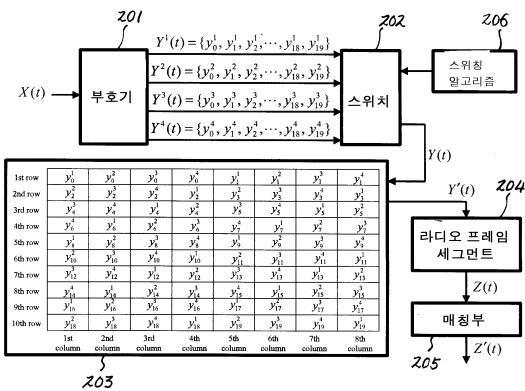
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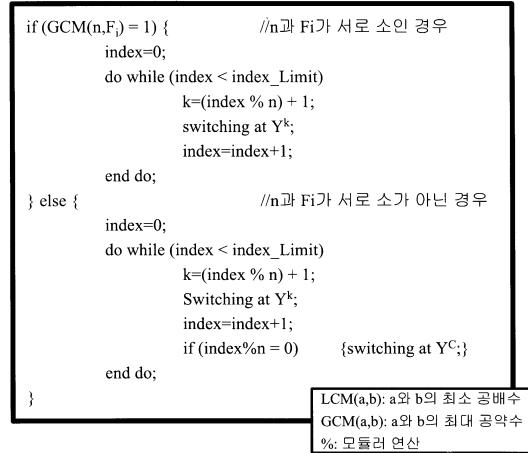
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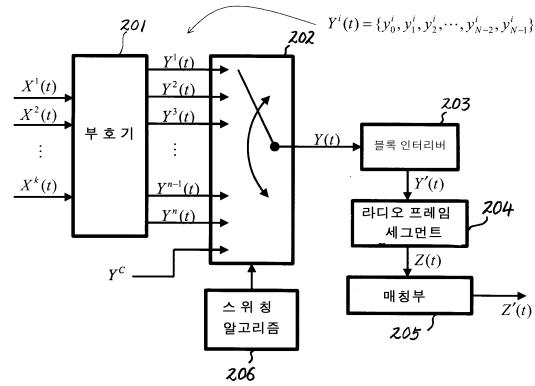
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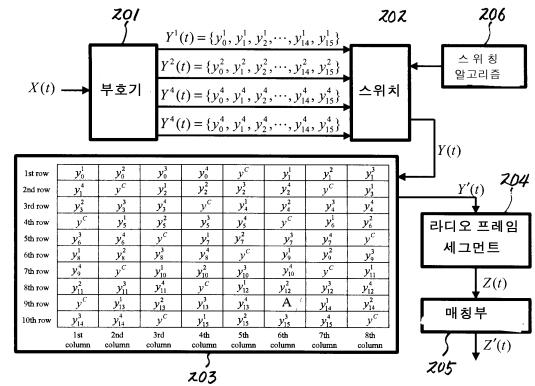
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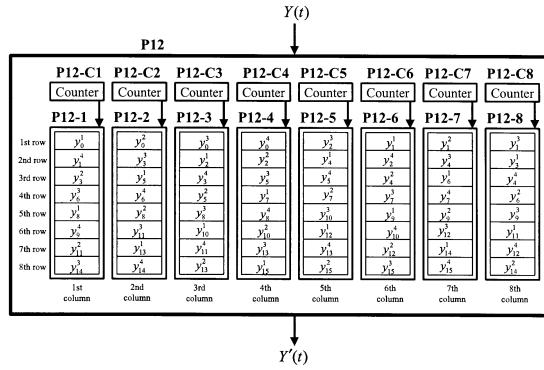
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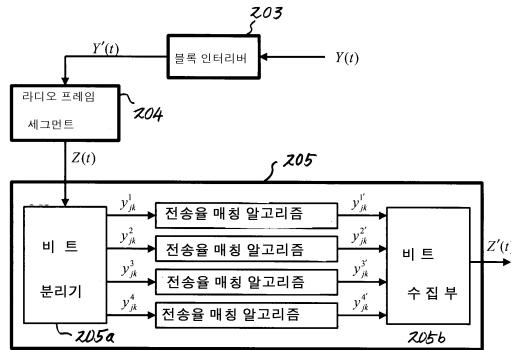
7



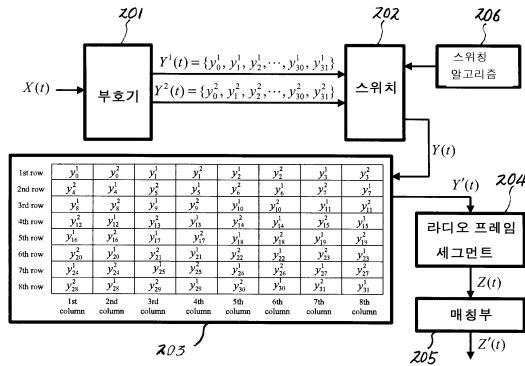
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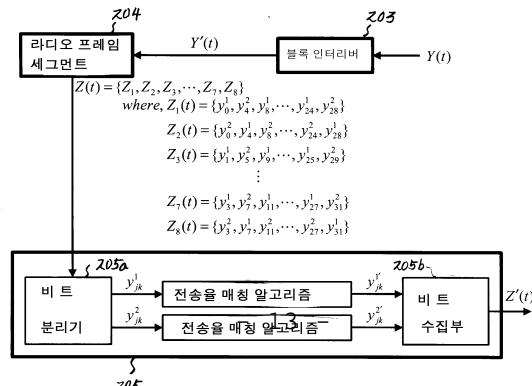
9



10



11



12

for (i=0; i<F<sub>b</sub>; i++) j=( 2 × i + (b- $\lfloor 2 \times i/F_b \rfloor \% 2$  ) % F<sub>i</sub>

where, index b is used to indicate Y<sup>1</sup>'s bit (b=2) and Y<sup>2</sup>'s bit (b=1), and F<sub>i</sub> ∈ {2, 4, 8}.

13

501

C	C	C	C	C	C	C	C	C
y <sub>0</sub> <sup>1</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>2</sub> <sup>1</sup>	y <sub>3</sub> <sup>1</sup>	y <sub>4</sub> <sup>1</sup>	y <sub>5</sub> <sup>1</sup>	y <sub>6</sub> <sup>1</sup>	y <sub>7</sub> <sup>1</sup>	y <sup>1</sup>
y <sub>0</sub> <sup>2</sup>	y <sub>1</sub> <sup>2</sup>	y <sub>10</sub> <sup>2</sup>	y <sub>11</sub> <sup>2</sup>	y <sub>12</sub> <sup>2</sup>	y <sub>13</sub> <sup>2</sup>	y <sub>14</sub> <sup>2</sup>	y <sub>15</sub> <sup>2</sup>	y <sub>1</sub> <sup>2</sup>
y <sub>0</sub> <sup>3</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>20</sub> <sup>3</sup>	y <sub>21</sub> <sup>3</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>1</sub> <sup>3</sup>
y <sub>24</sub> <sup>3</sup>	y <sub>25</sub> <sup>3</sup>	y <sub>25</sub> <sup>1</sup>	y <sub>25</sub> <sup>3</sup>	y <sub>26</sub> <sup>3</sup>	y <sub>27</sub> <sup>3</sup>	y <sub>26</sub> <sup>1</sup>	y <sub>27</sub> <sup>3</sup>	y <sub>1</sub> <sup>3</sup>

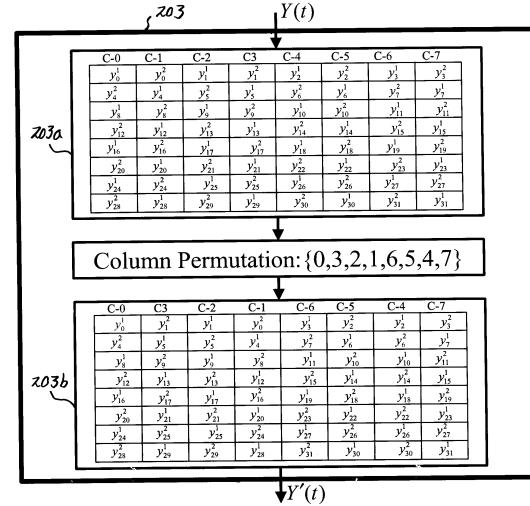
502

C <sup>-0</sup>	C <sup>-1</sup>	C <sup>-2</sup>	C <sup>-3</sup>	C <sup>-4</sup>	C <sup>-5</sup>	C <sup>-6</sup>	C <sup>-7</sup>
y <sub>0</sub> <sup>2</sup>	y <sub>1</sub> <sup>2</sup>	y <sub>2</sub> <sup>2</sup>	y <sub>3</sub> <sup>2</sup>	y <sub>4</sub> <sup>2</sup>	y <sub>5</sub> <sup>2</sup>	y <sub>6</sub> <sup>2</sup>	y <sub>7</sub> <sup>2</sup>
y <sub>0</sub> <sup>1</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>10</sub> <sup>1</sup>	y <sub>11</sub> <sup>1</sup>	y <sub>12</sub> <sup>1</sup>	y <sub>13</sub> <sup>1</sup>	y <sub>14</sub> <sup>1</sup>	y <sub>15</sub> <sup>1</sup>
y <sub>0</sub> <sup>3</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>20</sub> <sup>3</sup>	y <sub>21</sub> <sup>3</sup>	y <sub>22</sub> <sup>3</sup>	y <sub>23</sub> <sup>3</sup>
y <sub>24</sub> <sup>3</sup>	y <sub>25</sub> <sup>3</sup>	y <sub>25</sub> <sup>1</sup>	y <sub>25</sub> <sup>3</sup>	y <sub>26</sub> <sup>3</sup>	y <sub>27</sub> <sup>3</sup>	y <sub>26</sub> <sup>1</sup>	y <sub>27</sub> <sup>3</sup>

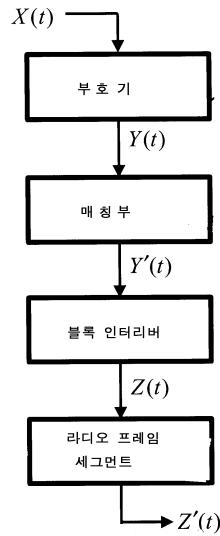
503

C <sup>-0</sup>	C <sup>-1</sup>	C <sup>-2</sup>	C <sup>-3</sup>	C <sup>-4</sup>	C <sup>-5</sup>	C <sup>-6</sup>	C <sup>-7</sup>
y <sub>0</sub> <sup>1</sup>	y <sub>0</sub> <sup>2</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>1</sub> <sup>2</sup>	y <sub>2</sub> <sup>1</sup>	y <sub>2</sub> <sup>2</sup>	y <sub>3</sub> <sup>1</sup>	y <sub>3</sub> <sup>2</sup>
y <sub>0</sub> <sup>2</sup>	y <sub>0</sub> <sup>3</sup>	y <sub>1</sub> <sup>2</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>2</sub> <sup>2</sup>	y <sub>2</sub> <sup>3</sup>	y <sub>3</sub> <sup>2</sup>	y <sub>3</sub> <sup>3</sup>
y <sub>0</sub> <sup>3</sup>	y <sub>0</sub> <sup>1</sup>	y <sub>1</sub> <sup>3</sup>	y <sub>1</sub> <sup>1</sup>	y <sub>2</sub> <sup>3</sup>	y <sub>2</sub> <sup>1</sup>	y <sub>3</sub> <sup>3</sup>	y <sub>3</sub> <sup>1</sup>
y <sub>12</sub> <sup>2</sup>	y <sub>12</sub> <sup>3</sup>	y <sub>13</sub> <sup>2</sup>	y <sub>13</sub> <sup>3</sup>	y <sub>14</sub> <sup>2</sup>	y <sub>14</sub> <sup>3</sup>	y <sub>15</sub> <sup>2</sup>	y <sub>15</sub> <sup>3</sup>
y <sub>16</sub> <sup>2</sup>	y <sub>16</sub> <sup>3</sup>	y <sub>17</sub> <sup>2</sup>	y <sub>17</sub> <sup>3</sup>	y <sub>18</sub> <sup>2</sup>	y <sub>18</sub> <sup>3</sup>	y <sub>19</sub> <sup>2</sup>	y <sub>19</sub> <sup>3</sup>
y <sub>20</sub> <sup>2</sup>	y <sub>20</sub> <sup>3</sup>	y <sub>21</sub> <sup>2</sup>	y <sub>21</sub> <sup>3</sup>	y <sub>22</sub> <sup>2</sup>	y <sub>22</sub> <sup>3</sup>	y <sub>23</sub> <sup>2</sup>	y <sub>23</sub> <sup>3</sup>
y <sub>24</sub> <sup>2</sup>	y <sub>24</sub> <sup>3</sup>	y <sub>25</sub> <sup>2</sup>	y <sub>25</sub> <sup>3</sup>	y <sub>26</sub> <sup>2</sup>	y <sub>26</sub> <sup>3</sup>	y <sub>27</sub> <sup>2</sup>	y <sub>27</sub> <sup>3</sup>
y <sub>28</sub> <sup>2</sup>	y <sub>28</sub> <sup>3</sup>	y <sub>29</sub> <sup>2</sup>	y <sub>29</sub> <sup>3</sup>	y <sub>30</sub> <sup>2</sup>	y <sub>30</sub> <sup>3</sup>	y <sub>31</sub> <sup>2</sup>	y <sub>31</sub> <sup>3</sup>

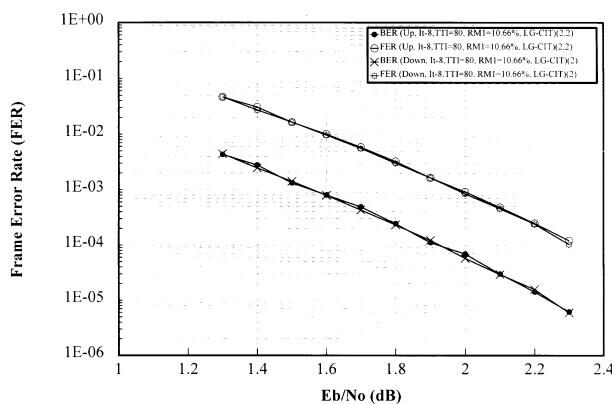
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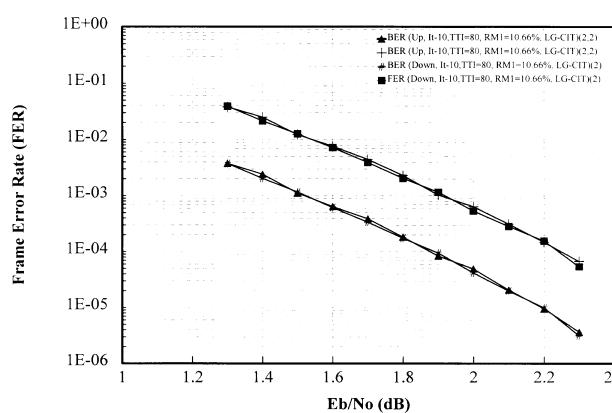
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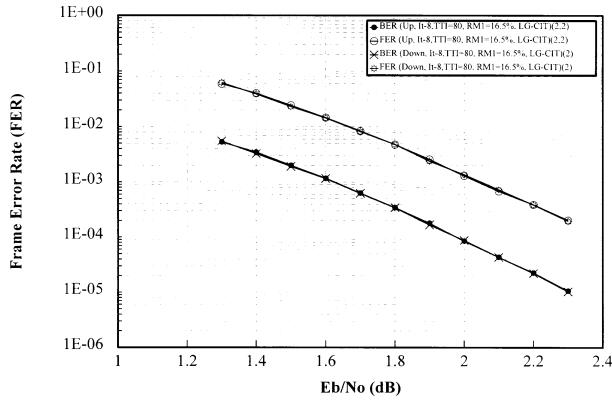
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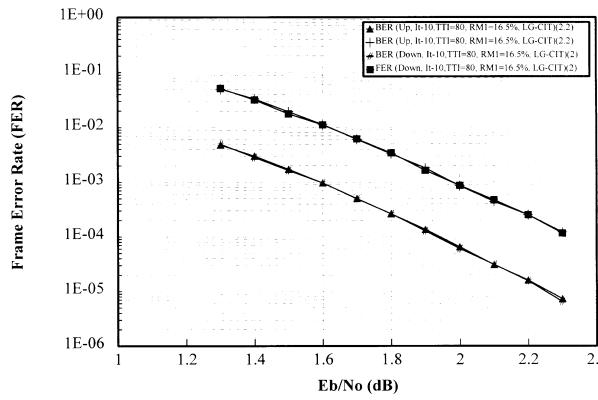
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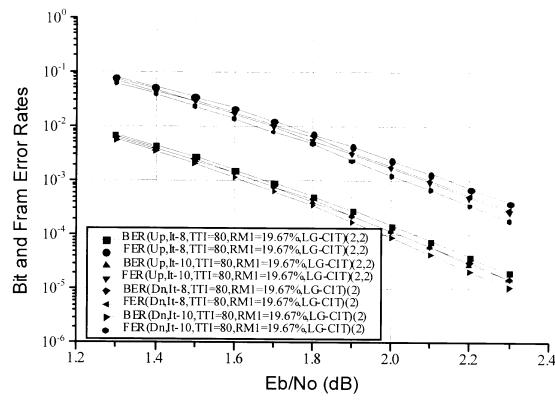
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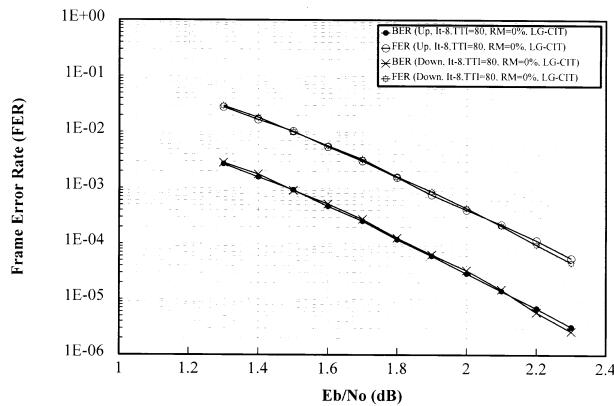
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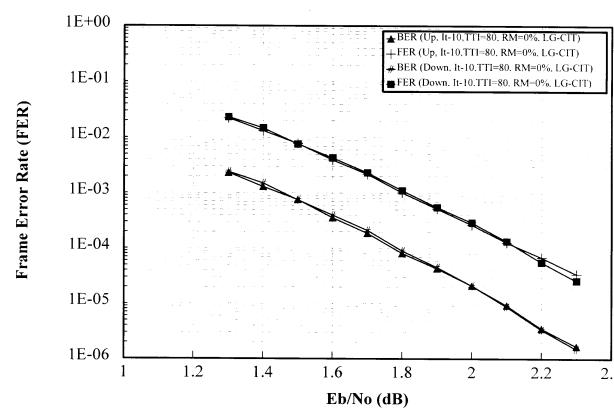
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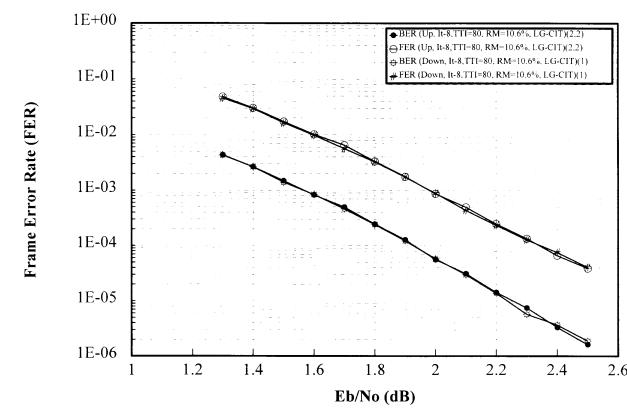
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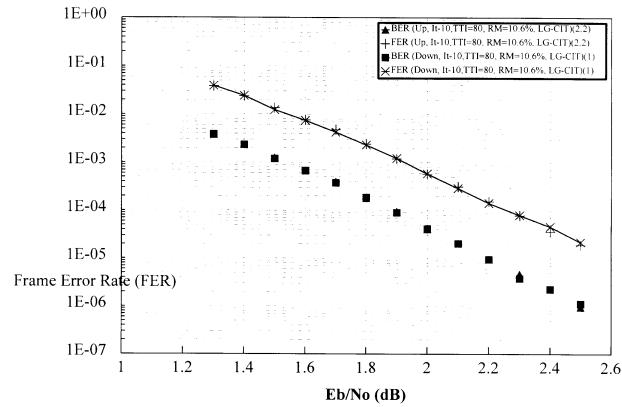
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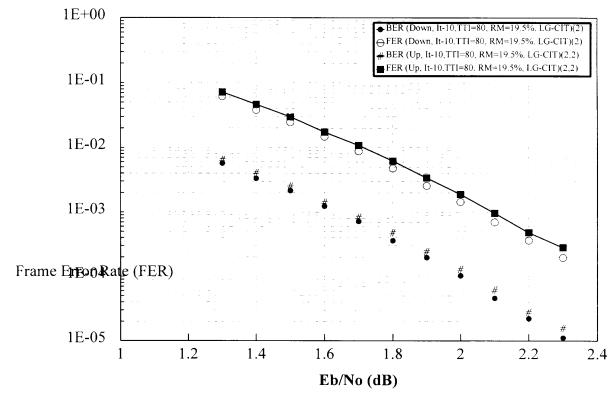
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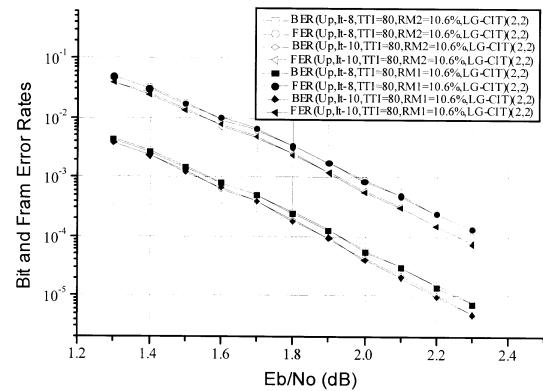
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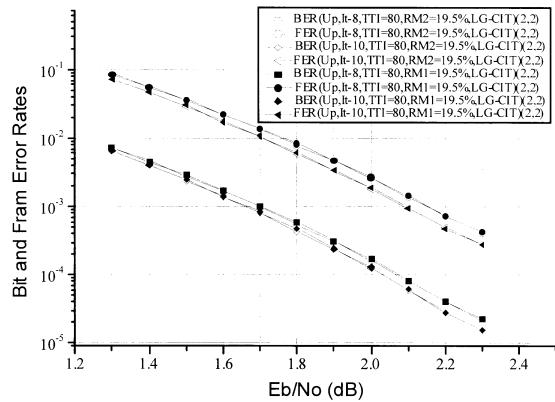
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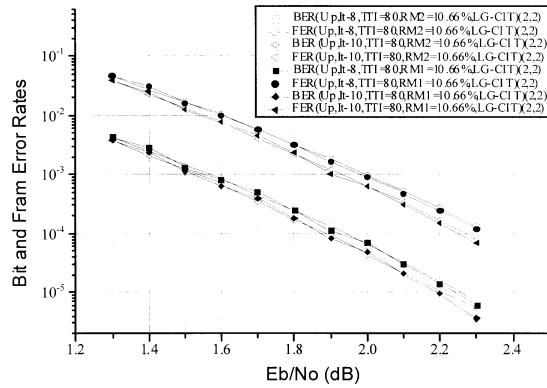
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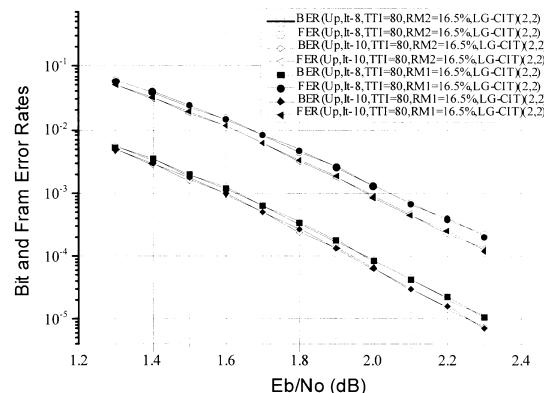
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