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(71)

(1 7) 81

(72)

(74)

가

가 가

가

9

(multicast)

DVD(digital versatile disk)

가 (scalability)

(streamed)

가

가

가

가

가

가

가

가

(

(leaving)

가

)

가

가

PCT/GB98/03753 (BT case: A25728/WO)

ADU(application data unit)

ADU

가

(seed value)

가

,
 (a) ;
 (b) ;
 (c) ;
 (d) () ;
 (e) ,
 (d) , (a) 가 ,
 (c)
 .
 가 가
 가 가
 가 가
 가 가
 (seed)가
 가 가
 .
 , (a) :
 (A) , ;
 (B) , 가 ;
 (C) 가 (a) (B) ,
 (blinding) ,
 가
 , :
 ()
 가 ;
 () 가
 ;
 () () , ;

() (a) , ()
;

() (c) , , 가 가

가

MD5(message digest number 5)

가 가

2 가 , , 2 , 3

, (c) ,

가 가

, DVD

(pre - arranged)

가

(a) , 가
;

(b) 가
;

(c) (b) ;

(d) (c)

.

,

,

,

가

()

.

가

,

.

,

가

.

DVD

,

,

가

.

,

,

.

.

1

,

2

1

,

3

1

,

4

1

,

5

1

,

6

,

7

,

8

2

,

9

2

,

10

2

,

11a - 11b

2

,

12

2

,

13

2

,

14

2

,

15 2 ,

16a - 16b 2 2 ,

17 BHC - T ,

18 2 2 ,

19 ,

20a - 20e .

(2) (3) (1) .

(2) (1) , (4)

(2a - 2c) (router) IP(Internet Protocol) .

(1) (1a) (1)

, MPEG2 (ADU; application data unit) ,

ADU 1 , ADU

DES(data encryption standard)(FIPSPUB46)가 (1)

가 가 (1)

가 (pay - per - view)

가 ADU

2 (3) (22) (23) (23)

(2) / ADU . ADU (22) (23) . (23)

(23) (D), (K), (SS) .

(SS)

ADU (D) (24) (D) (22) 가

MPEG2 VDU(video display unit)(25) .

(22) ISDN TCT - IP(Transport Control Protocol - Internet Protocol)

(set - top) , ,

3 1 TCP - IP

SSL(secure sockets layer) (32) (33)

(33)

(330)

HTML(h

ypertext mark - up language) CGI (34)

4 1 (41)

MPEG2

(410) . ADU (42)

(K), (SS) (K) SSL(43) TCP - IP (44) (42)

ADU TCP - IP (44)

COMPAQ Proliant TM

Sun Microsystems Enterprise 5000 TM

가

5 ADU, (k_i)
(SE) (payload) (明文)

ADU

" (ADU; application data unit)

. ADU

가

" P - " 가

10

가

ADU

AD

U MPEG

, ADU

. ADU

가

가

15 ADU 15 (re - key)

가

1

가

, ADU 가 , (time - keeper)
 . , 가 (virtual zone) ,
 가 , ADU
 가 ,
 가 (foreground) ,
 가 .

6 . 가 , 6 (S) -
 . (R) - .
 , 6
 (KM) .

ADU - (ADU) .
 , ,
 .

1. () KM S 가 KM S (SSL; secure
 sockets layer)
 KM S ,

2. , KM S
 ,

3. Mark Handley(UCL) " On Scalable Internet Multimedia Confer
 encing Systems" (PhD (1997.11.14))
 가 가 가 가 가

1. R KM 6 ' ' .
R KM , KM 가 (sub - range) R 가
R KM SSL

2. R 가

3. R 가 , S 가 .

4. 가 () , ADU
ADU , R S
ADU 가 ,

5. 가 R 가 (end) , 가
, , . 가 R 가
. R 가 , .

가	ADU	(pre - arrangement)	A
DU	가	(leaving)	

가 . 가 ADU , ADU
가 . ,
, (time - of - day)
() ,
, 가 ,

가 . 가 가 .

· b(v) v	· ,	b(v) v
·	MD5 [IETF RFC1321]	1 [NIST Sha - 1]
가		

· $b^h(v)$ h , $b()$.

· $r(v)$ $1 \ 1$. ()

· $c(v_1, v_2, \dots)$ 가 가

v_1, v_2 . $c()$. XOR . $c()$,

XOR

: $v_1 = c(c(v_1, v_2, \dots), v_2, \dots)$.

4.5 ,

(BHC; Bi - directional chain)

가 , 가 :

1. 2 $v(0,0) \ v(0,1)$. , 128

2. H .

3. H 2 $v(0,0) \ v(H-1,0) \ v(0,1) \ v(H-1,1)$ 가 . H - 1

G = H - 1 .

, ,

4.1.1

$$v(h,0) = b^h(v(0,0)); \quad v(h,1) = b^h(v(0,1))$$

4. k_0 , $v(0,0)$ 1 $v(G,1)$

k_1 , $v(1,0)$ 1 $v(G-1,1)$

4.1.2

$$k_h = c(v(h,0), v(G-h,1))$$

- 128b , ()
64b 가 .
5. , k_0 ADU_0 (0) , k_1 ADU_1
ADU .
6. 가 , 2 가 .
:
1. 가 ADU_m ADU_n , () $v(m,0)$ $v(G-n,1)$.
2. 4.1.1 $v(m,$
0) $v(n,0)$ $v(G-n,1)$ $v(G-m,1)$.
3. 가 4.1.2 $(k_m \quad n)$.
, $(h < m)$ $v(h,0)$ $(h \quad n)$ $v(h,1)$ 가 , $(k_n \quad k_m)$.
4. ADU 가
; , .
7 , .
2 / 가
가 (, k_0 k_1 k_{G-1} k_G)
, 2 $(k_0 \quad k_G)$ $v(0,0)$, $v(G-1,1)$, $v(G,1)$ 가
1,1), $v(G-1,0)$ $v(G,1)$ 가 , $v(0,0)$ $v(G,1)$.
- 가 (, H)
, H ADU 2 ,
가 가 ,
가 2 ,
가 2 ,
가 , $H < 4$.
, BHC .
- 2 (BHT; binary hash tree) 2 (BHT; binary hash tree)

$$\begin{array}{ccccccc} 2 & & 2 & & b_0() & b_1() & \\ & & & & 2 & 1 & 1 \\ & & & & & r_0() & r_1() \\ & & b() & & 8 & & \end{array}$$

•

•

$$b_0(s) = b(r_0(s)); b_1(s) = b(r_1(s))$$

MD5 가 1 가 MD5 가 1 . 1 XOR 2 (load)

•

•

1. $s(0,0)$, , 128 .

2. D , N_0

3. $\begin{matrix} 2 & & & & 1 \\ & \vdots & & & \end{matrix}$, $\begin{matrix} & & & & \\ & & & & \end{matrix}$

$$s(1,0)=b_0(s(0,0)); s(1,1)=b_1(s(0,0))$$

$$4 \quad 2 \quad :$$

$$s(2,0) = b_0(s(1,0)); s(2,1) = b_1(s(1,0));$$

$$s(2,2)=b_0(s(1,1)); s(2,3)=b_1(s(1,1))$$

, D 2 .

$$s_{d,i} \text{ 가 } s_{0,0} \text{ d :}$$

4.2.1

$$s_{d,i} = b_p(s_{(d-1),i/2})$$

i가 $p=0$, $p=1$.

4. _____, _____ (leaf) _____.

$$D=5, k_0=s(5,0); k_1=s(5,1); \dots k_{31}=s(5,31).$$

4.2.2

$$k_i = s_{D_v}$$

5. , k_0 ADU₀ , k_1 ADU₁ , ADU

6. 가 , .
가 , .

:

1. 가 ADU_m ADU_n , () (SSL
)
가 가 .

가 (child)
(i) , 가 가
, 가 가
가 2 /
가
가 A C- ,

2. 가 가 .
가 ,
가 가 .

가 (k_m k_n)
(4.2.1 4.2.2)

3. ADU 가

가 k_3 k_9 , 4 D .

d
가 d D
가 가 ,

가 . , D

. 가

2^D 2 . d가 , id'

10 $D_0=4$, D 1 M (key) D 가 BHT , $D=D_0+f(i)$ M 7

key manager) , S_{d,2} d 가 (

가 가 가 (work - round) ,

BHT

2 - (Binary hash chain - tree hybrid)(BHC - T) 2 - (Binary hash chain - tree hybrid)(BHC - T)

s) 2 (BHT)가 (bi - directional hash chain)(BHC 11 , BHC

(leaf)

1. 가 s(0, 0) s(0, 1) 가 가 128 가

2. v(1, 0) v(1, 1)

3. , s(1, 1) , s(0, 0) v(1, 1)

, s(1, 2) , s(0, 1) , v(1, 0)

4. 가 , v(1, 2) , s(1, 3)

s(1, 4) (sibling) () ,

가 가 2

(wither) ' ()

4.3.1

$$s(d, i) = c(s(d-1, i/2), v(2d-1, i/2+1)) \quad i \text{는 홀수}$$

$$= c(s(d-1, i/2), v(2d-1, i/2-1)) \quad i \text{는 짝수}$$

$$v(h, j) = b(s((h-1)/2, j))$$

11a BHC - T $< s(0, 0), s(0, 1) < s(0, 1), s(0, 2)$.
 , $s(0, 1)$
 11b 2 가
 ,
 .
 , $s(0, 2)$ 가
 가
 가

2 . 2 , ADU
 $k_3 - k_9$

(twist)
 (operand) XOR
 XOR 가 13 XOR
 1 , $s(0, 0) s(1, 2)$, , $s(0, 1) s(1,$
 1) ; ,

$$s(0, 1) = c(s(1, 2), b(s(0, 0)))$$

$$s(1, 1) = c(s(0, 0), b(s(0, 1)))$$

14 가 BHC - T

1. 128 0

2. 1 2
 3 4가 .:

4.3.2

$$\begin{aligned} s(d-1, i/2) &= c(s(d, i), v(2d-1, i/2+1)) & i \text{는 홀수} \\ &= c(s(d, i), v(2d-1, i/2-1)) & i \text{는 짝수} \end{aligned}$$

$$v(h, j) = b(s((h - 1)/2, j)).$$

$d=0$, d 가 .

3. (5) , (2) .

4. , (6) (4.3.2) (7)가 .

$$5. \quad (7) \quad (2) \quad 4 \quad , \quad (4.3.1) \quad (8a, 8b)$$

6. (9)가 . 가 가
가 .

7. $\text{ADU} = k_0 \text{ADU}_0 + k_1 \text{ADU}_1$, $k_0 + k_1 = 1$, $k_0, k_1 \geq 0$.

4.3.3

$$k_i = s(D, i)$$

$$D=0$$

8. 가 , 1 . 1

1. 가 ADU_m ADU_n , ()

BHT (mirrored)

가 가 , 가 .

가 ,

가 /

가 ,

가 ,

가 가 ,

,

B C .

2. 가 가 .
 가 가 (order)
 , B
 .
3. 가 $k_m - k_n$
 (4.3.1, 4.3.2 4.3.3).
4. ADU
 .
- BHC - T ,
 , (future point)
 , (brute force se
 arch)
 가 ()
 (leaf) 가 , M
 () (bound).
 (4.3.3) .

4.3.4

$$\begin{aligned} k_i &= s(-i/M, i) & i < M, \\ k_i &= s(1-i/M, i) & i = M \end{aligned}$$

15 M=8 . M

- BHC가 $H < 4$. BHC $H=2$
 , 2
 가 3($H=3$)
 (half - sibling)
 (BHC3 - T). 20e
 , BHC - T 가 .
- 2 (BHT2)2 (BHT2)
 BHT BHC - T 2
 , BHT
 d , 가 가 16
 , $b_0()$, $b_1()$, BHT
 , ,

1. 가 $s(0, 0)$ $s(0, 1)$ 가 .
 , 128 .

2. D ,
 , .

$$v(1, 0) = b_0(s(0, 0)); v(1, 1) = b_1(s(0, 0));$$

$$v(1, 2) = b_0(s(0, 1)); v(1, 3) = b_1(s(0, 1)).$$

3. $s(1, 1)$, $v(1, 1)$ $v(1, 2)$.

$s(1, 2)$, $v(1, 1)$ $v(1, 3)$.

4. 가 $s(0, 2)$, $s(1, 3)$ $s(1, 4)$
 가 . BHC - T ,
 , (with
 ring) ' 가 . , d 가 n_d , $n_{(d+1)} = 2n_d - 2$. 가 ,
 2 가 .

4.4.1

$$\begin{aligned} s(d, i) &= c(v(2d-1, i/2), v(2d-1, i/2+1)) & i \text{는 홀수} \\ &= c(v(2d-1, i/2), v(2d-1, i/2-1)) & i \text{는 짝수} \end{aligned}$$

$$v(h, j) = b(s((h-1)/2, j)).$$

5. 가 .

4.4.2

$$k_i = s_{D_i}$$

6. k_0 ADU_0 , k_1 ADU_1 ,
 ADU .

16 BHT2 $< s(0, 0), s(1, 0)$ $< s(0, 1), s(0, 2)$.

a) b) BHC - T
 , 16b) BHT2 가 ,
 BHT2 4.3.2 B

HC - T .

B BHC - T
 $k_3 - k_9$.

, 12
 D (0) BHT2 가 $2^D + 2$.
 가 , 10 BHT 가
 가 .

(4.4.1) 2 .

, 가 ;

$c1=c(v(1, 0), v(1, 1))$

$c2=c(v(1, 2), v(1, 3))$

$c3=c(v(1, 0), v(1, 2))$

$c4=c(v(1, 1), v(1, 3))$

$c5=c(v(1, 0), v(1, 3))$

$c6=c(v(1, 1), v(1, 2))$

$c1 \quad c2$

가 . 가 $c6=c(c3, c4, c5)$, $c5=c(c3, c4, c6)$.

HT2 가 (BHT3) B

(Common model)

(Common model)

• (h, j) v 가 , h h+1

• (d, j) s 가 ,

v (molecule)' 20a - 20e h=0
 . j 가 , 가

• H, h 가

• P,

• Q,

v s .(20a - 20e)
);

4.5.1

$$h \bmod H = 0 \text{ 이면; } v(h, j) = s(h/H, j)$$

()

4.5.2

$$h \bmod H = 0 \text{ 이면; } v(h, j) = b_p(v((h-1), j/P))$$

$$p = j \bmod P$$

()

4.5.3

$$s(d, i) = c(v(h_0 j_0), \dots, v(h_q j_q), \dots, v(h_{(Q-1)} j_{(Q-1)}))$$

h_q j_q q .

, d h H 가 .

1 H, P Q h_q j_q .

[1]

	BHT2	BHT	BHC	BHC - T	BHC3 - T
	20a	20b	20c	20d	20e
H	2	2	H	2	3
P	2	2	1	1	1
Q	2	1	2	2	2
h_q	$H_d - 1$		$H(d - 1) + q(H - 1) + (1 - 2q)(i \bmod H)$		
j_q	$i - 1 + 2q$	i	$i/H + q$		

, 가 , :

4.5.4

$$k_i = s(D, i)$$

$$D = \log(N_0)$$

N_0

, (one-way function) (OFT) [McGrew98] .{...?}

(trading off storage against processing) (trading off storage against processing)

MARKS

, , , 가 가

BHC , (reverse chain) 가 (traverse) 가 , 4 3 , 가

, 가 , 가 (cached). 가 가 , 가 가

(Efficiency) (Efficiency)

, H3 가 BHC , 5.2.1 가 BHT, BHC - T B² HT2 ;

R, S KM , 3 , $N(=n-m+1)$ 가 (overhead) t_s w_s (128b) w_h).

[2]

			BHT	BHC - T	BHT2
per R	(unicast w_h)/ w_s - w_h (min storage)/ w_s	min	1	3	3
		max	$2(\log(N+2) - 1)$	$2\log N$	$2\log N$
		mean	$O(\log(N) - 1)$	$O(\log(N))$	$O(\log(N))$
per R	(processing latency)/ t_s	min	0	0	0
		max	$\log(N)$	$2(\log(N) - 1)$	$4(\log(N) - 1)$
		mean	$O(\log(N)/2)$	$O(\log(N) - 1)$	$O(2(\log(N) - 1))$
per R S	(processing per key)/ t_s	min	1	2	4
		max	$\log(N)$	$2(\log(N) - 1)$	$4(\log(N) - 1)$
		mean	2	4	8
per S KM	(min storage)/ w_s		1	3	3
per S	(min random bits)/ w_s				

가

가

(trade off)

가

(ev

iction)

가

가

(

가

)

가

(

가

)

(

) (cost)

가

가

,

가

가 가

BHC - T BHT2

BHT

. N

2

, BHC - T

가 가

, BHT2 BHT 4

BHTBHT

BHT ,

2

,

가

. MD5

 2^{127}

MD5

가 (

MD5

 2^{64}

.).

128b

MD5

(가

)가

- 1000

4us가

 2^{12} 8^{MD5} MD5 4e25

BHC - TBHC - T

BHC - T (element) , 5.3.1 17 가 BHC - T 가 . 가 . 'i' , 'w' (MD5 128). 17 가 .

17 - BHC - T

[3]

	s(0, 0)	i	$1+2^{(w+1)}$	i	$1+2^w$	i	2
	s(0, 1)	i		$1+2^w$	i	2	i
	s(1, 1)	2	i	i	$1+2^w$		i
	s(1, 2)		i	$1+2^w$	i	i	2

가 XOR 2^w

s(0, 1) , 가 . ,

$$c(s(0, 1), b(c(s(1, 1), b(s(0, 1)))) = s(1, 2)$$

, 2^{w+1}

((double collision))

가 가

가 가

가

BHT2BHT2

BHT2

BHC - T

가 BHCT 가 , , BHC - T , 2^w 가 5.3.2 가

[4]

	$s(0,0)$	i	2^{2w}	i	$3+2^w$	i	$3+2^w$
	$s(0,0)$	i		$3+2^w$	i	$3+2^w$	i
	$s(1,1)$	4	i	i	$3+2^w$		i
	$s(1,2)$		i	$3+2^w$	i	i	$3+2^w$

18 - BHT2

OR
 2^w

BHT2

(guess)

 $s(1,1)$ $s(1,2)$
 $c(b_0(s(0,0)), b_0(s(0,1))) = s(1,1)$
 $c(b_1(s(0,0)), b_1(s(0,1))) = s(1,2)$
 2^{2w}

5e27TB

가 BHC - T BHT2 가

BHT2

BHC - T

 2^w
 $, 2^w$

MARKS

(arbitrage) (collusion)
가 가
(watermarking) 6.3

(address)

, MARKS

가

가

가

MARKS

가

ADU

ADU

가

가

가

.3

ADU

가

가

2.1

(amortised initialisation)

[Balen99]

가

ADU

MARKS

(long - term)

가

(Non - sequential and multi - sequential key access)

(Non - sequential and multi - sequential key access)

MARKS

가

(SEQUENTIAL)

MARKS

1

(access) 가

MARKS

MARKS

MARKS

가 HIPPARCH (1998 6) " ALF
F Design)" , M.Fuchs, C.Diot, T.Turletti, M.Hoffman

(A Naming Approach for AL
19

, (quotes) XOR (duration of subscription) 가 .

$k_{i,j} = c(k^1_{0,j}, k^1_{1,j})$ 가 .

$k^1_{1,j}$ 가 $k^1_{0,j}$. j 가 (trader) 가 $k^1_{1,12} - k^1_{1,24}$.

Haifa(1997 1) " - " , Ross nderson & Charalampos Manifavas() MARKS 2.2 - (512kb) .

, 가 (audit trail) , 가 (traitor) 가 .

(ciphertestream) 가 .

MARKS , 가 가 .

(Unplanned eviction) (Unplanned eviction)

MARKS 가 , MARKS 가 , MA RKS 가 LKH++ [Chang99] , MARKS LKH++ (XOR) MARKS LKH++ 가 .

, (XOR) , M
ARKS, LKH++

$k_{ij...} = c(k_{0,i}^1, k_{1,j}^1, \dots)$

k^1 MARKS

, (cost) 가
LKH++ MARKS LKH++ 가
(re-keying)

가 (VPN)가 (VPN)

VPN
가

MARKS

가

(DVD)

(DVD)

DVD

(content)

가

DVD

DVD

ADU

MARKS

ADU

DVD

(

).

가

DVD

가

DVD

(unlock)

ADU

MARKS

가 DVD가

(scalability)

가

가

가
가

가 (re - keying)
 . (decoupling) 가 가
 ('). 가
 ADU 가 , 가
 가 가
 가 ,
 , ADU
 가 ,
 TV, TV
 ,
 (16B)
 O(log(N)) N
 가 , 가
 O(2(log(N) - 1)
 16 , 가 가
 , 15 10% TV
 (Chang RB 10
 (re - key) 4

A - BHT

C -

· odd(x) x가 가

· reveal(d,i) s_{d,i}

min=m; max=n;

if (min max) error(); // min max

for(d=D; d=0; d - -) { // ...

//

if (min == max) { // min max가 ...

reveal(d,min); //... ...

```

break; //...

}

if odd(min) { //      min

children...

reveal(d,min); // ...      min

min++; //      min

}

if !odd(max) { //      max

children...

reveal(d,max); // ...      max

max--; //      max

}

if (min max) break; // min  max가  가가

min/=2; // min      ...

max/=2; // max      ...

} //

A - BHC - T

C -

·      odd(x)  x가      가

·      reveal(d,i)      sd,i

min=m; max=n;

if (min max) error(); // min max

d=0; //

if (max < = min+1); { // min  max가  /      ...

reveal(d,min); // ...      ...

```

```

if (max < min) // min    max가 1      ...

reveal(d,max); //...      ...

break; //...

}

for(d=0; ;d++) { //

if (max < = min+3) { // min    max가 2      3      ...

if (max < min+3) { // min    max가 2      ...

reveal(d,min); //...      ...

reveal(d,max); //...

reveal(d,min+1); //...      ...

break; //...

} else { // min    max가 3      ,      ..

if (!odd(min)) { // min      ...

reveal(d,min+1) //...      ...

reveal(d,max - 1) //...      ...

break; //...

}

}

}

if !odd(min) { //      min

children...

reveal(d,min); // ...      min

min++; //      min

}

if odd(max) { //      max

```

children...

```
reveal(d,max); //...          max
```

```
max - - ; //max
```

```
}
```

```
min/=2; // min          ...
```

```
max/=2; // max          ...
```

```
} //
```

(57)

1.

(a) ;

(b) ;

(c) ;

(d) () ;

(e) ,

(d) , (a) 가 ,

(c)

.

2.

1 ,

(a) :

(A) , ;

(B) , 가 ;

(C) 가 (a) (B) ,

(blinding) ,

가 .

3.

1 2 ,

(d)

.

4.

1 3 ,

(d)

.

5.

4 ,

()

가 ;

()

;

가

() () ,

;

() (a) , ()

;

() (c) ,

, 가 가

.

6.

5 ,

() ,

()

;

()

,

가

.

7.

3 ,

() 1 2

1 2

, 1

;

() 1 1 2 , 가 ,

1 2 .

8.

7 ,

() 1 2 가 .

9.

1 8 ,

.

10.

9 ,

.

11.

,

(a) , 가 ;

(b) 가 ;

(c) (b) ;

(d) (c) .

12.

,

(a) ;

(b) ;

(c) ;

(d) ,

,

.

13.

12 ,

가 (sub - set) 가

.

14.

1 13 ,

가

.

15.

1 14 ,

(sub - range)

.

16.

1 15 ,

.

17.

1 16 ,

.

18.

,

,

, 가

()

.

19.

,

a) ;

b) ;

c) b) ;

d) c) .

20.

18 .

21.

19 .

22.

1 19 .

23.

22 ,

.

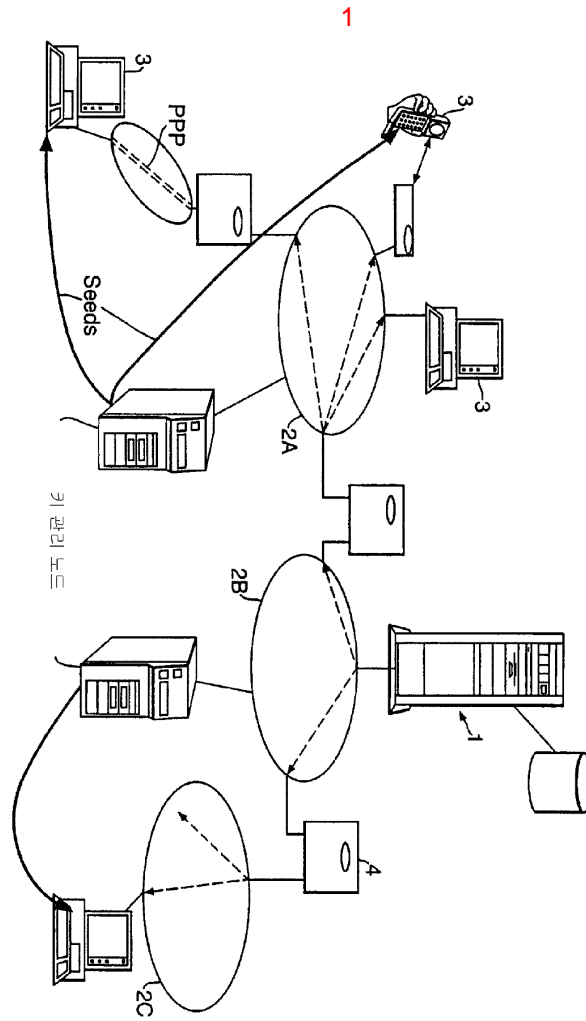
24.

22 23 ,

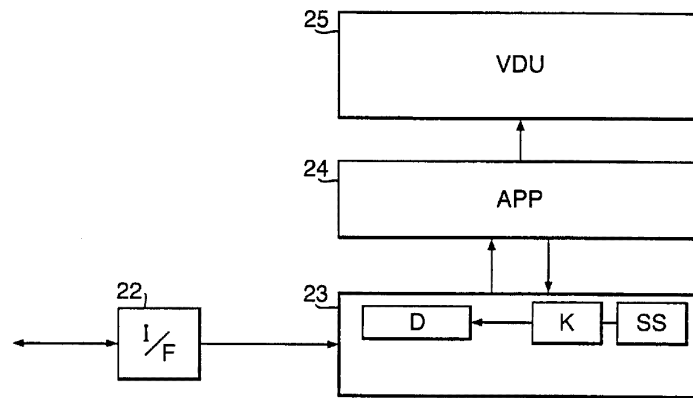
VPN(virtual private network) ,
VPN VPN

25.

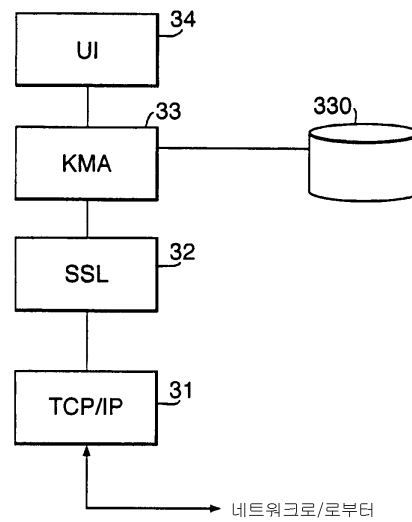
1 19 .



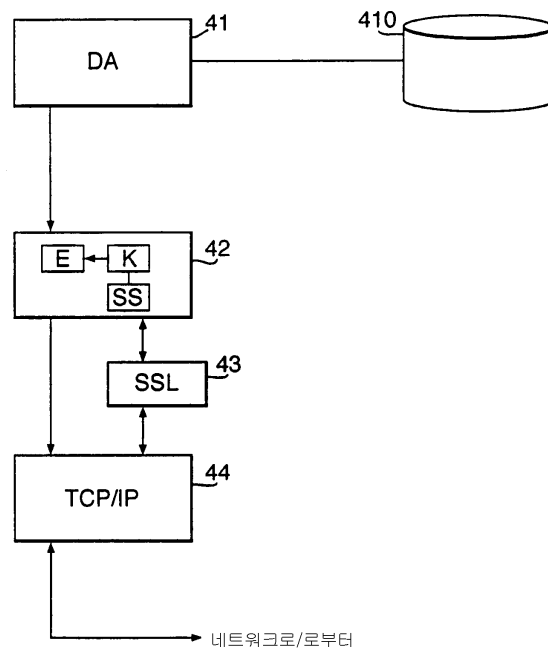
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3



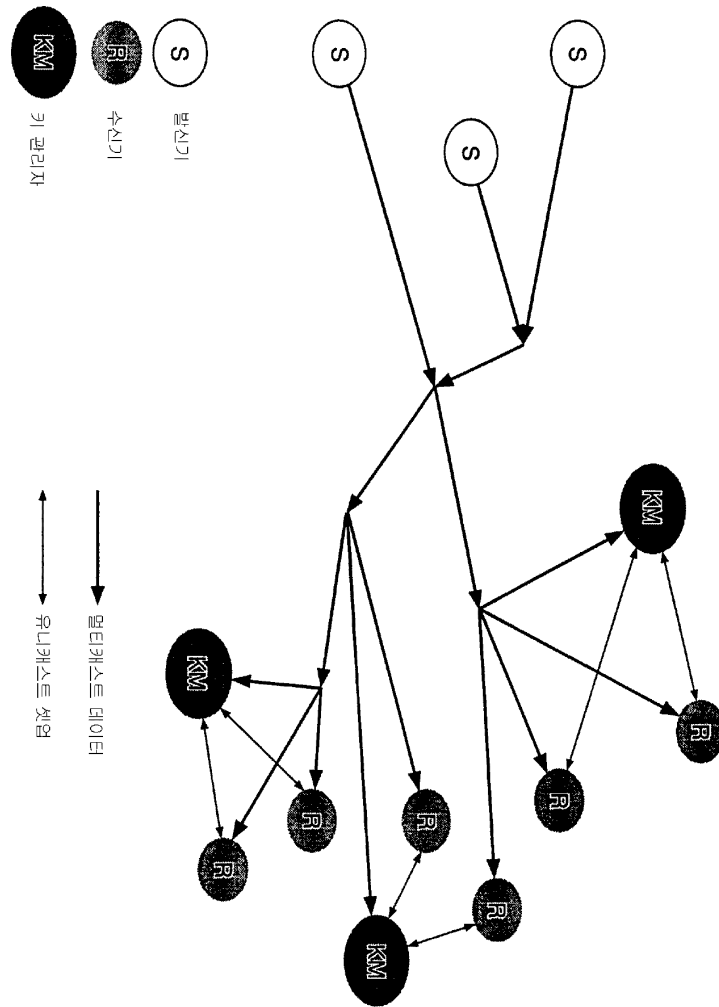
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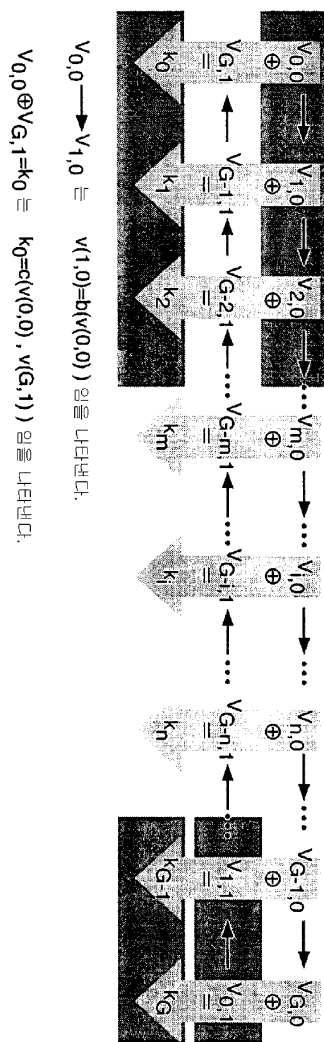
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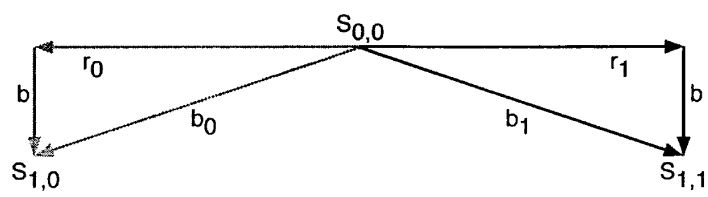
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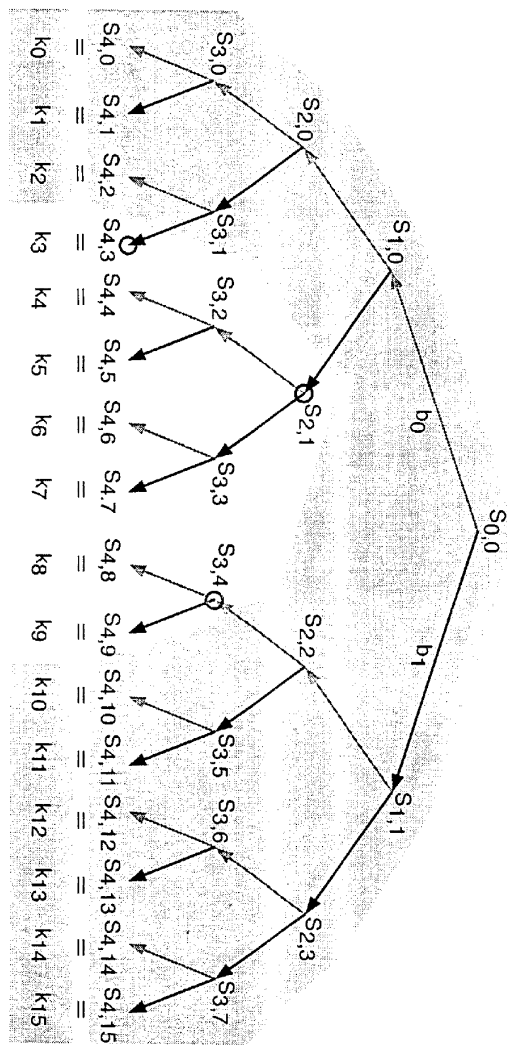
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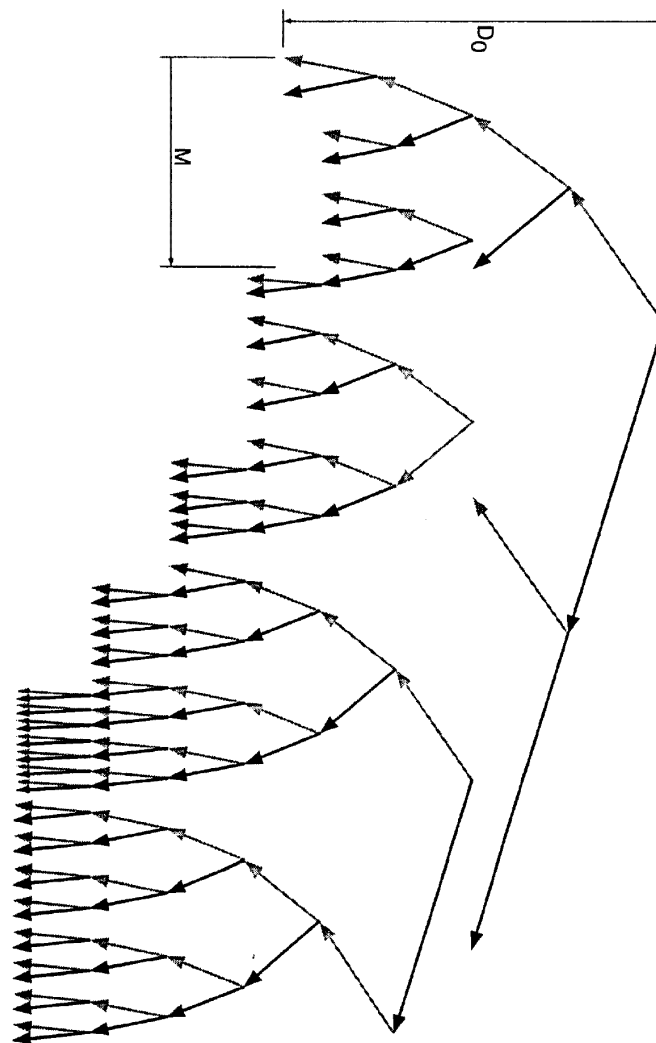
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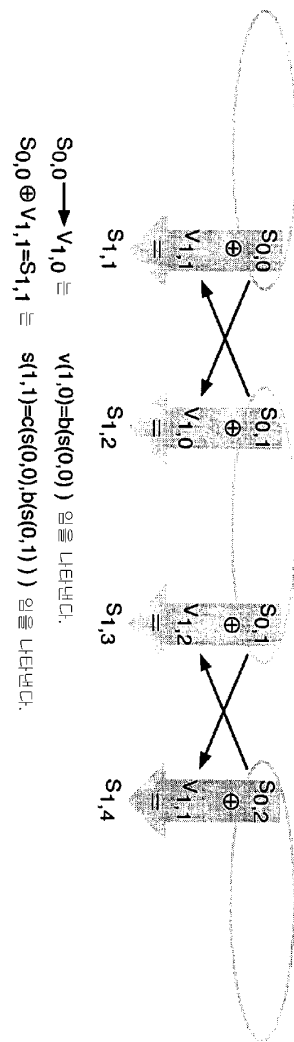
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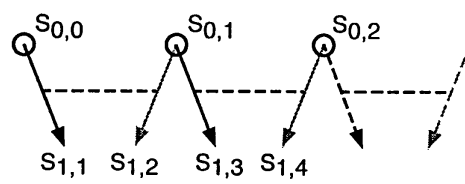
10



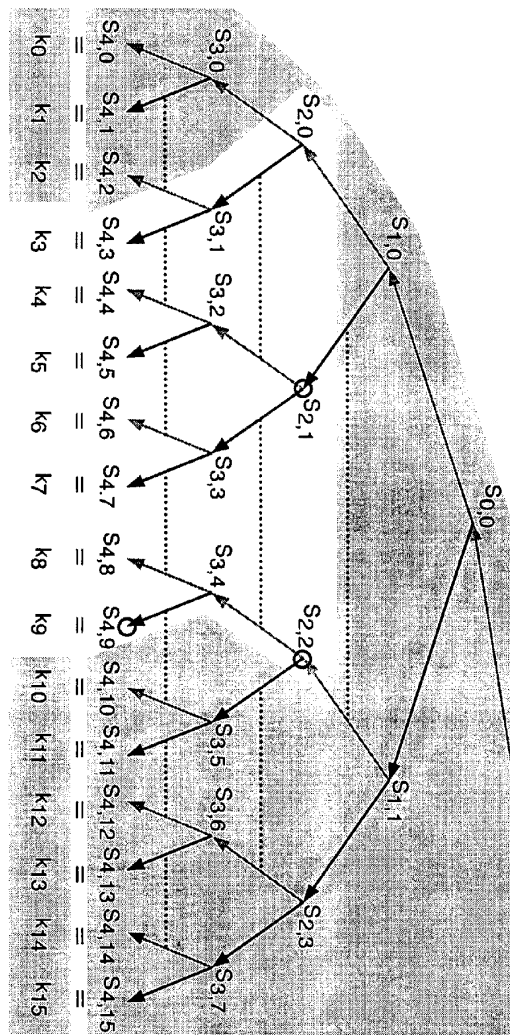
11a



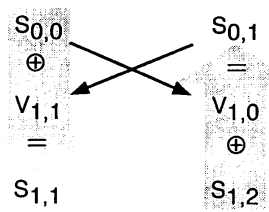
11b



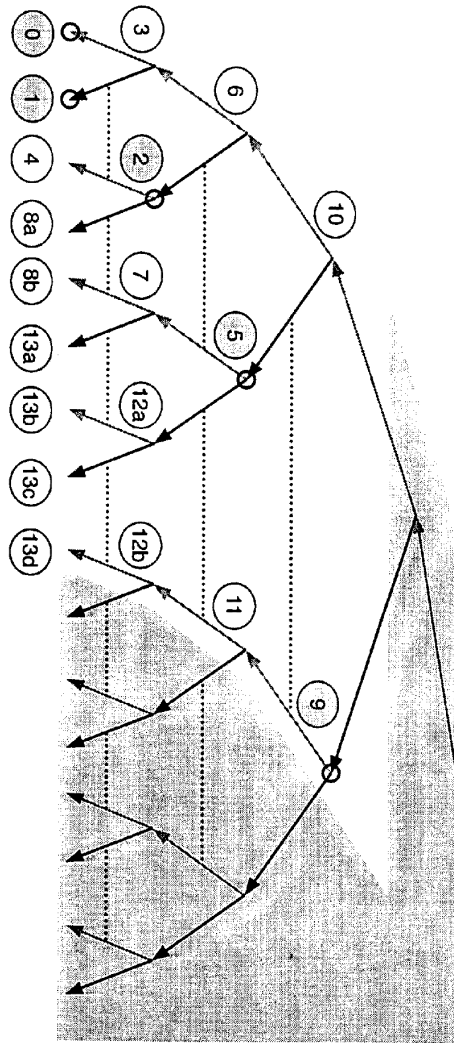
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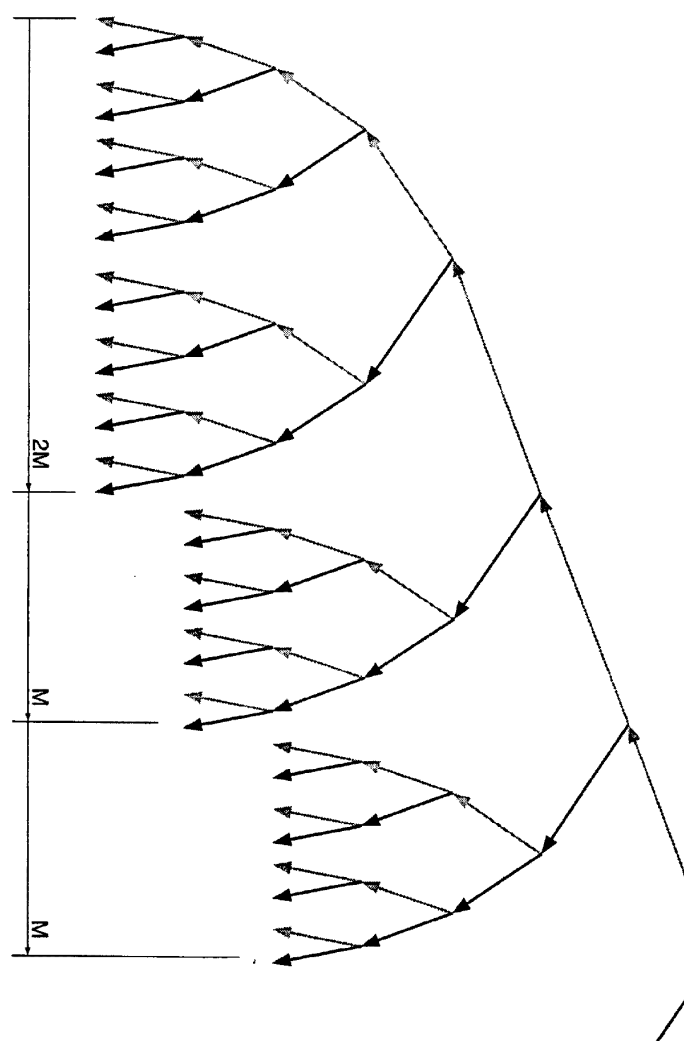
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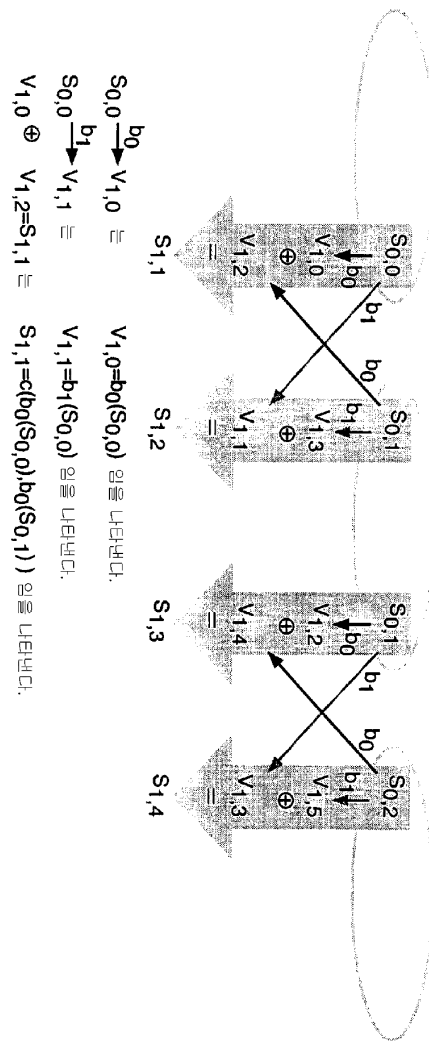
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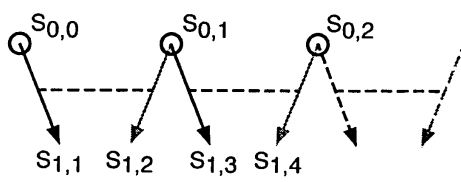
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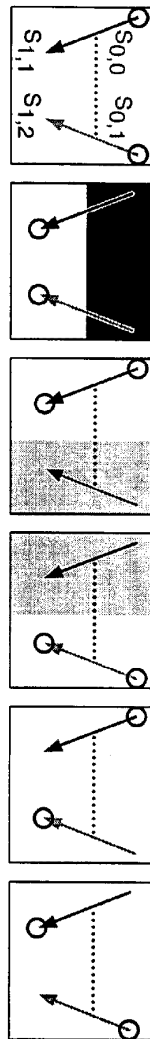
16a



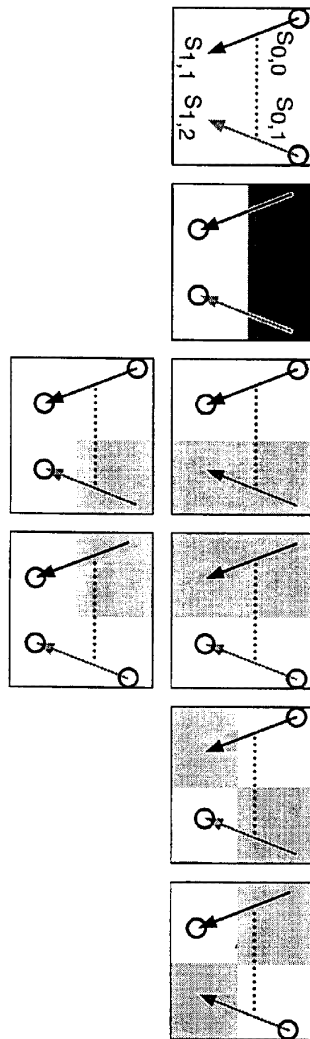
16b



17

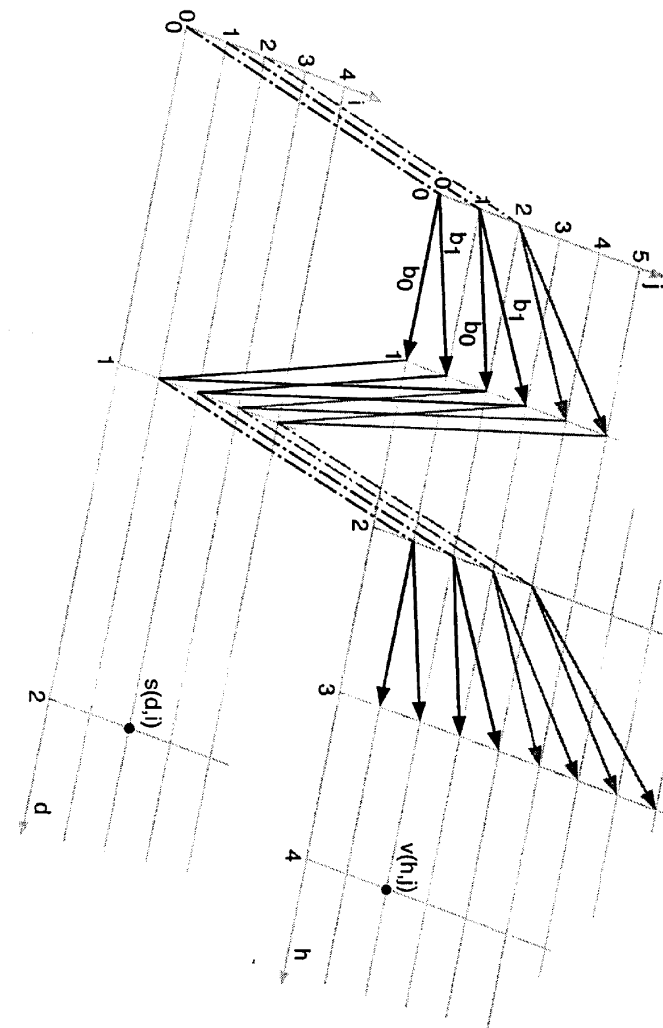


18

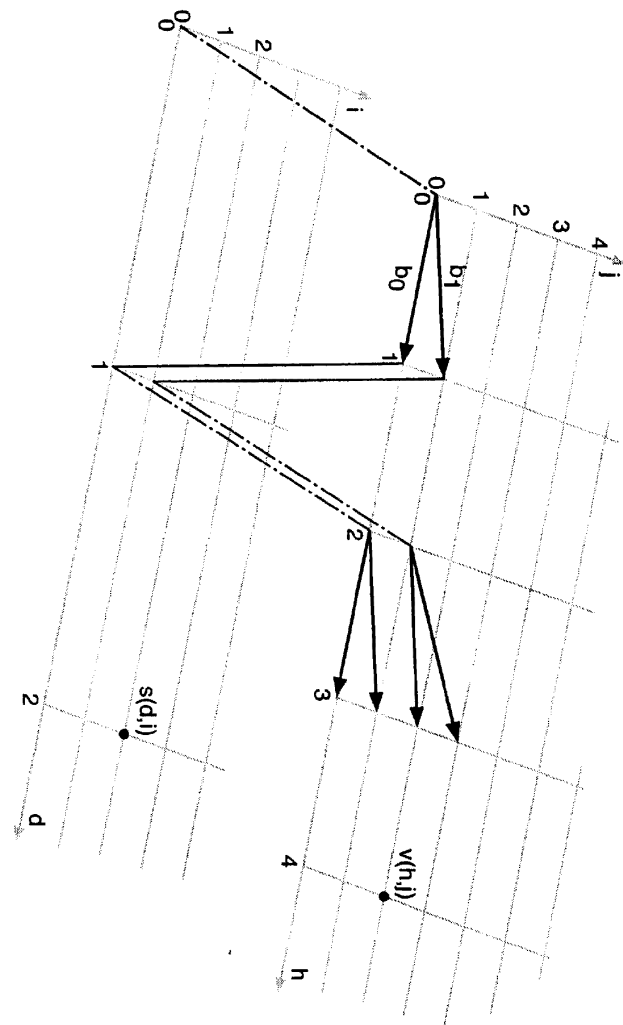


	$k'_{0,0}$	$k'_{0,1}$	$k'_{0,2}$	$k'_{0,3}$	$k'_{0,4}$	$k'_{0,5}$	$k'_{0,6}$	$k'_{0,7}$
$k'_{1,0}$	$k_{0,0}$	$k_{0,1}$	$k_{0,2}$	$k_{0,3}$	$k_{0,4}$	$k_{0,5}$	$k_{0,6}$	$k_{0,7}$
$k'_{1,1}$	$k_{1,0}$	$k_{1,1}$	$k_{1,2}$	$k_{1,3}$	$k_{1,4}$	$k_{1,5}$	$k_{1,6}$	$k_{1,7}$
$k'_{1,2}$	$k_{2,0}$	$k_{2,1}$	$k_{2,2}$	$k_{2,3}$	$k_{2,4}$	$k_{2,5}$	$k_{2,6}$	$k_{2,7}$
$k'_{1,3}$	$k_{3,0}$	$k_{3,1}$	$k_{3,2}$	$k_{3,3}$	$k_{3,4}$	$k_{3,5}$	$k_{3,6}$	$k_{3,7}$
$k'_{1,4}$	$k_{4,0}$	$k_{4,1}$	$k_{4,2}$	$k_{4,3}$	$k_{4,4}$	$k_{4,5}$	$k_{4,6}$	$k_{4,7}$
$k'_{1,5}$	$k_{5,0}$	$k_{5,1}$	$k_{5,2}$	$k_{5,3}$	$k_{5,4}$	$k_{5,5}$	$k_{5,6}$	$k_{5,7}$
$k'_{1,6}$	$k_{6,0}$	$k_{6,1}$	$k_{6,2}$	$k_{6,3}$	$k_{6,4}$	$k_{6,5}$	$k_{6,6}$	$k_{6,7}$
$k'_{1,7}$	$k_{7,0}$	$k_{7,1}$	$k_{7,2}$	$k_{7,3}$	$k_{7,4}$	$k_{7,5}$	$k_{7,6}$	$k_{7,7}$

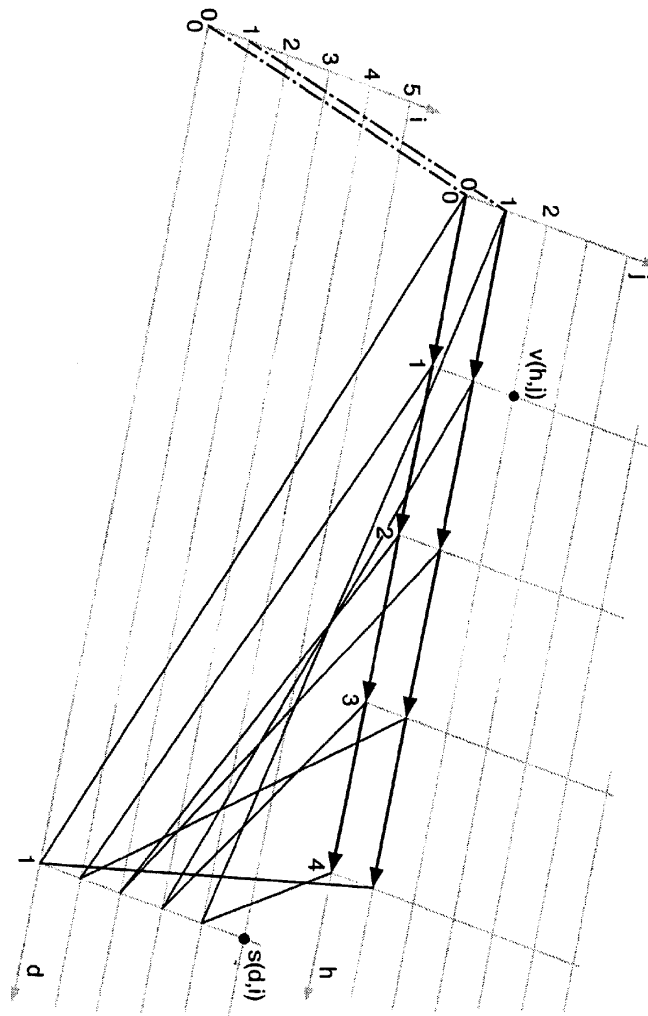
20a



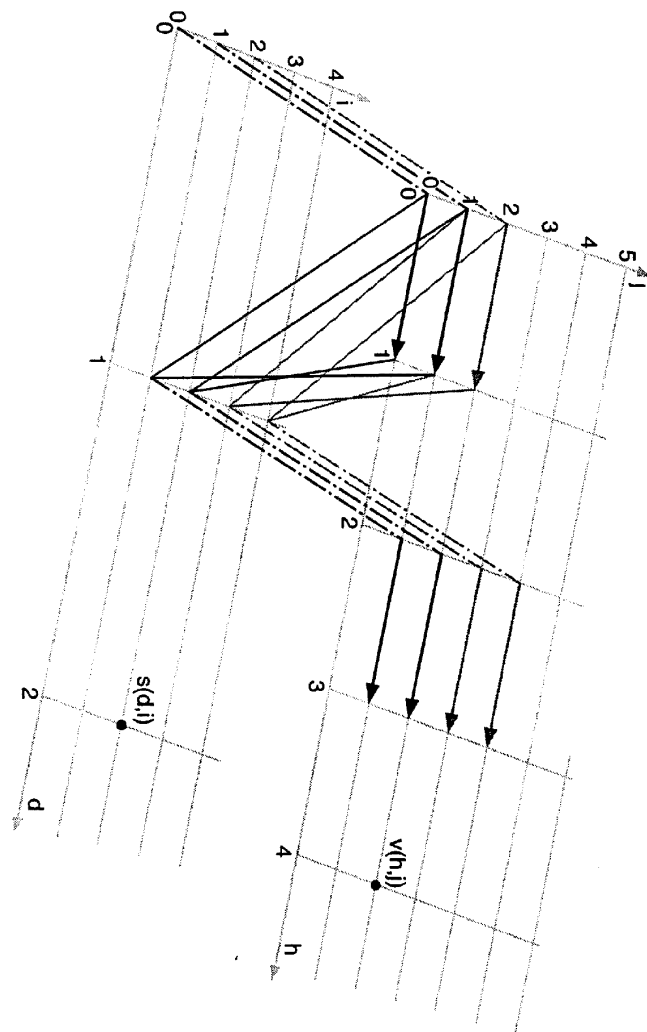
20b



20c



20d



20e

