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(73) , 8050 , 155

(72) , -8050 , 138
:

(54) 가

가 , 가
(Dz) (18) (Tz) (18) (Pz) , (Pf)
(Tz)
,

4

1 가 ,
2 ,
3 ,
4 1 .
1 : , 2 : ,
3 : , 4 : ,
5 : , 6 : ,
7 : , 9 : ,
10 : 가 , 11 : ,
12 : , 13 : ,
14 : , 15 : ,
16 : , 17 : ,

18, 18' : , 19 : ,
 20 : , 21 : 1 ,
 22 : 2 , 23 : 3 ,
 24, 25 : , 26 : ,
 27 : , 28, 29 : ,
 30 : , 31 : ,
 32 : , 33 : ,
 34 : , a : ,
 Pz : , F1~F4 : ,
 C : , : 1가 ,
 : 2가 , Dz : ,
 RT : , VOv : ,
 Vm : , Tz : ,
 ts : , Pf : ,
 α , λ : , Tf : ,
 TG : , Tz(Vm) : ,
 Me : () , Z : .

[illegible]

1, (3), 3 1 3, 2 (3), (1) (4)
 (5), (6) (7) (9)
 (12) (7) (5) (9)
 , , 가 (5) 3 가 가 (Z)
 (Me) (9) , 가 가 (10)
 (2) 가 (10) (11) (12) 가 (10)
 (13) (14) 2 (11)
 (11) (9) (12) (14)
 (12) (9) (16)
 (servo) (15) (17)
 (9) (10,11,12) (1) (2) (18)
 (18) 1 2 가 (18) (ejection load)
 2 (13) (20) 3 (21,22,23)
 (24,25) 1 (21) 2 (22) 3 (23) (26)
 (27) 가 3 (23) (20) 3 (21,22,23)
 (30) (20)
 (31) (32)
 (18)가 (24,25)
 가 (10; 1)
 (24,25) (33) (27)
 (31) (18)가 (Pz)
 (18) 3 Pz (Pz)
 (C) (F1,F2,F3,F4) ()
 (Pz) (m) 가 1가 ()
 (F1,F2,F3,F4) 가 (m²) (m) , 152
 가 (C) 가 10° , 2가 ()
 (F1,F2,F3,F4) 가 가
 64, 16, 7, 4
 (Dz)가 20m , 3.5m 16
 4 4 4' (4)
 (4')
 1 2 (9) (Dz)
 (VOv) (Z) (RT) (ts) , Tz (Pf)
 (Pz) 가 (Pz)
 (3 4). (Vm)
 (Vm) (9) (α) (λ)
 (K) (17) (VOv,Tz,K)
 (Tf = Tz + Ts) (Tz) (11) 1
 (1 4). (α, λ, Tz Tf, VOv,
 K) (i) 가

() (t)

$$\dot{\vec{p}}_G = \vec{v}_G \quad \text{--- 식 1}$$

$$\dot{\vec{v}}_G = f(\vec{p}_G, \vec{v}_G) \quad \text{--- 식 2}$$

$$\vec{p}_G(0) = \overrightarrow{Pos}(t_0, \vec{v}_0(t_0)), \quad \vec{v}_G(0) = \vec{v}_0(t_0)$$

$$t \mapsto \vec{p}_G(t, \overrightarrow{Pos}(t_0, \vec{v}_0(t_0)), \vec{v}_0(t_0))$$

$$t \mapsto \vec{v}_G(t, \overrightarrow{Pos}(t_0, \vec{v}_0(t_0)), \vec{v}_0(t_0))$$

$$\vec{p}_G(TG, \overrightarrow{Pos}(t_0, \vec{v}_0(t_0)), \vec{v}_0(t_0)) = \vec{p}_Z(t_0 + TG) \quad \text{--- 식 3}$$

$$TG = TG(t_0, \vec{v}_0(t_0)) \quad \vec{v}_0(t_0)$$

$$\vec{v}_0(t_0)$$

$$\vec{v}_0^{(1)} = \|\vec{v}_0^{(1)}\| \cdot \frac{\overrightarrow{Pos}(t_0, \vec{v}_0(t_0))}{\|\overrightarrow{Pos}(t_0, \vec{v}_0(t_0))\|}$$

$$\vec{v}_0^{(2)}$$

$$\vec{v}_0(t_0) = \vec{v}_0^{(1)} + \vec{v}_0^{(2)} \quad \text{--- 식 4}$$

$$\vec{v}_0^{(2)} = \overrightarrow{Pos}(t_0, \vec{v}_0(t_0))$$

가

$$v_0 = v_0(t_0) := \|\vec{v}_0^{(1)}\|$$

Vm

(1 2) ,

$$\begin{aligned} \vec{v}_G(0) &= v_m \cdot \frac{\vec{v}_0^{(1)}}{v_0} + \vec{v}_0^{(2)} \\ &= v_m \cdot \frac{\overrightarrow{Pos}(t_0, \vec{v}_0(t_0))}{\|\overrightarrow{Pos}(t_0, \vec{v}_0(t_0))\|} + \overrightarrow{Pos}(t_0, \vec{v}_0(t_0)) \end{aligned} \quad \text{--- 식 5}$$

$$TG = TG(t_0, v_0), \quad \overrightarrow{Pos} = \overrightarrow{Pos}(t_0, v_0) =: \overrightarrow{Pos}_0$$

$$t \mapsto \vec{p}_G(t, \overrightarrow{Pos}_0, v_0),$$

$$t \mapsto \vec{v}_G(t, \overrightarrow{Pos}_0, v_0)$$

5

1 2

$$t \mapsto \vec{p}_G(t, \overrightarrow{Pos}_0, v_m),$$

$$t \mapsto \vec{v}_G(t, \overrightarrow{Pos}_0, v_m)$$

$$t \mapsto \vec{p}_G(t, \overrightarrow{Pos}_0, v_m)$$

(K)

(t') ,

$$t^* = t^*(v_m) := \inf_t \{ \|\vec{p}_G(t, \overrightarrow{Pos}_0, v_m) - \vec{p}_Z(t_0 + t)\|^2 \}$$

$$\frac{\partial}{\partial t} \|\vec{p}_G(t, \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t)\|^2_{t=t^*}$$

$$= 2 \langle \vec{v}_G(t^*, \vec{Pos}_0, v_m) - \vec{v}_Z(t_0 + t^*), \vec{p}_G(t^*, \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t^*) \rangle$$

$$= 0$$

--- 식 6

6

$$\vec{p}_{rel}(v_m) := \vec{p}_G(t^*(v_m), \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t^*(v_m))$$

$$\vec{v}_{rel}(v_m) := \vec{v}_G(t^*(v_m), \vec{Pos}_0, v_m) - \vec{v}_Z(t_0 + t^*(v_m)) = \dot{\vec{p}}_{rel}(v_m)$$

$$\vec{a}_{rel}(v_m) := \vec{a}_G(t^*(v_m), \vec{Pos}_0, v_m) - \vec{a}_Z(t_0 + t^*(v_m)) = \dot{\vec{v}}_{rel}(v_m)$$

6

$$\langle \vec{a}_{rel}(v_m) \cdot D_1 t^*(v_m) + D_3 \vec{v}_G(t^*(v_m), \vec{Pos}_0, v_m), \vec{p}_{rel}(v_m) \rangle$$

$$+ \langle \vec{v}_{rel}(v_m), \vec{v}_{rel}(v_m) \cdot D_1 t^*(v_m) + D_3 \vec{p}_G(t^*(v_m), \vec{Pos}_0, v_m) \rangle = 0$$

--- 식 7

3

t *

$$t^*(v_0) = TG$$

$$\vec{p}_{rel}(v_0) = \vec{p}_G(TG, \vec{Pos}_0, v_0) - \vec{p}_Z(t_0 + TG) = 0$$

$$V_m = V_0$$

7

$$D_1 t^*(v_0) = - \frac{\langle \dot{\vec{v}}_{rel}(v_0), D_3 \vec{p}_G(TG, \vec{Pos}_0, v_0) \rangle}{\langle \vec{v}_{rel}(v_0), \vec{v}_{rel}(v_0) \rangle}$$

7

$$\frac{\partial \vec{p}_G}{\partial v_0} := D_3 \vec{p}_G(TG, \vec{Pos}_0, v_0)$$

$$K := D_1 t^*(v_0) = - \frac{\langle \vec{v}_{rel}(v_0), \frac{\partial \vec{p}_G}{\partial v_0} \rangle}{\langle \vec{v}_{rel}(v_0), \vec{v}_{rel}(v_0) \rangle}$$

$\vec{v}$ 벡터,

$\|\vec{v}\|$ 벡터의 절대값,

$\langle \vec{u}, \vec{v} \rangle$ 스칼라적,

$\vec{u} \times \vec{v}$ 벡터적,

Id 단위행렬,

스칼라 또는 행렬곱,

$g := A$ g값이 표현식 A로 정의됨,

$g = g(x_1, \dots, x_n)$ 값 g 는 $x_1, \dots, x_n$ 에 종속함,

$t \mapsto g(t)$ 할당치(t 지점에서의 g 값이 t 에 대해 할당됨),

$\dot{g}$ 시간에 따른 g 의 도함수,

$D_i g(x_1, \dots, x_n)$ i 번째 변수 이후의 g 의 부분도함수,

$\frac{\partial}{\partial t} g(t, x_1, \dots, x_n)$ t 시간 이후의 g 의 부분도함수,

$\inf_t M$ 전체 t 에 대한 M 의 하한,

$\vec{p}_G, \vec{v}_G, \vec{a}_G$ 발사체의 위치, 속도, 가속도,

$\vec{p}_Z, \vec{v}_Z, \vec{a}_Z$ 표적의 위치, 속도, 가속도,

$\vec{p}_{rel}, \vec{v}_{rel}, \vec{a}_{rel}$ 발사체-표적의 상대위치, 상대속도, 상대가속도,

$\vec{Pos}$ 포신의 포구위치,

$\vec{v}_0$ 발사체의 조준 초기속도,

v_0 포신방향으로의 발사체의 조준 초기속도의 성분크기,

v_m 포신방향으로의 발사체의 유효 초기속도의 성분크기,

TG 발사체의 조준비행시간,

t^* 발사체의 비행시간,

t_0 발사체가 포신의 포구를 통과하는 시간.

$$\begin{matrix} (11) & (12) & (K) & , & (10) \\ (Vm) & (9) & (VOv) & & (Ts) \end{matrix} ,$$

$(Tz(Vm))$

$$Tz(Vm) = Tz + K * (Vm - VOv)$$

$$\begin{matrix} (Tz(Vm)) & (&) & (t) \\ (Tz(Vm)) & (14) & , & 3 & (23) & (27) & , & 2 \\ & & (18) & & & & & \end{matrix}$$

$$, (Dz; \quad 3 \quad 4 \quad) (Tz)$$

(57)

1.

$$\begin{matrix} (13) & (RT)가 & (Vm) & (\\ (Dz) & (Tz(Vm)) & (RT) & (12) & (Vm) \\ (Pz) & (Dz) & (13) & (12) & (Pf) & (12) \\ & & & & 가 & \end{matrix}$$

$$\begin{aligned} & \text{가} \quad (12) \quad (\text{VOv}) \quad (\text{Tz(Vm)}) \quad , \\ & \quad \quad \quad (\text{Tz(Vm)}) \quad (\text{K}) \quad , \quad (\text{Vm}) \quad , \quad (\text{VOv})\text{가} \\ & \text{Tz(Vm)} = \text{Tz} + \text{K} * (\text{Vm} - \text{VOv}) \quad (\text{Tz}) \quad , \quad (\text{t}^*) \quad , \end{aligned}$$

$$t^* = t^*(v_m) := \inf_t \{ \|\vec{p}_G(t, \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t)\|^2 \}$$

$$\frac{\partial}{\partial t} \|\vec{p}_G(t, \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t)\|^2_{t=t^*}.$$

$$\begin{aligned} &= 2 \langle \vec{v}_G(t^*, \vec{Pos}_0, v_m) - \vec{v}_Z(t_0 + t^*), \vec{p}_G(t^*, \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t^*) \rangle \\ &= 0 \end{aligned}$$

--- 식 6

$$\vec{p}_{rel}(v_m) := \vec{p}_G(t^*(v_m), \vec{Pos}_0, v_m) - \vec{p}_Z(t_0 + t^*(v_m))$$

$$\vec{v}_{rel}(v_m) := \vec{v}_G(t^*(v_m), \vec{Pos}_0, v_m) - \vec{v}_Z(t_0 + t^*(v_m)) = \dot{\vec{p}}_{rel}(v_m)$$

$$\vec{a}_{rel}(v_m) := \vec{a}_G(t^*(v_m), \vec{Pos}_0, v_m) - \vec{a}_Z(t_0 + t^*(v_m)) = \dot{\vec{v}}_{rel}(v_m)$$

6

$$\begin{aligned} & \langle \vec{a}_{rel}(v_m) \cdot D_1 t^*(v_m) + D_3 \vec{v}_G(t^*(v_m), \vec{Pos}_0, v_m), \vec{p}_{rel}(v_m) \rangle \\ & + \langle \vec{v}_{rel}(v_m), \vec{v}_{rel}(v_m) \cdot D_1 t^*(v_m) + D_3 \vec{p}_G(t^*(v_m), \vec{Pos}_0, v_m) \rangle = 0 \end{aligned}$$

--- 식 7

$$\begin{aligned} & \quad \quad \quad (\text{Vm}) \quad 6 \quad ; \quad (3) \quad , \\ & t^*(v_0) = TG \quad , \end{aligned}$$

$$\vec{p}_{rel}(v_0) = \vec{p}_G(TG, \vec{Pos}_0, v_0) - \vec{p}_Z(t_0 + TG) = 0$$

$$V_m = V_0 \quad 7$$

$$D_1 t^*(v_0) = - \frac{\langle \vec{v}_{rel}(v_0), D_3 \vec{p}_G(TG, \vec{Pos}_0, v_0) \rangle}{\langle \vec{v}_{rel}(v_0), \vec{v}_{rel}(v_0) \rangle} \quad \text{--- 식 7.1}$$

;

$$\frac{\partial \vec{p}_G}{\partial v_0} := D_3 \vec{p}_G(TG, \vec{Pos}_0, v_0)$$

7.1

$$\begin{aligned} K := D_1 t^*(v_0) &= - \frac{\langle \vec{v}_{rel}(v_0), \frac{\partial \vec{p}_G}{\partial v_0} \rangle}{\langle \vec{v}_{rel}(v_0), \vec{v}_{rel}(v_0) \rangle} \quad \text{--- 식 8} \\ & \quad (\text{K}) \quad ; \quad , \end{aligned}$$

$\vec{p}_G, \vec{v}_G, \vec{a}_G$ 발사체의 위치, 속도, 가속도,

$\vec{p}_Z, \vec{v}_Z, \vec{a}_Z$ 표적의 위치, 속도, 가속도,

$\vec{p}_{rel}, \vec{v}_{rel}, \vec{a}_{rel}$ 발사체-표적의 상대위치, 상대속도, 상대가속도,

$\overrightarrow{Pos}$ 포신의 포구위치,

$\vec{v}_0$ 발사체의 조준 초기속도,

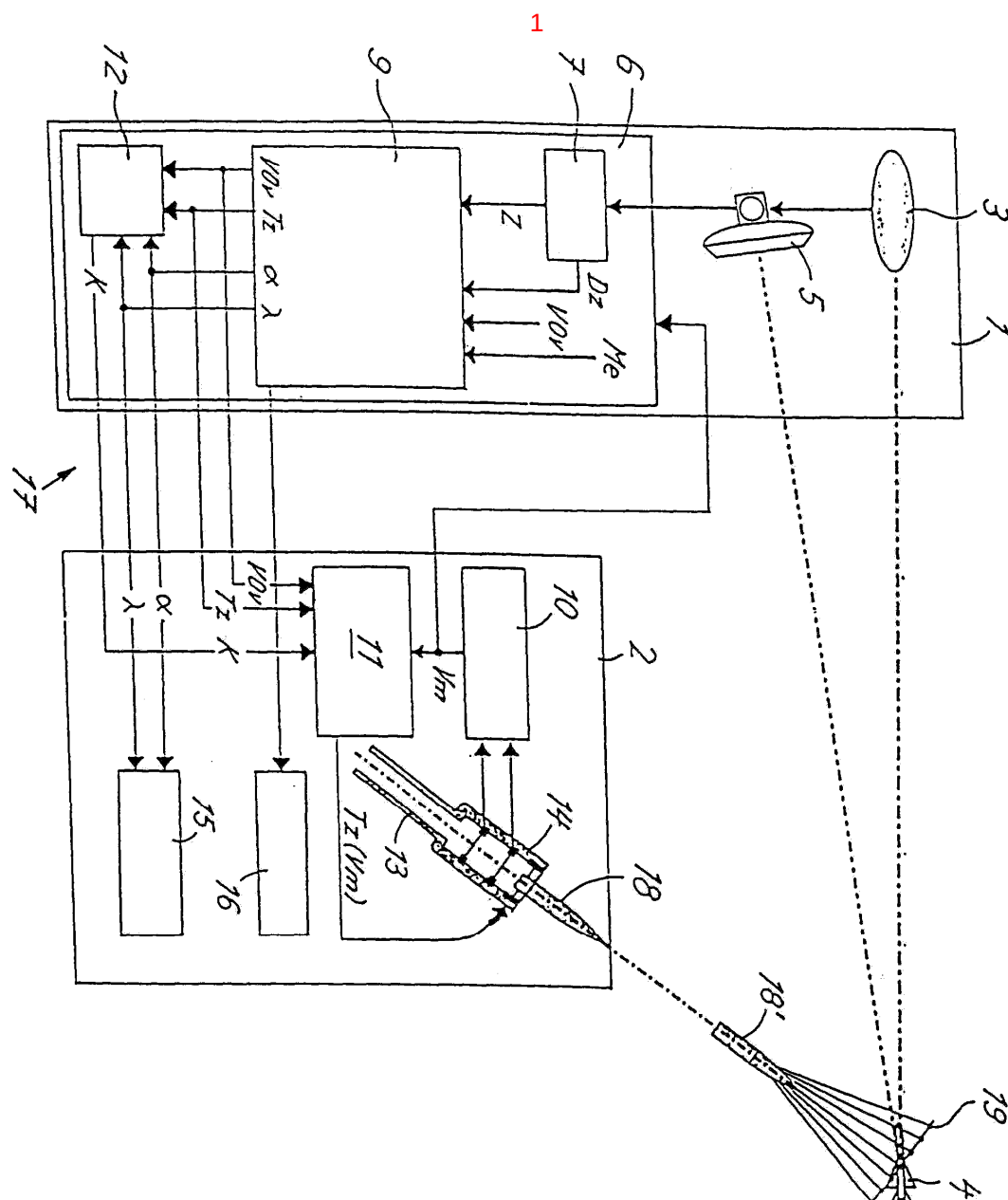
v_0 포신방향으로의 발사체의 조준 초기속도의 성분크기,

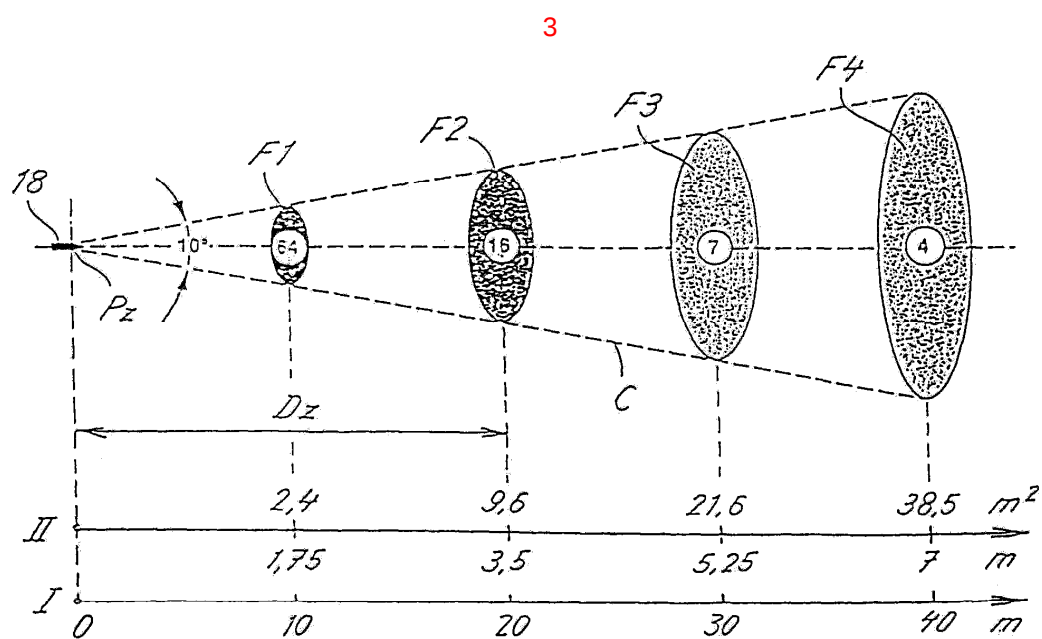
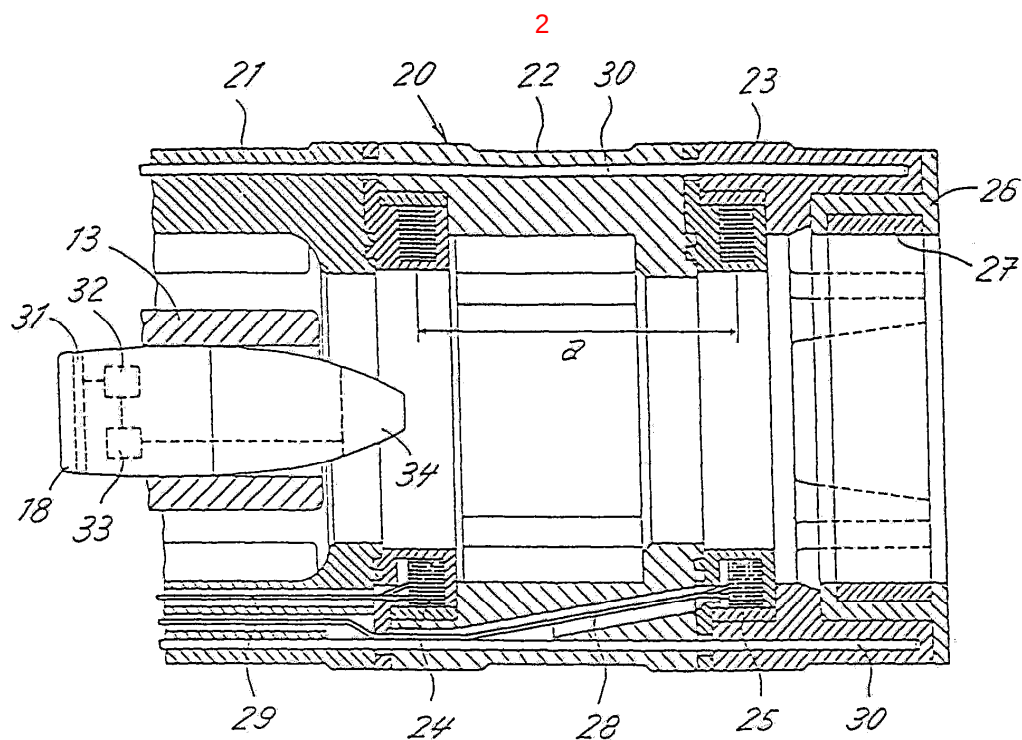
v_m 포신방향으로의 발사체의 유효 초기속도의 성분크기,

TG 발사체의 조준비행시간,

t^* 발사체의 비행시간,

t_0 발사체가 포신의 포구를 통과하는 시간,
가





4

