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(72) Inventors; and

(71) Applicants : O'SULLIVAN, Donal [IE/IE]; 27 Sorrel
Heath, Clonsilla, Dublin, 15 (IE). SCULLIN, Paul
[IE/IE]; 2 Foxborough Heights, Lucan, Co Dublin (IE).(74) Agents: BROPHY, David et al.; 27 Clyde Road, Dublin,
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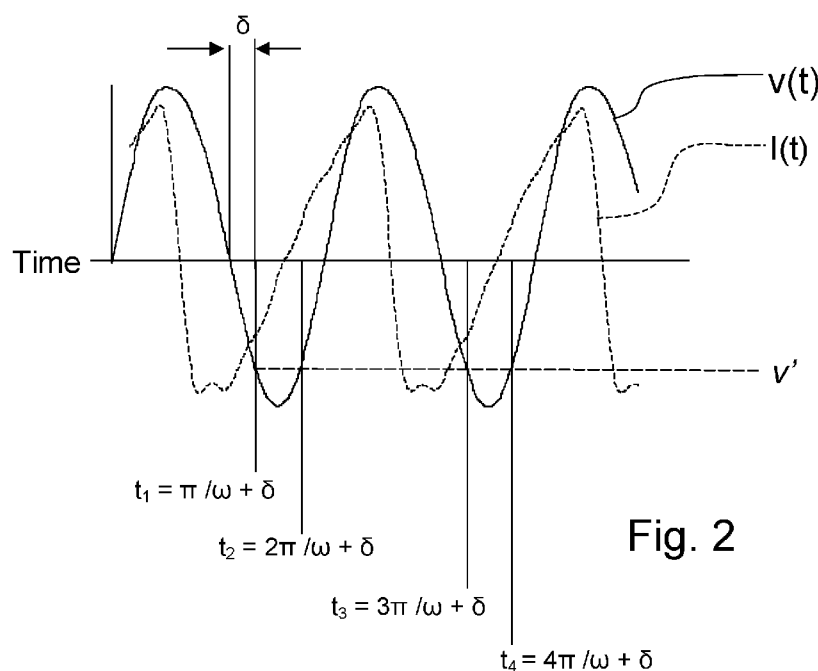


Fig. 2

(57) Abstract: A method of measuring ion current between a plasma and an electrode in communication with the plasma is disclosed. A time-varying voltage at the electrode and a time-varying current through the electrode are measured. The method comprises recording, for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$; and obtaining from the current and voltage values a value of the ion current. The electrode is insulated from the plasma by an insulating layer, so that the current values lack a DC component. The method includes performing a mathematical transform effective to: express the current and voltage values as a relationship between the real component of current through the electrode and the voltage, thereby eliminating a capacitive contribution to the current through the electrode; isolate from the real component of current through the electrode an isolated contribution attributable to an ion current and a resistive term, the contribution being free of any electron current contribution; and determine from

the isolated contribution a value of ion current.

Sensor for measuring plasma parameters

Technical Field

This invention relates generally to the field of plasma processing and more specifically to the field of in-situ measurement of plasma parameters, including ion flux, for process monitoring and control.

Background Art

Plasma processing systems are widely used to process substrates. Examples would be etching of silicon wafers in semiconductor manufacture and the deposition of layers in the manufacture of solar cells. The range of plasma applications is wide but includes plasma enhanced chemical vapour deposition, resist strip and plasma etch.

Plasma diagnostics to measure ion current or flow to a surface (I_p), electron temperature (T_e), Plasma electron density (N_e), Plasma resistance R_p , Plasma potential (V_p), Electron Energy Distribution Function ($EEDF$) and Ion Energy Distribution Function ($IEDF$) exist, the two main examples being the Langmuir probe, described in *Langmuir Probe Measurements in the Gaseous Electronics Conference RF Reference Cell*, M.B. Hopkins, J. Res. Natl. Inst. Stand. Technol. 100, 415 (1995), and the Retarding Field Energy Analyser, described in *Design of Retarding Field Energy Analyzers*, J. Arol Simpson, Rev. Sci. Instrum. 32, 1283 (1961).

These conventional diagnostic tools are limited to use in research applications in clean gases or with limited time in processing gases due to the deposition of weakly conducting material on the probes surface. The deposited layers reduce or remove the conduction current path on which the probes depend.

Until 1998 it was generally not possible to characterize a plasma process which used a complex gas other than by means of modelling. Specifically direct measurement of parameters such as the ion flow to a surface in etching and deposition plasmas was not possible during the process and so limited the deployment of sensors to monitor and control the process.

In US 5,936,413, the authors disclose a method for measuring an ion flow from a plasma to a surface in contact therewith, consisting of measuring the rate of discharge of a measuring capacitor connected between a radiofrequency voltage source and a plate-shaped probe in contact with the plasma.

The measurement method involves periodically supplying to a surface a train of radio frequency (RF) oscillations and performing a measurement between the two oscillation trains after the damping of the RF and before the potential on the surface returns to equilibrium. The method overcomes the issue of measuring a DC ion flow through a non-conducting layer and is therefore deployable in a real process reactor. However, the technique has a number of drawbacks.

A first disadvantage of the technique is the need to supply a sensor built into the electrode, wall or other part of the tool.

A second disadvantage of the technique is the need to supply a pulsed RF train that may perturb the plasma and adds a level of complexity to the deployment of the technique.

A third disadvantage is the technique cannot measure the ion flow directly on an RF biased substrate such as a silicon wafer as this would require an interruption to the process and add significantly to the cost and through put of wafers. The technique cannot be applied to a continuously biased substrate.

A fourth disadvantage is the technique needs to be applied to a special probe surface and the area of this surface is limited and the sheath may not be truly planar. The sheath may expand and collect ions at the edge. This becomes less of a problem for large area surfaces but applying an RF pulse to a large surface will need a large power input and may disturb the plasma. A guard ring may improve the situation but adds complexity and cost to the design.

US 6,326,794 describes a capacitance-based ion flux and ion energy probe based on two electrodes separated by an insulating layer. However, this device is suitable for processes where the conducting layers are exposed to the plasma. The deposition of insulating layers on the conducting surfaces exposed to the plasma will prevent the probe from measuring ion flux in a similar way to a Langmuir probe. It also requires a special probe inserted in the plasma.

US 6,339,297 describes a probe that measures the absorption of plasma waves from an RF wave launched by a probe. The technique measures plasma electron density. A major disadvantage is the need to insert a probe and the disturbance caused by the RF source needed, as well as the limited parameters that can be measured.

In 1998 M.A. Sobolewski published a technique for measuring the ion current at a semiconductor wafer that is undergoing plasma processing, see *Measuring the ion current in electrical discharges using radio-frequency, current and voltage measurements*, M. A. Sobolewski, Appl. Phys. Lett., Vol. 72, No. 10, 9 March 1998.

Sobolewski's technique relies on external measurements of the radio-frequency RF current and voltage at the wafer electrode. The RF signals are generated by the RF bias power which is normally applied to wafers during processing.

The $I(t)$ waveform is the sum of several currents, which can be expressed as

$$I(t) = -I_p + I_e(v_{max}) \exp((v(t) - v_{max})/T_e) + C(t) dv/dt \quad \text{Eq. 1}$$

where:

$I(t)$ is the time dependent current measured at the electrode

$v(t)$ is the time dependent voltage measured at the electrode

I_p is the dc ion current to the surface of the wafer

v_{max} is the maximum value of $v(t)$

$I_e(v_{max})$ is the thermal electron current to the wafer at v_{max}

so that $I_e(v_{max}) = I(v_{max}) - I(v_{min})$ where v_{min} is the minimum value of $v(t)$.

$v(t)$ is the time dependent voltage at the wafer electrode

C is the capacitive component of the plasma impedance.

The capacitive component C is time dependent and depends on the voltage $v(t) - v_{max}$.

5

The first term on the right hand side of equation 1 is the ion current. It is negative, corresponding to a flow of positive ions from the plasma to the electrode. The second term is the electron current, for a Maxwell–Boltzmann distribution of plasma electrons at temperature T_e in volts. The final term is the sheath displacement current which assumes the sheath and bulk plasma can be represented by a voltage dependent capacitor.

10

When the voltage $v(t)$ is negative, electrons in the plasma are strongly repelled from the electrode by the negative DC bias, and the electron current in Eq. 1 will be negligibly small. Furthermore, when $dv/dt = 0$, the charging current is zero.

15

Therefore, at the time t_o , when $v(t)$ reaches its minimum value, both the electron current and the charging current are negligible. The value of the current waveform at that time is therefore equal to the ion current, $I(t_o) = I_o = -I_p$.

20

Fig. 1 shows the $I(t)$ and $v(t)$ signals from an RF biased plasma electrode and the Sobolewski method to extract I_o . Thus, the ion current can be determined using very general arguments, with no need for a detailed model of the displacement current or the electron current.

25

The Sobolewski paper represented a breakthrough in that he showed that the ion current, which is a dc current, could be measured through a non conducting dielectric, but in practice the technique proposed by Sobolewski has two major drawbacks limiting its implementation in real process plasma.

30

The first and most significant is that the time window to measure I_o is small and any inaccuracy in the measurement of t_o causes a significant error in the value of I_o .

Second, in this technique it is assumed that any resistive component caused by electron collisions is ignored. This assumption does not apply to many process plasmas.

- 5 In general the technique requires advanced electronics to capture the waveforms to the resolution required which adds significantly to the cost.

Disclosure of the Invention

There is provided a method of measuring ion current between a plasma and an electrode
10 in communication with said plasma, wherein a time-varying voltage is measured at said electrode and a time-varying current through said electrode is measured, the method comprising the steps of:

- (a) recording, for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$; and
15 (b) obtaining from said current and voltage values a value of said ion current; wherein:

said electrode is insulated from said plasma by an insulating layer, such that said current values lack a DC component; and

- said step of obtaining a value of said ion current comprises performing a
20 mathematical transform effective to:
- (i) express said current and voltage values as a relationship between the real component of current through said electrode and the voltage, thereby eliminating a capacitive contribution to the current through the electrode;
 - (ii) isolating from said real component of current through the electrode an
25 isolated contribution attributable to an ion current and a resistive term, said contribution being free of any electron current contribution;
 - (iii) determining from said isolated contribution a value of ion current.

The justification for this method will be discussed below in greater detail. However,
30 one may note that this method is designed to work for an electrode which is in series with the plasma through an insulating layer and which thus has no net conduction current, whereas a Langmuir probe depends on a conduction current path. A Langmuir

probe loses accuracy when the surface of the probe becomes shielded by deposition of weakly conducting or insulating material, whereas this method is designed to work with an electrode shielded from the plasma by an insulator.

- 5 While there is no net conduction current through such an insulator, we have discovered that there is nevertheless a real current flow, and it is possible to measure a current-voltage transfer function for that current. It is further possible to confine measurements to exclude any current flow attributable to an electron current, and thereby find a linear relationship between the real current-voltage transfer function and the ion current
- 10 flowing across the plasma sheath layer and through the resistive plasma. The contribution attributable to an electron current may be eliminated for example by choosing, where the amplitude of v' greatly exceeds the electron temperature expressed in units of voltage, only measurements where $v' < 0$ or by noting that, in the frequency domain, this electron current approximates a delta function, which provides a constant
- 15 contribution at all frequencies; by subtracting such a constant found across all frequencies, one can eliminate the current flow attributable to electron current.

Preferably, said step of expressing said current and voltage values comprises obtaining an average of the current values measured for each of a plurality of discrete voltage

20 values.

Preferably, said step of isolating a contribution attributable only to ion current and a resistive term comprises determining a threshold voltage below which electron current is inhibited, and isolating a set of current values corresponding to a set of voltage values

25 below said threshold.

Preferably, said step of determining from said isolated contribution a value for the ion current, I_p , comprises solving, for values of v' less than said threshold, the equation:

$$\Sigma I(v') / n = -I_p + v' R_p / |z| ,$$

30 where:

R_p is the plasma resistance,

$$|z| = \{ R_p^2 + (1 / \omega C(t))^2 \} ,$$

$\omega = 2\pi f$, where f is the frequency of the RF voltage on the electrode, and $C(t)$ is the time-dependent capacitive component of the plasma impedance.

The method may also comprise the step of calculating the resistive term $R_p/|z|$ as a solution to the same equation: $\Sigma I(v') / n = -I_p + v' R_p/|z|$. In cases where the resistive term only is required, the equation can simply be solved for that term and not for the ion current.

Preferably, the time-varying voltage is a sinusoidal voltage applied to said electrode.

Further, preferably, said plurality, n , of current values $I(v')$ measured for each of a plurality of voltage values, v' , include approximately $n/2$ values measured where the voltage is increasing and approximately $n/2$ values measured where the voltage is decreasing.

In this way a capacitive-dependent element of the relationship can be ignored for values of $v' < 0$ since this capacitive-dependent element changes sign with dv/dt , so that by taking large numbers of measurements, approximately half of which are measured with positive dv/dt and half with negative dv/dt , the capacitive terms cancel one another out when the values are averaged for all n .

Preferably, the voltage is a periodically varying voltage and said current values $I(v')$ are measured at times which are uncorrelated with the period of the voltage.

Put another way, the method can be carried out by taking large numbers of current measurements at random times with respect to the time-varying voltage, so that statistically one will collect enough measurements for each value v' to ensure roughly equal numbers of increasing-voltage and decreasing-voltage values, as well as providing a highly accurate average current for each voltage value.

The method may further include the steps of:

- (d) calculating the thermal electron current at v_{max} , $I_e(v_{max})$ as the difference between the average current $\Sigma I(v_{max}) / n$ measured at a maximum voltage value v_{max} , and the current extrapolated from the linear equation for current as a function of v' , for $v' < 0$, in accordance with the equation:

$$I_e(v_{max}) = (\Sigma I(v_{max})/n + I_p - v_{max} R_p/|z|); \text{ and}$$

- (e) calculating, for values of $v' > 0$, the electron temperature T_e from the equation:

$$(\Sigma I(v') / n + I_p - v' R_p/|z|) / I_e(v_{max}) = \text{Exp}((v' - v_{max})/T_e).$$

It will be appreciated that in this equation the terms I_p and $R_p/|z|$ are preferably derived in accordance with the methods set out herein. However, it is also possible to carry out the electron temperature calculation as above without having used the methods disclosed here for calculation of I_p and $R_p/|z|$. It is also possible, as outlined in further detail below, to carry out an operation in the frequency domain which arrives at the same result.

15

Preferably, the method further comprises the step of:

determining, from the equation $\text{Sqrt}([I(v') - \Sigma I(v') / n]^2) = \omega v' / \{C(v') \omega^2 |z|\}$, the voltage-dependent capacitance, $C(v')$.

20 This then allows one to solve the equation:

$$C(t) = \varepsilon A / 7411 \sqrt[3]{Ne/(v(t) - V_p)}$$

to obtain the electron density, N_e , and the plasma potential, V_p , where A is the electrode area and ε is the permittivity of free space, in MKS units.

25 Which is equivalent to solving:

$$C(v') = \varepsilon A / 7411 \sqrt[3]{Ne/(v' - V_p)}$$

This can be solved in conjunction with the equation

$$(\Sigma I(v') / n + I_p - v' R_p/|z|) / I_e(v_p) = \text{Exp}((v' - p)/T_e).$$

30 Knowing that $I_e(V_p)$ is the thermal flux of electrons at the plasma potential,

$$I_e(V_p) = \frac{1}{4} e N_e V_{th} A$$

where V_{th} is the thermal velocity $= \sqrt{(8Te e/\pi Me)}$, A is the area of the electrode and Me is the mass of the electron and e is the electronic charge. Te is in units of Volts.

5

The electron density and temperature determine the flux of current $I_e(v')$ to an electrode. When $I_e(v')$ is equal to the thermal flux to an unbiased electrode based on the measured value of N_e and Te then this value v' must equal V_p .

10 The general method outlined above may alternatively be carried out using Fourier transform methods, as will now be disclosed.

Preferably, said step of expressing said current and voltage values comprises performing a Fourier transform to obtain a series of Fourier components representing the real
15 electrode current.

Preferably, said step of isolating a contribution attributable only to ion current and a resistive term comprises identifying within said series of Fourier components one or more components attributable only to an electron current and subtracting said one or
20 more electron current components to leave a remainder attributable only to ion current and a resistive term.

Preferably, said step of determining from said isolated contribution a value for the ion current, I_p , comprises solving the equation for A_0 , the zeroth order Fourier coefficient:
25 $A_0 = C_1 - I_p = 0$, where C_1 is the magnitude of the second order Fourier coefficient.

There is also provided a method of measuring ion current between a plasma and an electrode insulated from said plasma by an insulating layer, wherein a time-varying voltage is measured at said electrode and a time-varying current through said insulating
30 layer is measured, the method comprising the steps of:

- (a) recording, for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$ at different times;

- (b) calculating, for each of said plurality of discrete voltage values v' , the real current-voltage transfer function $\Sigma I(v') / n$; and
- (c) identifying, from said real current-voltage transfer function, a contribution comprising values attributable to ion current and not to electron current;
- 5 (e) calculating from said identified contribution a value for the ion current.

There is further provided a method of measuring ion current between a plasma and an electrode insulated from said plasma by an insulating layer, wherein a time-varying voltage is measured at said electrode and a time-varying current through said insulating
10 layer is measured, the method comprising the steps of:

- (a) determining the real time-dependent current as a function of the time-varying voltage;
- (c) transforming said function into a frequency domain to generate a plurality of different frequency components;
- 15 (d) identifying among said frequency components a contribution attributable to ion current and not to electron current;
- (e) calculating from said identified contribution a value for the ion current.

All of the methods above are preferably carried out by a suitably programmed computer
20 which may be a general purpose computer or a dedicated machine.

Therefore, there is also provided a computer program product comprising a data carrier having recorded thereon instructions which when executed by a processor are effective to cause said processor to calculate an ion current between a plasma and an electrode
25 insulated from said plasma by an insulating layer, wherein a time-varying voltage is applied to said electrode and a time-varying current through said insulating layer is measured, the instructions when executed causing said processor to carry out any of the methods disclosed herein.

30 There is also provided an apparatus for measuring ion current between a plasma and an electrode insulated from said plasma by an insulating layer, comprising:

- (a) a voltage source for applying a time-varying voltage to said electrode;

- (b) a current meter for measuring a time-varying current through said insulating layer such that for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$ are measured at different times;
- (c) a processor programmed to calculate a value for the ion current, by performing a mathematical transform effective to:
- (i) express said current and voltage values as a relationship between the real component of current through said electrode and the voltage, thereby eliminating a capacitive contribution to the current through the electrode;
 - (ii) isolate from said real component of current through the electrode an isolated contribution attributable to an ion current and a resistive term, said contribution being free of any electron current contribution; and
 - (iii) determine from said isolated contribution a value of ion current.

Mathematical justification: measurement of ion current and plasma resistance

It will be recalled that Eq. 1 was the Sobolewski equation, which had certain inaccuracies. A more accurate equation which contains a resistive component and a sheath capacitance and can be more widely applied to an RF biased electrode in a plasma is (using the same notation as Eq. 1):

$$I(t) = -I_p + I_e(v_{max}) \exp((v(t) - v_{max})/T_e) + v(t) R_p / |z| + dv(t)/dt / \{C(t)\omega^2 |z|\} \quad \text{Eq. 2}$$

Where

$$|z| = \{ R_p^2 + (1/\omega C(t))^2 \}$$

R_p = the plasma resistance in series with the sheath capacitance.

$\omega = 2\pi f$, where f is the frequency of the RF voltage on the electrode.

In Eq. 2, which simplifies to Eq. 1 when R_p is zero, I_o now contains I_p and the resistive term $v(t) R_p / |z|$ and the Sobolewski method does not work.

In Fig. 2 we show, in the case of a sinusoidal voltage, that at time $t_1 = \pi/\omega + \delta$ the voltage equals v' , where δ is a arbitrary time defined as $-\pi/(2\omega) > \delta < \pi/(2\omega)$. We also show that at $t_2 = 2\pi/\omega - \delta$ the voltage also equals v' .

In subsequent times the voltage v' only occurs at times equal to $t = n\pi/\omega - (-1)^n \delta$ where n is an integer which increments twice in each period. We also note that for all positive values of δ less than $\pi/(2\omega)$, then v' is negative so that no electrons are present. We can now construct a series of equations for $n = 1$ upwards using Eq.2 and ignoring the electron current.

For $n=1$: $I(t_1) = -I_p + v' R_p/|z| + v' C(t)/|z| \left| dv/dt \right|_{v=v'}$

10 **For $n=2$:** $I(t_2) = -I_p + v' R_p/|z| - v' C(t)/|z| \left| dv/dt \right|_{v=v'}$

For $n=3$: $I(t_3) = -I_p + v' R_p/|z| + v' C(t)/|z| \left| dv/dt \right|_{v=v'}$

For $n=4$: $I(t_4) = -I_p + v' R_p/|z| - v' C(t)/|z| \left| dv/dt \right|_{v=v'}$

15

where $dv/dt|_{v=v'}$ is the magnitude of derivative of v with respect to t taken at v' .

As the capacitive term changes sign on alternate values of n then the mean value of the current over a large number of n will average to zero. Note that it is not necessary to take the measurements in sequence. Summing and averaging over n samples we see that:

20

$$\Sigma I(v') / n = -I_p + v' R_p/|z| \quad \text{for } v' < 0 \quad \text{Eq. 3}$$

If we take random samples of $I(v')$ and average the mean will tend to $(-I_p + v' R_p/|z|)$, and this conclusion is valid for all values of δ with magnitude less than $\pi/(2\omega)$.

25

If we now define $\Sigma I(v') / n$ as the real current-voltage transfer function then once we determine $\Sigma I(v') / n$ we can solve a simple linear equation for $v' < 0$ to solve for I_p and the resistive plasma component $R_p/|z|$.

30

Mathematical justification: measurement of electron temperature

If electrons are present, then from Eq. 2 one can again construct a series of equations for each discrete voltage value v' , where $v' > 0$, in which the capacitive term changes sign on alternate values of n so that the mean value of the capacitive term over a large number of n will average to zero:

$$\Sigma I(v') / n = -I_p + I_e(v_{max}) \text{Exp}((v' - v_{max})/Te) + v' Rp/|z| \quad \text{for } v' > 0$$

Rearranging one gets:

$$(\Sigma I(v') / n + I_p - v' Rp/|z|) / I_e(v_{max}) = \text{Exp}((v' - v_{max})/Te), \quad \text{for } v' > 0 \quad \text{Eq. 4}$$

The left hand side of Eq 4 can be found having determined I_p and $Rp/|z|$ as shown above or in some other way. By taking the log of both sides we have a simple linear equation from which to determine Te .

Because $\Sigma I(v') / n$ is the average of all measurements, very high signal to noise ratios can be achieved as the number of samples is increased. The S/N ratio will increase linearly with the square root of the number of samples. It is not required that complex waveforms are recorded or that the sample frequency is higher than the RF frequency allowing for a simple low cost solution where that is required.

Fig. 8 shows a plot of the real current-voltage transfer function $\Sigma I(v') / n$ against v' , for the data plotted in Fig. 1. It is also possible to determine the imaginary current voltage transfer function. We also note that the displacement current $I_c(t) = I(t) - \Sigma I(v') / n$ and that we can remove the time dependence to produce $I_{rms}(v')$ which equals the mean of the square root of $I_c(t)$ squared at each value of voltage v' .

Fig. 9 shows a plot of the imaginary current-voltage transfer function for the data plotted in Fig. 1. As the displacement current is mainly due to sheath capacitance, we can determine the capacitance and its non-linearity with respect to voltage.

Determination of electron current, electron density and plasma potential

The capacitive term is cancelled out when we determine the real current voltage characteristic. As the displacement current is mainly due to sheath capacitance, we can determine the capacitance and its non-linearity with respect to voltage.

- 5 The voltage across the sheath is relative to the plasma potential, V_p . And its capacitance is related to the sheath width, d and the area of the electrode A . We also note that ϵ is the permittivity of free space.

$$C(t) = \epsilon A/d \approx \epsilon A / (\lambda_d (v(t) - V_p) / T_e)^{1/2} = \epsilon A / 7411 \sqrt{\{Ne / (v(t) - V_p)\}} \text{ in MKS units. Eq. 5}$$

10

From Eq. 2 and Eq. 3 we note that

$$I(v') - \Sigma I(v') / n = dv(t)/dt / \{C(t)\omega^2 |z|\}$$

The term on the right changes sign so that if we obtain the root mean square value

$$15 \quad Sqrt([I(v') - \Sigma I(v') / n]^2) = \omega v' / \{C(v')\omega^2 |z|\}$$

We call the average value of $Sqrt([I(v') - \Sigma I(v') / n]^2)$ taken over many samples the imaginary voltage-current transfer function and we can determine the voltage (or time) dependant capacitance $C(v')$ from this function for a sinusoidal voltage.

20

From Eq. 3, we can obtain the resistive term $R_p/|z|$ (let us denote this as $A = R_p/|z|$).

From Eq. 5, we can obtain the capacitive term $1 / \{C(v')\omega |z|\}$ (let us denote this term by the function $B(v') = 1 / \{C(v')\omega |z|\}$).

25

So that:

$$R_p = A|z|$$

$$1 / \{C(v')\omega\} = B|z| \quad \dots \text{ (for clarity the dependence on } v' \text{ is omitted)}$$

$$|z| = (A|z|)^2 + (B|z|)^2 \quad \dots \text{ (by definition)}$$

30

$$= 1/(A^2 + B^2)$$

Once $|z|$ is known we can find $C(v')$ and R_p . Once $C(v')$ is known we can use Eq. 5 to solve for N_e and V_p .

Furthermore, the electron current I_e , as a function of voltage in a Maxwellian approximation is known when N_e , T_e and V_p are known. We can use Eq. 4 to verify values of V_p , N_e by extrapolating Eq4 to V_p . In this way all the key plasma parameters can be determined from the real and imaginary voltage current transfer functions.

Because $\Sigma I(v') / n$ is the average of all n measurements, very high signal-to-noise ratios can be achieved as the number of samples is increased. The S/N ratio will increase linearly with the square root of the number of samples. It is not required that complex waveforms are recorded or that the sample frequency is higher than the RF frequency allowing for a simple low cost solution where that is required.

There is further provided a method of calculating the electron current I_e by determining a log-linear relationship for said real current-voltage transfer function for values of $v' > 0$, and extrapolating said linear relationship to determine the resulting current I_e at the plasma potential V_p .

Brief Description of the Drawings

Fig. 1 shows the $I(t)$ and $v(t)$ signals from an RF-biased plasma electrode and the Sobolewski method to extract I_0 ;

Fig. 2 again shows the $I(t)$ and $v(t)$ signals from an RF-biased plasma electrode, and illustrates the voltage v' measured at the times satisfying $t = n \pi / \omega - (-1)^n \delta$;

Fig. 3 is a schematic diagram of a first sensor for use in measuring a current-voltage characteristic;

Fig. 4 is a schematic diagram of a sensor array embedded in a placebo wafer;

Fig. 5 is a schematic diagram of a first apparatus for measuring plasma parameters;

Fig. 6 is a schematic diagram of a second apparatus for measuring plasma parameters;

Fig. 7 is a schematic diagram of a third apparatus for measuring plasma parameters;

Fig. 8 is a plot of the real current-voltage transfer function, $\Sigma I(v') / n$, for the data shown in Fig. 1; and

Fig. 9 is a plot of the imaginary current-voltage transfer function, $\text{Sqrt} ([I(v') - \Sigma I(v')/n]^2)$, for the data shown in Fig. 1.

Fig. 3 shows a schematic diagram of a first sensor for use in measuring a current-voltage characteristic. The sensor is a differential I-V sensor embedded in a dielectric material 10 such as ceramic, and comprises a pick-up loop 12 in which the induced current is proportional to a current between two conducting plates 14, 16 which are separated by a distance d along the lines of an applied E-field. The output of the sensor is calibrated at different frequencies to give accurate values of differential voltage and current.

In use the dielectric material with the embedded sensor is placed on the electrode in place of a substrate. An RF field is applied to the source electrode. The embedded sensor electrode is exposed to an RF bias. The coil and capacitive plates pick up the $I(t)$ and $V(t)$ signals, and these are converted to digital values for processing by the embedded sensor controller (Fig. 4).

Fig. 4 shows a “placebo wafer”: a silicon wafer having similar dimensions and physical characteristics to a wafer used in a manufacturing process employing a plasma, for use in determining the parameters of that plasma. The placebo wafer 20 has embedded therein a plurality of I-V sensors 22 of the type illustrated in Fig. 3, all of which are connected to a control processor 24. An electrode with multiple probes can be used to measure the spatial evolution of plasma parameters across a region of interest such as the surface of a wafer, or solar panel or other substrate.

The control processor is integrated with a storage medium for capturing the output of the individual sensors for later analysis when the placebo wafer is removed from the plasma process.

The control processor performs the following main functions;

- a) Data sampling and conversion, where the $I(t)$ and $V(t)$ signals from the multiple embedded sensors are sampled at a pre-determined sampling rate and converted to digital values which are stored in memory.
- b) Digital Signal processing, where the converted $I(v)$ and $V(t)$ data points are processed using a digital Fourier transform, the output being a Fourier representation of the voltage current and relative phase of the measured signals.
- c) Post processing, where the acquired data is averaged to improve signal to noise ratio.
- d) Data formatting and storage, where the acquired data is suitably formatted and stored for transmission to the host software.
- e) Transmission of the acquired data to the host software/program for presentation, monitoring and further analysis.

Fig. 5 illustrates the use of the placebo wafer of Fig. 4. The wafer 20 is placed on a chuck 26 which acts as an electrode. The chuck 26 and wafer 20 are within a plasma chamber 28 within which a plasma process 30 operates. A match unit 32 is connected to an RF power supply 34. The power supply drives a voltage at an RF frequency. The match unit matches the non-50 Ohm impedance of the plasma chamber to the 50 Ohm transmission line impedance of the RF power supply. The placebo wafer is exposed to the generated RF field. The sensors on the placebo wafer generate $I(t)$ and $V(t)$ signals at different positions along the wafer. These signals are processed by the embedded controller on the placebo wafer, where they are processed.

Figs. 6 and 7 show two further embodiments, in each of which there are certain common elements including a plasma chamber 40 in which a real process wafer 42 (in contrast to the placebo wafer of Figs. 4 and 5) is mounted on a chuck 44 and exposed to a plasma process 46.

In the Fig. 6 embodiment, a match unit 48 is connected between an I-V sensor 50 and an RF power supply 52. The sensor 50 is coupled to the chuck 44. The output from the

sensor (providing the measured current as a function of applied voltage) is picked up by a data analysis and storage unit 54 which is connected to a computer (not shown) to perform analysis of the stored data and thereby calculate the plasma parameters.

- 5 In the Fig. 7 embodiment a match unit 56 is connected between an RF power supply 58 and the chuck 44. An arbitrary waveform generator 60 drives an I-V sensor unit 62 having embedded electronics and storage. The sensor unit 62 is coupled to a probe 64 extending into the plasma process. The measured I-V response from the sensor (providing the measured current as a function of applied voltage) is stored in the
10 embedded storage which is connected to a suitably programmed computer (not shown) to perform analysis of the stored data and thereby calculate the plasma parameters, either in real time or as a later batch process.

It will be appreciated that the data can be wirelessly transmitted between components
15 and that any suitably networked system can be substituted for a stand-alone computer, and that the distribution of components can take any suitable form. The computer can be replaced with a dedicated microprocessor, with hard-wired electronic circuitry, or with any other suitably programmed apparatus to perform the required data analysis and calculations.

20

A typical programmed data processing operation will now be described. The apparatus is controlled to apply a time-varying voltage to the sensor and to measure the resulting current arising picked up by the coil through the insulator of the sensor.

- 25 Measurements are taken of the voltage $v(t)$ and the current $I(v)$ on the electrode placed in the plasma. Current can be measured by means of an inductive pick-up and voltage by means of a capacitive pick-up. The I-V probe is calibrated over a broadband of frequencies typically to 10 times the fundamental of the applied RF voltage. The sampling rate of the I-V probe can be any suitable frequency and need not exceed the
30 fundamental, reducing the cost of the system.

The sensor is calibrated in-situ to remove the effects of parasitic capacitance and resistance and to give a true value of the current and voltage at the electrode, taking into account transmission line effects between the location of the sensor and the electrode.

- 5 The recorded current at the electrode is continuously incremented into a current table in rank order with the measured voltage taken at the same time.

For example the Current rank table could contain entries for ranks from 0 – 100 for an applied voltage that has an amplitude of 50V peak (i.e. each rank covers an interval of 1
10 volt). A second Count table is used as an index to obtain the current average. If the voltage is 49.6 and the current .13 amps then the current is added to the rank 100 that is between 49 and 50 volts and the Count(100) entry is incremented by one. If the next measurement is -20 V and -.1A then -.1A is added the 30th rank between -20 and -19 volts and the count index at location 30 (Count(30)) is incremented by one. This
15 procedure continues at ideally the full sample rate until a measurement of ion flux is required.

Supposing the sample rate is 10 million samples per second and 10 measurements per second are required. At the end of 100ms the process would have added 1 million current values into the Current table with each location containing on average 10,000
20 measurements (the distribution will not be exactly uniform due to the sinusoidal variation in voltage which means that not more samples are collected towards the maximum and minimum voltages if the sample rate is uniform, but by collecting a number of samples there will still be an ample number collected for each voltage rank). The exact number of current measurements in each location of the Current table would
25 be recorded in the count table. A new table, AvCurrent table is created by dividing each value of the Current table with the corresponding index table value $AvCurrent(Vrank) = Current(Vrank)/Count(Vrank)$ for $Vrank = 0$ to 100.

During the negative part of the voltage cycle the electrode collects ion current and
30 electrons are repelled as the voltage becomes more positive electrons are collected. Over the whole cycle the net current is zero as no net current flows in a capacitor.

Pseudocode implementation:

```

inc = 1 line 1
For t = 0 to T line 2
5 Vmin = min(v(t)) line 3
Vmax = max(v(t)) line 4
i = integer((v(t)-Vmin)/inc) line 5
IR(i) = IR(i) + I(t) line 6
IC(i) = Ic(i) + 1 line 7
10 II(i) = II(i) + sqrt((I(t)-IR(i)/IC(i))^2) line 8
IE = IR((Vmax-Vmin)/int)/IC(Vmax-Vmin)/int-IR(0)/IC(0) line 9
Then for i < (-Vmin/inc) line 10
Solve line 11
IR(i)/IC(i) = -Ip + (i*inc+Vmin) Rp/|z|
15 To obtain A = Rp/|z| line 12
Then for i > (-Vmin/inc) line 13
Solve line 14
Log((IR(i)/IC(i))+Ip-(i*inc+Vmin)Rp/|z|)-log(IE)
= ((i*inc+Vmin)-Vmax)/TE line 15
20 Solve line 16
II(i)/IC(i) = (i*inc+Vmin)/{C(i)* omega*|z|}
To obtain B = 1/{C(i)* omega*|z|} line 17
Solve line 18
|z| = 1/(A^2 + B^2) line 19
25 Using value for |z| obtain Rp from A line 20
Using value for |z| obtain C from B for each v' line 21
Solve line 22
C(v') = εA/7411 √{Ne/(v'-Vp)}
To obtain value for Ne and Vp line 23
30
Remarks:
Line 1: 1 volt per increment in rank
Line 5: converts measured voltage v(t) into the corresponding rank i. So for Vmin
= -50 and Vmax = +50, i will range from 0 to 100. For Vmin = -20 and
35 Vmax = +20 with inc = 0.2 (i.e. rank interval = 0.2 volts), i will range from
0 to 200
Line 6: IR is real transfer function. The value of each current measurement I(t) is
added to a cumulative aggregate total of all of the current values measured
for voltages v(t) falling within the same rank i. Each rank i therefore has
40 its own associated cumulative total IR(i).

```

- Line 7: increments a count register for that rank.
- Line 8: Π is the imaginary transfer function, and for each measurement $I(t)$ the expression $Sqrt([I(v') - \Sigma I(v') / n]^2)$ is evaluated and added to a cumulative register $\Pi(i)$ for the associated voltage rank, for use in later calculations.
- Line 9: calculating the thermal electron current $I_e(v_{max})$ as the difference between the current $I(v_{max})$ measured at a maximum voltage value v_{max} , and the current $I(v_{min})$ measured at a minimum voltage value v_{min} .
- Line 10: for $v(t) < 0$
- 10 Line 12: equivalent to the equation $\Sigma I(v') / n = -I_p + v' R_p / |z|$, which can be solved for the intercept $-I_p$ and the slope $R_p / |z|$.
- Line 13: for $v(t) > 0$
- Line 15: equivalent to the equation $\log_e(\Sigma I(v') / n + I_p - v' R_p / |z|) - \log_e(I_e(v_{max})) = (v' - v_{max}) / T_e$, which can be solved for T_e
- 15 Line 17 equivalent to the equation $Sqrt([I(v') - \Sigma I(v') / n]^2) = \omega v' / \{C(v') \omega^2 |z|\}$

The present invention solves the equations by means of an averaging technique that is much less sensitive to noise and can measure R_p , T_e and V_p . It thus overcomes the drawbacks of the current art and can measure the ion flux, and other key plasma parameters on any RF biased electrode including the substrate. The technique can measure the ion flux to an RF biased substrate or surface without the need for a special probe to be mounted in the chamber. The technique can also use the existing RF bias which may already be present. Further the technique does not need to pulse on and off an RF but can measure the ion flux directly even when the RF is continuously applied to a capacitive-coupled electrode.

The technique meets the needs of plasma systems to measure ion flux and electron temperature on the RF biased substrate or electrode and is a simpler and less expensive way than the known art. The technique is versatile and can provide a powerful diagnostics of a wide range of plasma chambers. The technique also allows the measurement of other key parameters such as effective plasma resistance which is linked to the effective electron collision frequency. The technique can determine electron density and plasma potential. In this regard the technique is more versatile than a Langmuir probe which is the standard technique used in research reactors but not suitable to process reactors.

Harmonic analysis

A similar approach using the real components of Fourier transforms of current and voltage can also achieve similar results. An important conclusion disclosed here is that the magnitude of the real component of current to the electrode is approximately equal to the ion flux for cases where $V_{Rp} < \text{IonFlux}$. Furthermore, where the amplitude of $V \gg KTe$, then the real component of the first harmonic also approaches the amplitude of the ion flux even when $V_{Rp} > \text{IonFlux}$.

- 10 If one takes the real current-voltage characteristics and then notes, where the amplitude of v' greatly exceeds the electron temperature expressed in units of voltage, the electron current approaches a delta function about v_{max} , we can now remove the electrons in voltage space, as described above, by staying at negative voltages (away from v_{max}), or in Fourier space by noting the properties of a delta function in time. The key is to use the delta function to eliminate the electrons.

In a voltage-current transfer function we express the current as a function of voltage rather than time:

$$20 \quad I(v(t)) = -I_p + R/|z| * v(t) + Ie(v_{max}) \text{Exp}((v(t) - v_{max})/Te) + dv(t)/dt / \{C(t)\omega^2|z|\}$$

For simplicity we assume $v(t)$ has the form $v_{max} \sin(wt)$. The real voltage-current transfer function will be of the form

$$25 \quad \text{Real}(I(v(t))) = -I_p + R/|z| v_{max} \cos(wt) + Ie(v_{max}) \text{Exp}((v_{max} \sin(wt) - v_{max})/Te)$$

- In the limit $v_{max}/Te \gg I$ the term on the right tends towards a delta function centered on v_{max} so that this term is effectively zero when $\cos(wt)$ is negative, that is during the negative half cycle of the voltage. It also means that the Fourier cosine components of $+Ie(v_{max}) \text{Exp}((v_{max} \sin(wt) - v_{max})/Te)$ tend towards a constant, $C1$, including the DC component. Because we have a dielectric layer then the dc component is zero and by definition $I_p = C1$. A more formal mathematical derivation follows:

The real and imaginary current-voltage transfer functions are expressed in terms of current as a function of voltage. We express the current as a function of the time independent voltage value v' . But v' can also be expressed as a function of time. In the case of the real current-voltage transfer function this is expressed as $v' = v_{\max} \cos(\omega t)$. In the case of the imaginary current-voltage transfer function it is expressed as $v' = v_{\max} \sin(\omega t)$.

It is also possible to replace the analysis by using Fourier analysis. F_c is the Fourier Cosine Transform and extracts the real component of the function. In many practical applications it is possible to assume that the voltage is a sinusoidal signal with amplitude V_0 . We also note that $v_{\max} = V_0$ by definition. Then:

$$Fr(v') = Fr(V_0 \cos(\omega t)) = A_0 + A_1 \cos(\omega t) + A_2 \cos(2\omega t) + \dots \quad \text{Eq. 6}$$

Where Fr represents the real component of the Fourier transform.

$$Fr(v') = -I_p + R/|z| * v' + I_e(v_{\max}) \exp((v(t) - v_{\max})/T_e) \quad \dots \text{ [from Eq. 2]}$$

$$Fr(v') = -I_p + R/|z| * V_0 \cos(\omega t) + I_e(V_0) \exp((V_0 \cos(\omega t) - V_0)/T_e) \quad \text{Eq. 7}$$

From Eqs. 6 & 7:

$$\begin{aligned} & A_0 + A_1 \cos(\omega t) + A_2 \cos(2\omega t) + \dots \\ & = -I_p + R/|z| * V_0 \cos(\omega t) + I_e(v_{\max}) \exp((V_0 \cos(\omega t) - v_{\max})/T_e) \end{aligned} \quad \text{Eq. 8}$$

This equation is now a function of time. Taking the fourier cosine transform of Eqs. 6 and 8 and measuring a number of real current harmonics allows us to solve for I_p and other parameters.

In the vast majority of plasmas, V_0/T_e will exceed 10 and so the approximation $V_0/T_e \rightarrow \infty$ is valid, at least for the first few harmonic components. In the limit of $V_0/T_e \rightarrow \infty$, the exponential term approaches a delta function at V_0 . Then the Fourier Transform of the exponential term is just a constant C_1 at all frequencies.

$$A_0 = -I_p + C_1$$

$$A_1 = R/|z| * V_0 + C_1$$

$$A_2 = C_1; A_3 = C_1; \dots A_n = C_1 \text{ (for } n \geq 2 \text{)}$$

- 5 A_0 is the direct current term and as there is a dielectric blocking the DC this means that A_0 must be zero, then $C_1 = I_p$. We can now measure the amplitudes associated with the first order and second order terms, A_1 and A_2 , and solve for C_1 , I_p and the resistive term $R/|z|$.
- 10 The invention is not limited to the embodiment(s) described herein but can be amended or modified without departing from the scope of the present invention.

Claims:

1. A method of measuring ion current between a plasma and an electrode in communication with said plasma, wherein a time-varying voltage is measured at said electrode and a time-varying current through said electrode is measured, the method comprising the steps of:

- (a) recording, for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$; and
- (b) obtaining from said current and voltage values a value of said ion current;

wherein:

said electrode is insulated from said plasma by an insulating layer, such that said current values lack a DC component; and

said step of obtaining a value of said ion current comprises performing a mathematical transform effective to:

- (i) express said current and voltage values as a relationship between the real component of current through said electrode and the voltage, thereby eliminating a capacitive contribution to the current through the electrode;
- (ii) isolating from said real component of current through the electrode an isolated contribution attributable to an ion current and a resistive term, said contribution being free of any electron current contribution; and
- (iii) determining from said isolated contribution a value of ion current.

2. A method as claimed in claim 1, wherein said step of expressing said current and voltage values comprises obtaining an average of the current values measured for each of a plurality of discrete voltage values.

3. A method as claimed in claim 1 or 2, wherein said step of isolating a contribution attributable only to ion current and a resistive term comprises determining a threshold voltage below which electron current is inhibited, and isolating a set of current values corresponding to a set of voltage values below said threshold.

4. A method as claimed in 3, wherein said step of determining from said isolated contribution a value for the ion current, I_p , comprises solving, for values of v' less than said threshold, the equation:

$$\Sigma I(v') / n = -I_p + v' R_p / |z| ,$$

where:

R_p is the plasma resistance,

$$|z| = \{ R_p^2 + (1 / \omega C(t))^2 \},$$

$\omega = 2\pi f$, where f is the frequency of the RF voltage on the electrode, and

$C(t)$ is the time-dependent capacitive component of the plasma impedance.

5. A method according to claim 4, further comprising the step of calculating the resistive term $R_p / |z|$ as a solution to the same equation: $\Sigma I(v') / n = -I_p + v' R_p / |z|$.

6. A method as claimed in any preceding claim, wherein said time-varying voltage is a sinusoidal voltage applied to said electrode.

7. A method as claimed in any preceding claim, wherein said plurality, n , of current values $I(v')$ measured for each of a plurality of voltage values, v' , include approximately $n/2$ values measured where the voltage is increasing and approximately $n/2$ values measured where the voltage is decreasing.

8. A method as claimed in claim 7, wherein said voltage is a periodically varying voltage and said current values $I(v')$ are measured at times which are uncorrelated with the period of the voltage.

9. A method as claimed in claim 4 or any claim dependent thereon, further comprising the steps of:

(d) calculating the thermal electron current at v_{max} , $I_e(v_{max})$ as the difference between the average current $\Sigma I(v_{max}) / n$ measured at a maximum voltage value v_{max} , and the current extrapolated from the linear equation for current as a function of v' , for $v' < 0$, in accordance with the equation:

$$I_e(v_{max}) = (\Sigma I(v_{max}) / n + I_p - v_{max} R_p / |z|); \text{ and}$$

(e) calculating, for values of $v' > 0$, the electron temperature T_e from the equation:

$$(\Sigma I(v') / n + I_p - v' R_p / |z|) / I_e(v_{max}) = \text{Exp}((v' - v_{max}) / T_e).$$

10. A method as claimed in claim 4 or any claim dependent thereon, further

5 comprising the step of:

determining, from the equation $\text{Sqrt}([I(v') - \Sigma I(v') / n]^2) = \omega v' / \{C(v') \omega^2 |z|\}$, the voltage-dependent capacitance, $C(v')$.

11. A method as claimed in claim 10, further comprising the step of solving the

10 equation:

$$C(t) = \varepsilon A / 7411 \sqrt{\{Ne / (v(t) - V_p)\}}$$

to obtain the electron density, N_e , and the plasma potential, V_p , where A is the electrode area and ε is the permittivity of free space, in MKS units.

15 12. A method as claimed in claim 1, wherein said step of expressing said current and voltage values comprises performing a Fourier transform to obtain a series of Fourier components representing the real electrode current.

20 13. A method as claimed in claim 12, wherein said step of isolating a contribution attributable only to ion current and a resistive term comprises identifying within said series of Fourier components one or more components attributable only to an electron current and subtracting said one or more electron current components to leave a remainder attributable only to ion current and a resistive term.

25 14. A method as claimed in claim 12 or 13, wherein said step of determining from said isolated contribution a value for the ion current, I_p , comprises solving the equation for A_0 , the zeroth order Real Fourier coefficient: $A_0 = C_1 - I_p = 0$, where C_1 is the magnitude of the second order Real Fourier coefficient.

30 15. A method of measuring ion current between a plasma and an electrode insulated from said plasma by an insulating layer, wherein a time-varying voltage is measured at

said electrode and a time-varying current through said insulating layer is measured, the method comprising the steps of:

- (a) recording, for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$ at different times;
- 5 (b) calculating, for each of said plurality of discrete voltage values v' , the real current-voltage transfer function $\Sigma I(v') / n$; and
- (c) identifying, from said real current-voltage transfer function, a contribution comprising values attributable to ion current and not to electron current;
- (e) calculating from said identified contribution a value for the ion current.

10

16. A method of measuring ion current between a plasma and an electrode insulated from said plasma by an insulating layer, wherein a time-varying voltage is measured at said electrode and a time-varying current through said insulating layer is measured, the method comprising the steps of:

- 15 (a) determining the real time-dependent current as a function of the time-varying voltage;
- (c) transforming said function into a frequency domain to generate a plurality of different frequency components;
- (d) identifying among said frequency components a contribution attributable to ion
- 20 current and not to electron current;
- (e) calculating from said identified contribution a value for the ion current.

17. A computer program product comprising a data carrier having recorded thereon instructions which when executed by a processor are effective to cause said processor to

25 calculate an ion current between a plasma and an electrode insulated from said plasma by an insulating layer, wherein a time-varying voltage is applied to said electrode and a time-varying current through said insulating layer is measured, the instructions when executed causing said processor to carry out the method of any of claims 1 to 14.

- 30 18. An apparatus for measuring ion current between a plasma and an electrode insulated from said plasma by an insulating layer, comprising:
 - (a) a voltage source for applying a time-varying voltage to said electrode

- (b) a current meter for measuring a time-varying current through said insulating layer such that for each of a plurality of voltage values, v' , a plurality, n , of current values $I(v')$ are measured at different times;
- (c) a processor programmed to calculate a value for the ion current, by performing a
5 mathematical transform effective to:
 - (i) express said current and voltage values as a relationship between the real component of current through said electrode and the voltage, thereby eliminating a capacitive contribution to the current through the electrode;
 - (ii) isolate from said real component of current through the electrode an
10 isolated contribution attributable to an ion current and a resistive term, said contribution being free of any electron current contribution; and
 - (iii) determine from said isolated contribution a value of ion current.

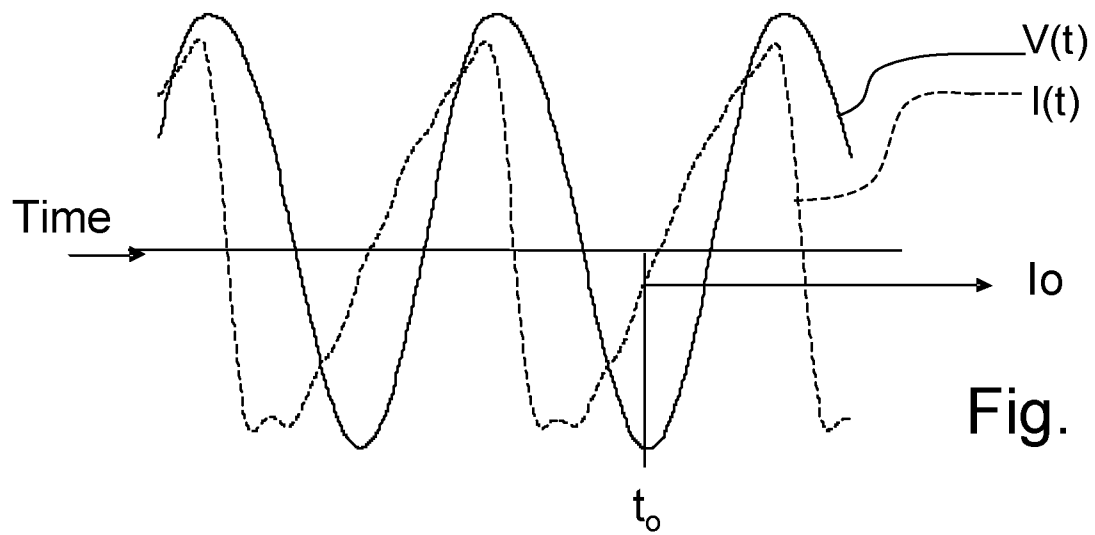


Fig. 1

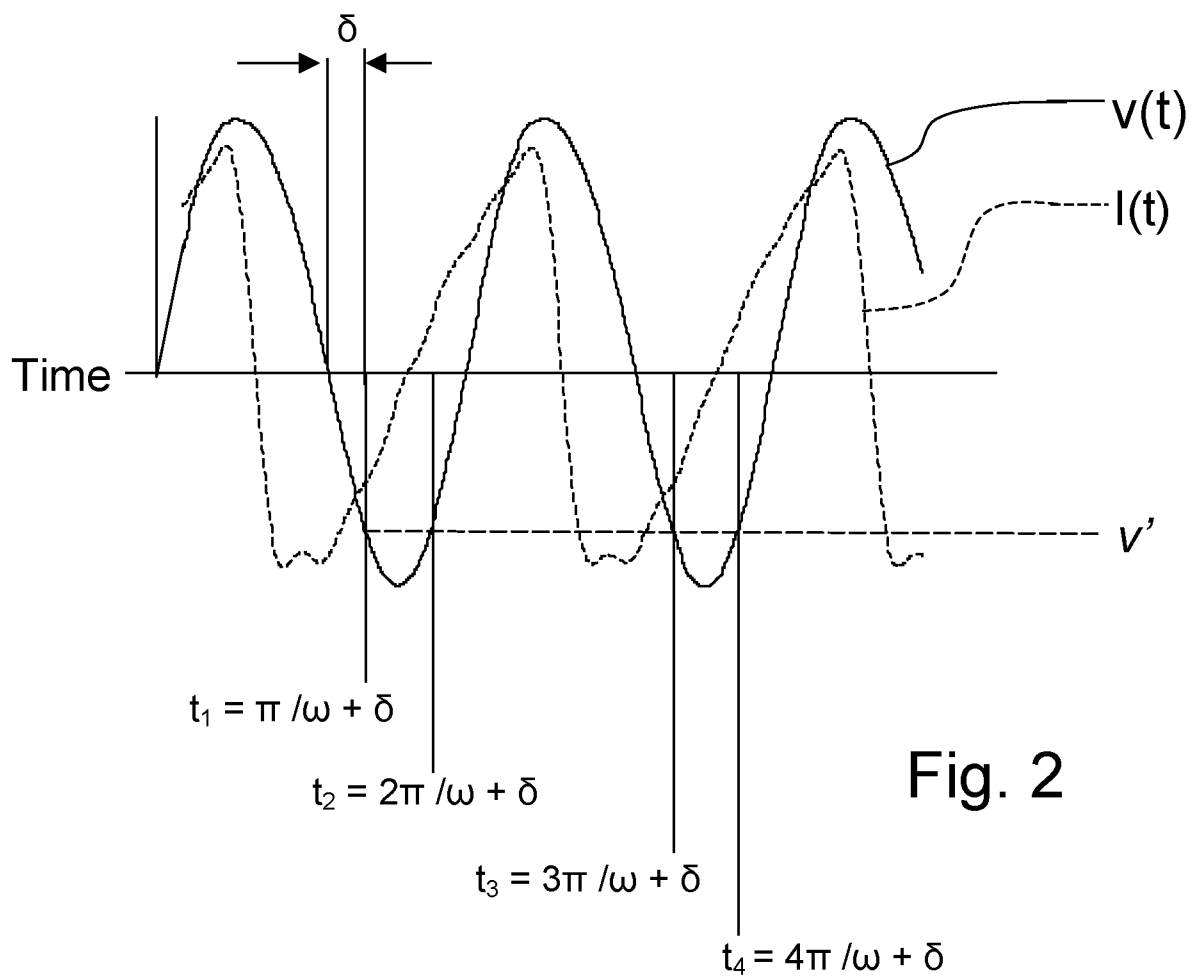
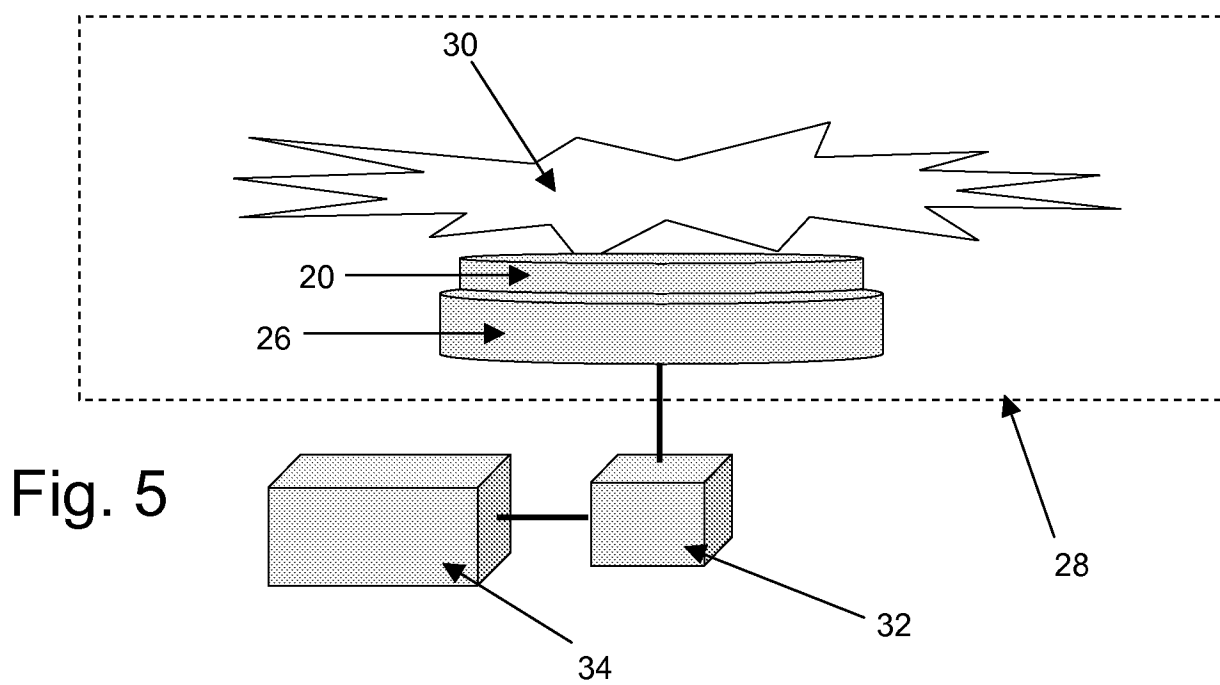
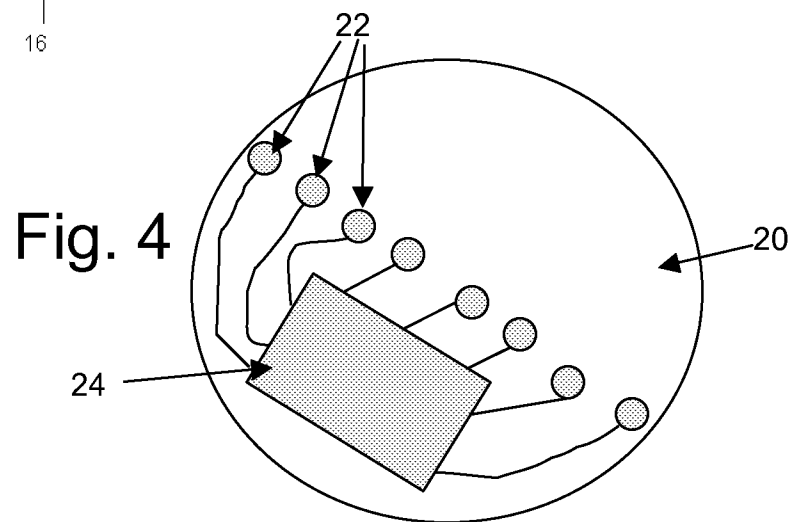
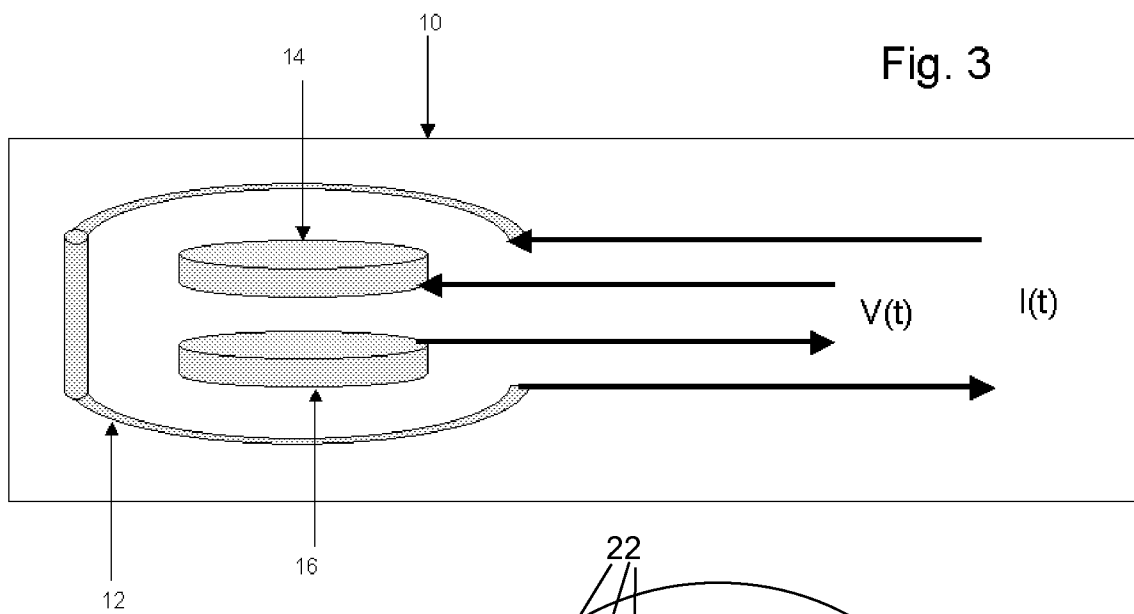
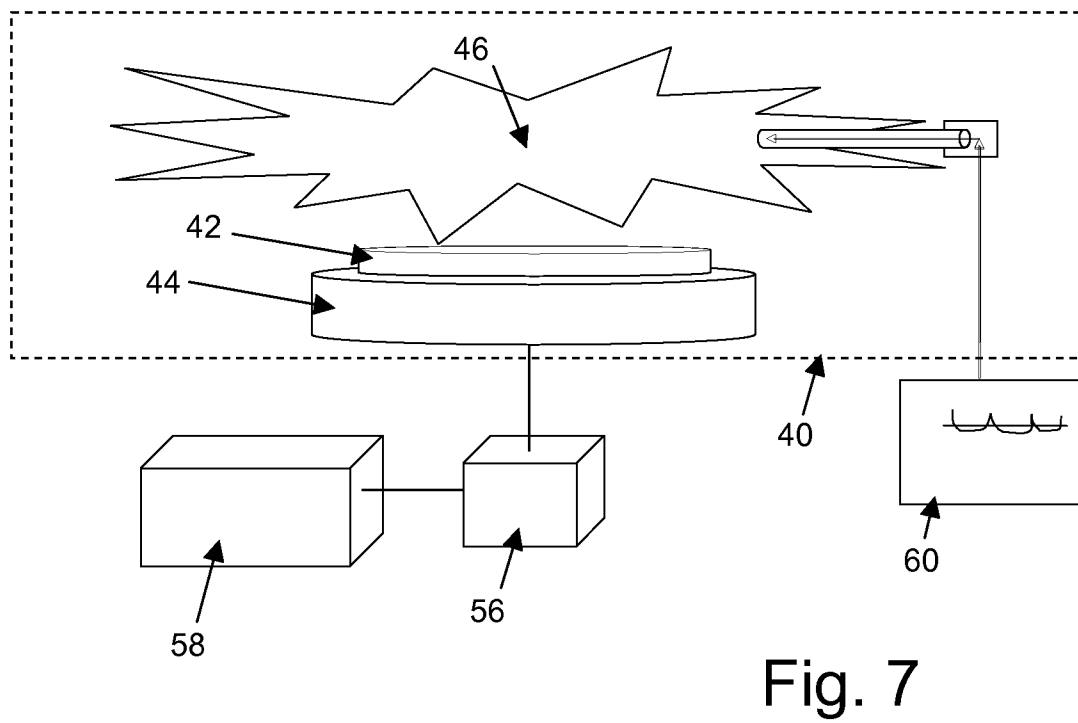
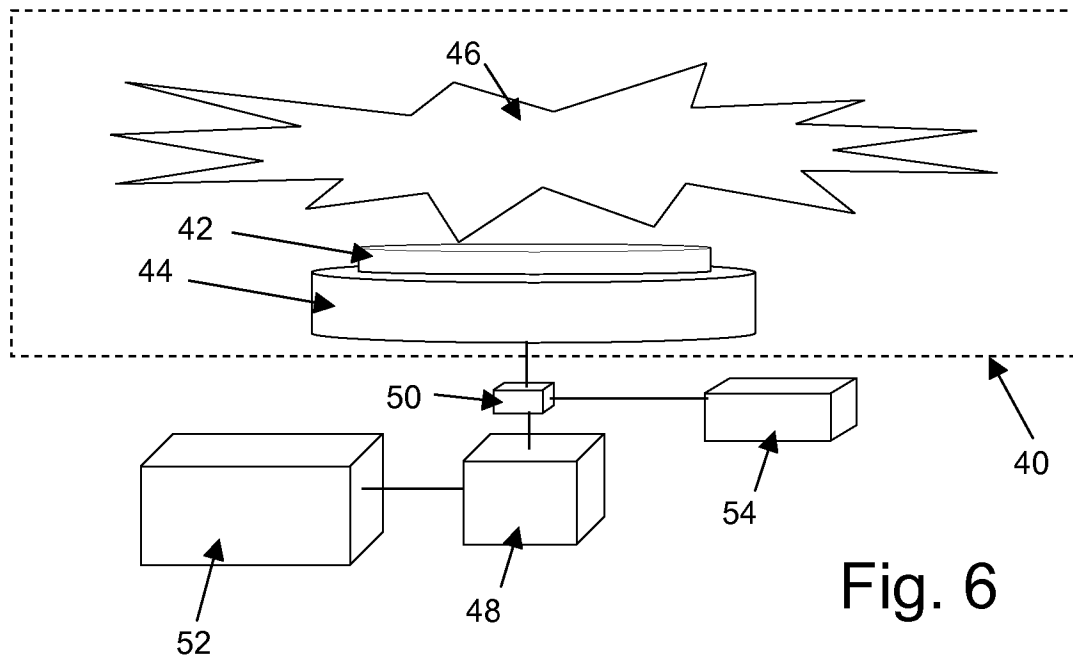


Fig. 2





Real Current-Voltage Transfer Function

$$\Sigma I(v') / n$$

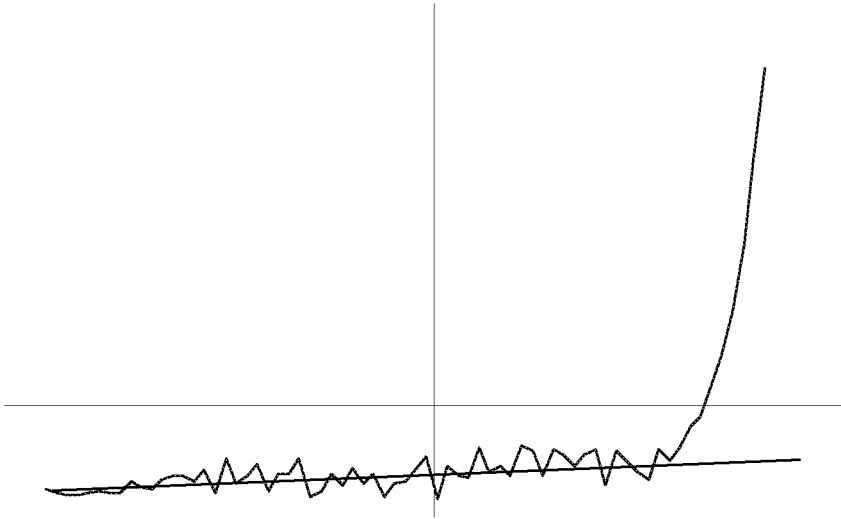


Fig. 8

Imaginary Voltage-Current Transfer Function

$$\text{Sqrt}([I(v') - \Sigma I(v') / n]^2)$$

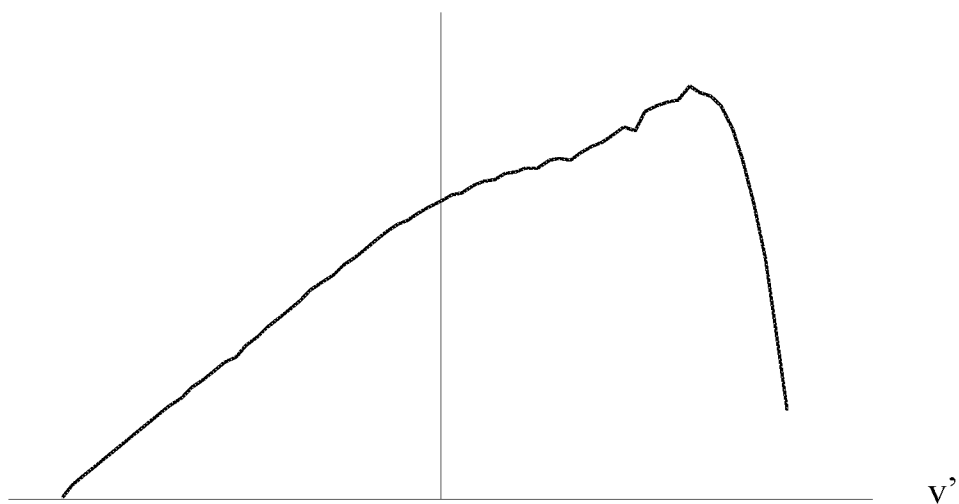


Fig. 9

INTERNATIONAL SEARCH REPORT

International application No
PCT/EP2010/063703

A. CLASSIFICATION OF SUBJECT MATTER
INV. H01J37/32 G01R19/00
ADD.

According to International Patent Classification (IPC) or to both national classification and IPC

B. FIELDS SEARCHED

Minimum documentation searched (classification system followed by classification symbols)
H01J G01R

Documentation searched other than minimum documentation to the extent that such documents are included in the fields searched

Electronic data base consulted during the international search (name of data base and, where practical, search terms used)

EPO-Internal, WPI Data, INSPEC

C. DOCUMENTS CONSIDERED TO BE RELEVANT

Category*	Citation of document, with indication, where appropriate, of the relevant passages	Relevant to claim No.
Y	<p>SOBOLEWSKI M A: "Measuring the ion current in electrical discharges using radio-frequency current and voltage measurements", APPLIED PHYSICS LETTERS, AIP, AMERICAN INSTITUTE OF PHYSICS, MELVILLE, NY, US, vol. 72, no. 10, 9 March 1998 (1998-03-09), pages 1146-1148, XP012019759, ISSN: 0003-6951, DOI: DOI:10.1063/1.121032 * abstract page 1147, column 1, line 9 - column 2, line 30 page 1146, column 2, line 14 - line 23 figures 1,2</p> <p style="text-align: center;">----- -/--</p>	<p>1,3,6,8, 12,13, 17,18</p>



Further documents are listed in the continuation of Box C.



See patent family annex.

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"P" document published prior to the international filing date but later than the priority date claimed

"T" later document published after the international filing date or priority date and not in conflict with the application but cited to understand the principle or theory underlying the invention

"X" document of particular relevance; the claimed invention cannot be considered novel or cannot be considered to involve an inventive step when the document is taken alone

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"&" document member of the same patent family

Date of the actual completion of the international search

31 January 2011

Date of mailing of the international search report

28/02/2011

Name and mailing address of the ISA/

European Patent Office, P.B. 5818 Patentlaan 2
NL - 2280 HV Rijswijk
Tel. (+31-70) 340-2040,
Fax: (+31-70) 340-3016

Authorized officer

Hochstrasser, M

INTERNATIONAL SEARCH REPORT

International application No
PCT/EP2010/063703

C(Continuation). DOCUMENTS CONSIDERED TO BE RELEVANT		
Category*	Citation of document, with indication, where appropriate, of the relevant passages	Relevant to claim No.
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